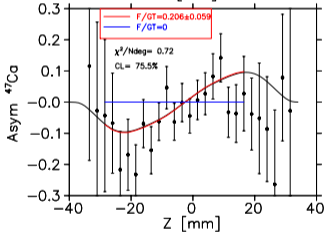
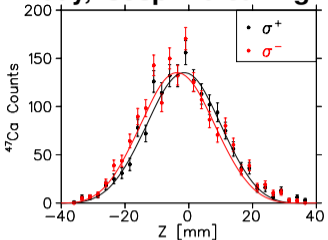
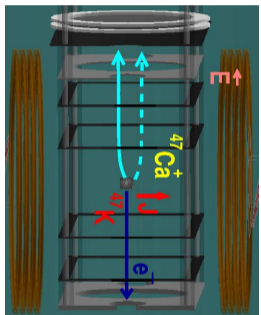


# 1000 atoms trapped for 1 day, isospin breaking <sup>47</sup>K Preliminary without weak mag



- Nonzero <sup>47</sup>Ca asymmetry wrt spin ⇒ a nonzero  $M_{Fermi}$
- $M_F / M_{GT} = 0.21 \pm 0.06 \text{ stat} \pm ? \text{ syst} \Rightarrow \langle \bar{A} | V_{Coulomb} | A \rangle = 160 \pm 50 \text{ stat} \pm ? \text{ syst keV}$

- $A_{recoil}$  is damped at extreme Z by a  $\sim 6\%$  bkg from untrapped <sup>47</sup>K, measured by dedicated 'poof' tests
- Apparatus is symmetric: X projection flat at  $1\sigma$  to 0.05; Unpolarized data has X, Z projections flat  $\sim 0.01$
- $\beta'$ 's fire the eMCP with  $\sim 20\%$  quantum efficiency– these we measure to be  $\sim 0.002$  correction

Z is wrong here.  $Z = Z2 - Z1$ . This shifts the cloud Z from -2 to +2 mm. That will make  $M_f < 0$ .

Simulation of recoil asymmetry by numerical integration of all  $\beta$ 's and  $\nu$ 's (just need to take dot product of their unit vectors to get  $\cos \theta_{\beta\nu}$ )

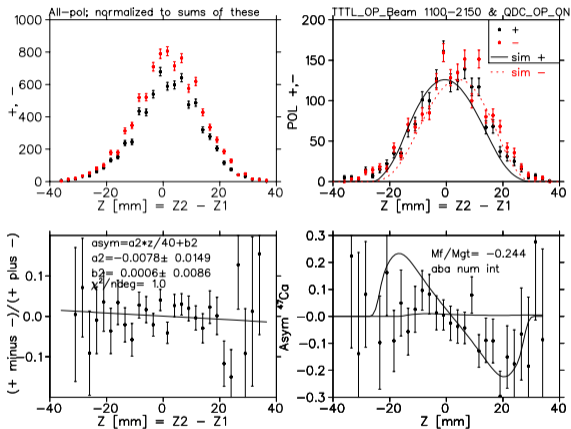
Checks recoil singles expressions ok, particularly the sign. We can also include a Fermi function.

A correction for the 20% non-mixed decay branch is fixed.

To do:  $\gamma$  needs to be put back in.

Trivial error computing  $A_\beta, B_\nu$

This will apparently lead to a similar answer, with reversed sign.



## $\beta$ -recoil

Fit to similar numerical integration, including pointlike  $\beta$  detector and a 2 MeV photon. Scaling with number of +,-; DSSSD XY strips; solid angle from Z shift of trap; 0.99 for  $\langle \cos \theta_\beta \rangle$ , all put into calculation, not data

There is an apparent change in the  $\beta$  decay asymmetry with radius, some combination of the acceptance in the other dimension and the  $\gamma$ -ray momentum forces some  $\text{Ca}^{+1}$  to miss.

$M_f/M_{gt} = -0.082 \pm 0.078$

Uncertainties: polarization  $0.96 \pm 0.04 \rightarrow$  uncertainty 0.022

If I arbitrarily scale Z by 0.9 to make the distribution fit better by eye, uncertainty  $\rightarrow 0.027$

Added in quadrature, answer is  $M_f/M_{gt} = -0.08 \pm 0.09$

To do: Rerun code with A,B evaluation bug fixed, smaller  $M_f$

