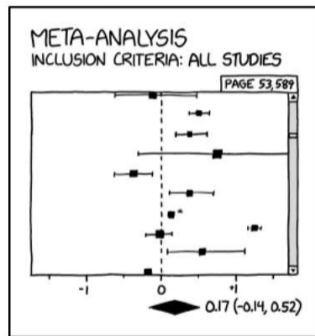
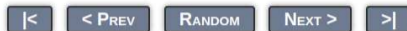




The 1st new condominium north of TRIUMF encourages collaboration with *theory* via a street name common with experiment

[xkcd.com/2755/](http://xkcd.com/2755/)

## EFFECT SIZE



Fun Sym

BAD NEWS: THEY FINALLY DID A META-ANALYSIS OF ALL OF ~~SCIENCE~~, AND IT TURNS OUT IT'S NOT SIGNIFICANT.

Both our labs are measuring nonzero things along the way

## Overview and Theory needs

- $^{47}\text{K}$  isospin breaking (recoils wrt nuclear spin direction) and time reversal (spin dot lepton momentum cross product)

Theory needs: corrections  $\propto$  weak magnetism that mimic time reversal

Matrix elements of nucleon-nucleon TRV interactions like  $\hat{r} \cdot p$ , compare sensitivity to existing  $^{56}\text{Co}$  measurement

- $^{92}\text{Rb } 0^- \rightarrow 0^+$  decay for reactor  $\nu$  physics

Q-value cut lets us isolate  $0^- \rightarrow 0^+$  g.s. to g.s. branch

$a_{\beta\nu}$  close to 1: we don't fully understand at low  $\beta$  energy

theory needs: Do we have the Coulomb correction right from Behrens and Bühring?

Calculation of the smaller matrix element  $\sigma \cdot r$ ?

- $^{37}\text{K}$  Mirror decay: bFierz;  $\nu$  helicity

Theory needs:  $^{38g}\text{K}$  GT  $3^+$  to  $2^+$  recoil order corrections

Isospin breaking calculations  $^{37}\text{K}$

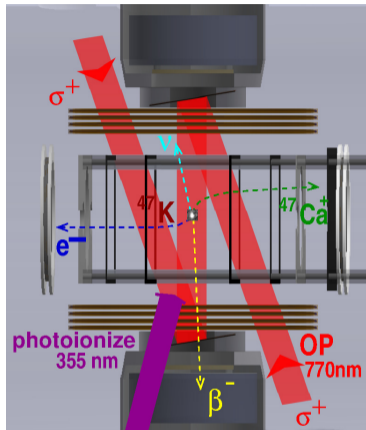
- *Community: Revisit 2nd-class currents*

Tell me if “Superradiant  $\nu$  Lasers from Radioactive BEC,” B.J.P. Jones + J.A.

Formaggio is correct: ‘super easy, barely an inconvenience’ 😊



# Analog-Antianalog isospin mixing in $^{47}\text{K}$ $\beta^-$ decay + time-reversal symmetry



- Spin-polarize by direct optical pumping
- Measure asymmetry of decay products wrt initial nuclear spin

- Isobaric analog states and isospin-suppressed  $\beta$  decay
- In  $^{47}\text{K}$  isospin-suppressed decay, we measure:  
a large Fermi contribution and Coulomb matrix element  
a large fraction of predicted analog-antianalog mixing
- Sensitivity to time-reversal breaking  $\mathcal{T}$  enhanced in isospin-forbidden  $\beta$  decay  $^{47}\text{K}$



A. Gorelov  
B. Kootte\* →  
Jyväskylä  
J.A. Behr



J. McNeil  
Undergrad:  
H. Gallop,  
Waterloo  
C. Luktuke,  
Waterloo



UNIVERSITY  
OF MANITOBA  
G. Gwinner



D. Melconian  
J. Klimo  
M. Vargas-Calderon

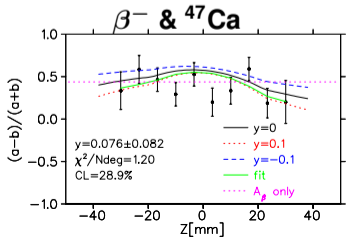
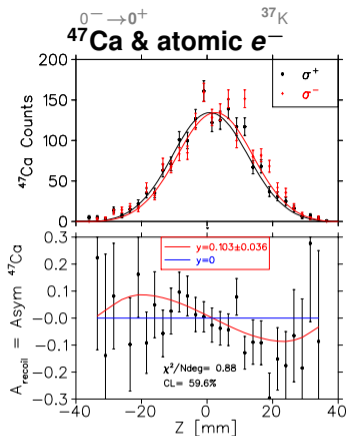
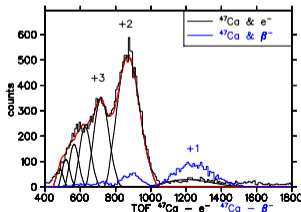
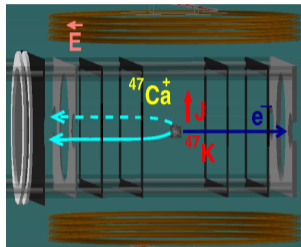
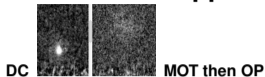
Supported by NSERC, NRC through TRIUMF, DOE, RBC Foundation

\*co-spokesperson



$^{47}\text{K}$  isospin  $\nearrow^{47}\text{K}$  plans

# 1000 atoms trapped



extra concepts

extra tech

references

Source	$A_{\text{recoil}}$	pseudo $A_{\beta}$
$A_{\text{recoil}}$ bkg $6 \pm 4\%$	0.014	$< 0.002$
Polarization $0.96 \pm 0.04$	0.004	0.023
$\beta^{-}$ Branching ratio	0.002	0.022
Weak magnetism	0.0006	0.0003
Fit range in Z $\pm 20$ to 34 mm	0.012	NA
$^{47}\text{Ca}^{+1}$ percent bkg	0.001	NA
$^{47}\text{Ca}^{+N}$ distribution from TOF	$< 0.0005$	NA
E field	negligible	0.025
Backscatter correction $-0.012 \pm 20\%$	NA	0.0024
Fit statistics	0.037	0.082
Total	0.041	0.091

● Nonzero  $^{47}\text{Ca}$  asymmetry wrt spin  $\Rightarrow$

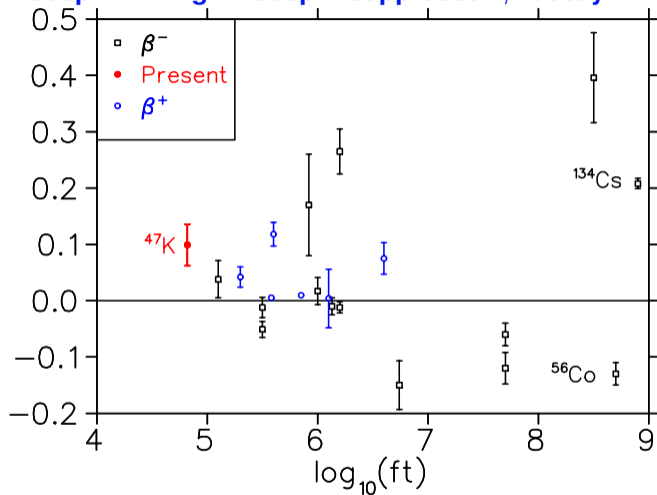
a nonzero  $M_{\text{Fermi}}$

$$y = g_V M_F / g_A M_{GT} = 0.098 \pm 0.037$$

$$\langle \bar{A} | V_{\text{Coulomb}} | \mathcal{A} \rangle = 101 \pm 37 \text{ keV}$$



## Isospin mixing in isospin-suppressed $\beta$ decay:



- $M_F$  can remain  $\sim$  to  $M_{GT}$  as  $M_{GT}$  falls two orders but is always smaller

## Implications for planned $\mathcal{T}$

$y = g_V M_F / g_A M_{GT}$  large enough to be favorable for  $D\mathcal{T}$  measurement

$$D \hat{\mathbf{j}} \cdot \frac{\vec{p}_\beta}{E_\beta} \times \frac{\vec{p}_\nu}{E_\beta} \xrightarrow{t \rightarrow -t} -D \hat{\mathbf{j}} \cdot \frac{\vec{p}_\beta}{E_\beta} \times \frac{\vec{p}_\nu}{E_\beta}$$

$$D = \sqrt{\frac{J}{J+1}} y / (1 + y^2) \sin(\alpha_V - \alpha_A)$$

In  $\mathcal{A} - \bar{\mathcal{A}}$  systems Barroso and Blin-Stoyle

PL45B 178 (1973)

$$\sin \alpha_V = -i \frac{\langle \bar{\mathcal{A}} | V_{\mathcal{T}} | \mathcal{A} \rangle}{\langle \bar{\mathcal{A}} | V_{\text{Coul}} | \mathcal{A} \rangle} \Rightarrow$$

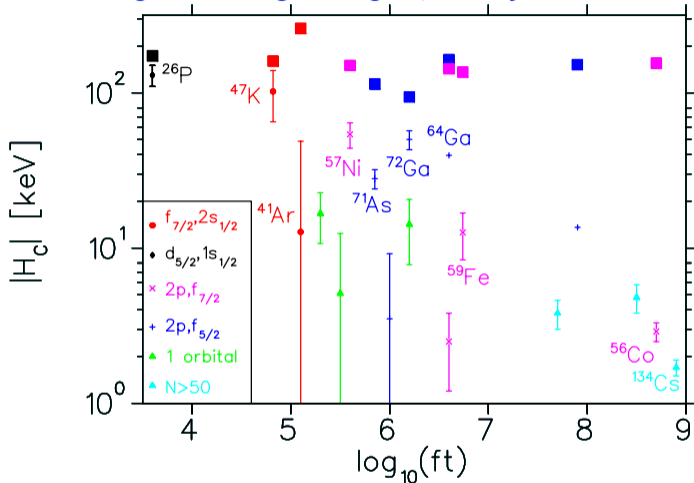
$$D \propto \delta E \frac{\langle \bar{\mathcal{A}} | V_{\mathcal{T}} | \mathcal{A} \rangle}{M_{GT}}$$

- To get same sensitivity to  $\langle \bar{\mathcal{A}} | V_{\mathcal{T}} | \mathcal{A} \rangle$  we need  $D$  30x better in <sup>47</sup>K compared to <sup>56</sup>Co

$$E = -0.01 \pm 0.02 \text{ Calaprice Freedman ... PRC}$$

15 381 (1977) **no worries**

- However, nuclear matrix elements  $\langle \bar{\mathcal{A}} | V_{\mathcal{T}} | \mathcal{A} \rangle$  might also fall with  $M_{GT}$  i.e. 'complexity' **so may favor <sup>47</sup>K**



xtra concepts xtra tech references

**Schematic model for  $\mathcal{A}$  and  $\bar{\mathcal{A}} \Rightarrow$**

$$H_C = \langle \bar{\mathcal{A}} | V_C | \mathcal{A} \rangle$$

$$= \frac{\sqrt{n_1 n_2}}{2T} (\langle j_1 | V_C | j_1 \rangle - \langle j_2 | V_C | j_2 \rangle)$$

$\rightarrow 0.35 \frac{\sqrt{n_1 n_2}}{2T} \frac{Z}{A^{2/3}} \text{MeV}$ , for HO wf's and excess n's occupy 2 major shells

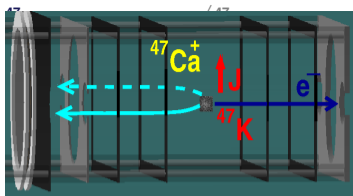
$H_C$  for many  $\beta$  decays is a small fraction of the prediction: attributed to fragmentation of  $\bar{\mathcal{A}}$  configuration among several eigenstates

Auerbach, Loc NPA 1027 122521 (2022)

$^{47}\text{K} \beta^-$  decay has:

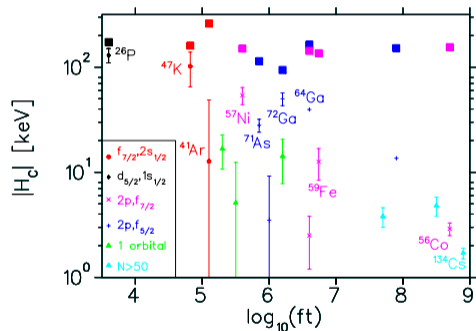
- Large  $H_C = \langle \bar{\mathcal{A}} | V_{\text{Coul}} | \mathcal{A} \rangle = 101 \pm 37 \text{ keV}$
- Large fraction of  $\mathcal{A} - \bar{\mathcal{A}}$  mixing prediction Auerbach Loc NPA 1027 122521 (2022)

$\Leftarrow ^{47}_{20}\text{Ca}^{27}$  has only one  $1/2^+$  state,  $\bar{\mathcal{A}}$  configuration not fragmented



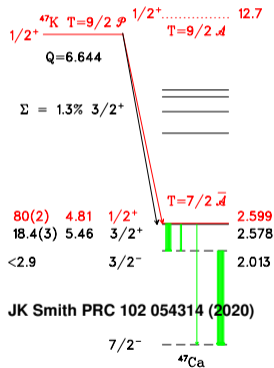
→0<sup>+</sup> <sup>37</sup>K xtra concepts xtra tech references

**Analog-Antianalog isospin mixing in <sup>47</sup>K β<sup>-</sup> decay and  $\mathcal{T}$**   
**Measuring *isospin* in <sup>47</sup>K<sup>28</sup> decay determines sensitivity to**  
**parity-even *isospin*  $\mathcal{T}$  N-N interactions via future  $D\vec{I} \cdot \vec{v}_\beta \times \vec{v}_\nu$**   
**B. Kootte et al. Phys Rev C 109 L052501 2024**



**$I=1/2^+$  <sup>47</sup>K β<sup>-</sup> decay has large:**

- $H_C = \langle \bar{\mathcal{A}} | V_{\text{Coul}} | \mathcal{A} \rangle = 101 \pm 37 \text{ keV}$
  - fraction of  $\mathcal{A} - \bar{\mathcal{A}}$  mixing
- prediction** Auerbach, Loc NPA 1027 122521 (2022)



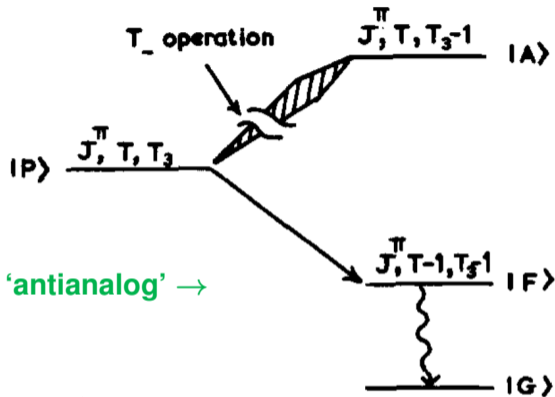
**<sup>47</sup>Ca<sup>27</sup>'s single 1/2<sup>+</sup> state contains most of the  $\bar{\mathcal{A}}$  config**

**$y = g_V M_F / g_A M_{GT} = 0.098 \pm 0.037$**   
**large enough to be favorable for**  
 **$D$ , enhanced by  $\sim 10^2$  in**  
**isospin-suppressed β decay**

Barroso and Blin-Stoyle PL45B 178 (1973)

**calculate reasonably large <sup>134</sup>Cs**  
 **$\mathcal{T}$  matrix elements:**  
**<sup>47</sup>Ca's 1/2<sup>+</sup> simple structure**  
**should make calculating  $\mathcal{T}$**   
**nuclear matrix elements of  $\hat{r} \cdot \vec{p}$**   
**practical**

# $\mathcal{T}$ in isospin-hindered $\beta^-$ decay Barroso and Blin-Stoyle, PL 45B 178 (1973)



‘antianalog’ →

Any  $\mathcal{T}$  decay experiment should answer:

- Does interaction between outgoing particles mimic  $\mathcal{T}$ ? (We hope we can reach the  $D < 10^{-3}$  level of such false  $\mathcal{T}$ )
- Have null EDM’s ruled you out? (Not if we reach  $D < 10^{-2}$ )

$$D \hat{\mathbf{J}} \cdot \frac{\vec{p}_\beta}{E_\beta} \times \frac{\vec{p}_\nu}{E_\beta} \overset{t \rightarrow -t}{\rightarrow} -D \hat{\mathbf{J}} \cdot \frac{\vec{p}_\beta}{E_\beta} \times \frac{\vec{p}_\nu}{E_\beta}$$

$$D = \sqrt{\frac{J}{J+1}} y / (1 + y^2) \sin(\alpha_V - \alpha_A)$$

with  $y = \frac{|M_F|}{|M_{GT}|}$

In this system,  $\sin \alpha_V = -i \frac{\langle F | V_{\mathcal{T}} | A \rangle}{\langle F | V_{Coul} | A \rangle}$

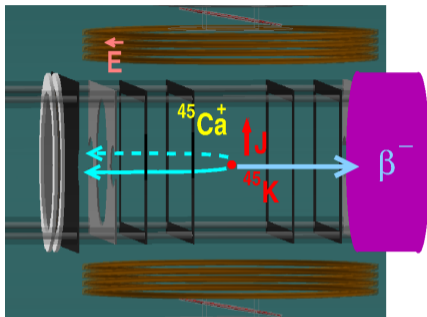
So for  $\mathcal{T}$  physics mixing antianalog  $|F\rangle$  with analog  $|A\rangle$ , then  $V_{\mathcal{T}}$  is only competing with  $V_{Coul}$ , not  $V_{strong}$ ,

enhancing  $\alpha_V$  by  $\sim 10^2$  or  $10^3$  😊

- Has your experiment been done better? (Our goal is 3x better than Calaprice et al. <sup>56</sup>Co, and complementary to NOPTREX neutron scattering resonances for parity-even isospin-breaking interactions)



## $\mathbf{D} \cdot \vec{l} \cdot \vec{v}_\beta \times \vec{v}_\nu$ in atom trap: Features, Systematics



- Collect recoils going into 4 pi with electric field of 1 kV/cm
- Full reconstruction of recoil and beta momenta
- Point source: we know where it is (by sampling photoionization) and it doesn't move when we flip the polarization

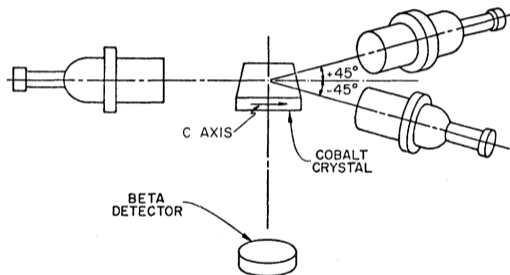
$D$  Uncertainties / 100 scaling from Melconian PLB 649 270 (2007)

	$B_\nu$	Improvements	Projected
Cloud position $\sigma^\pm$	1.3	$\pm 500 \mu\text{m} \rightarrow \pm 20 \mu\text{m}$	0.05
Cloud size/Temp	0.3	" "	0.03
MCP Position cal	1.0	DLA+ mask	$\leq 0.1$
$\hat{x}$ -OP alignment	0.25	Geometry is $\perp$	$\leq 0.02$
E field	0.2		$\leq 0.1$

- Any stray polarization along wrong axis is deadly, a lowest-order fake  $D$ : Measure with singles asymmetry for recoils and  $\beta$ 's

## $^{56}\text{Co}$ $\bar{\nu}$ experiment

Asymmetry of the  $45^\circ$   $\gamma$  detectors with nuclear alignment



“Test of time-reversal invariance in the beta decay of  $^{56}\text{Co}$ ”

Calaprice, Freedman, (Princeton);  
Osgood, Thomlinson (BNL)  
PRC 15 381 (1977)

$$E_1 = -0.01 \pm 0.02$$

$\log(ft) = 8.7$ , yet known allowed:  
 $E_\beta$  spectrum, no  $\beta$ - $\gamma$  correlation)

$y = -0.13 \pm 0.02$  PRC 26 287R (1982)  
Markey, Boehm (RIP Felix 2021)

$V_{\text{Coul}} = 2.9 \text{ keV}$ ,  $V_{\bar{\nu}} = 54 \pm 110 \text{ eV}$   
(J.L. Mortara Ph.D. thesis 1999 UCB)  
 $E_1 = -0.001 \pm 0.006$   
 $\Rightarrow V_{\bar{\nu}} = 5 \pm 33 \text{ eV}$

We believe we can measure  $D$  in  $^{47,45}\text{K}$   
much more accurately than  $E$  in  $^{56}\text{Co}$ ,  
but we must find a case with  $|M_{GT}|$ ,  
 $V_{\text{Coul}}$ , and  $\bar{\nu}$  N-N matrix elements to  
allow complementary or better  
sensitivity to  $V_{\bar{\nu}}$

## $^{47}\text{K}$ recoil order estimates still in progress

$^{47}_{19}\text{K}^{28} \mu = 1.9 \mu_{\text{nucleon}} \Rightarrow$  thought to be 71%  $2s_{1/2}$  Choudhary, Kumar, Srivasta, Suzuki PRC 103 064325 (2021)

Assuming  $1/2^+ \rightarrow 1/2^+$  transition is  $2s_{1/2} \rightarrow 2s_{1/2}$  (no orbital  $l$  contributions):

- Weak magnetism  $b_W \sim$  the nucleon value
- 1st-class induced tensor  $d_I \sim 0$

For our  $M_F/M_{GT}$  measurement,

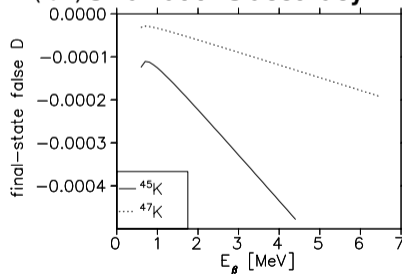
$A_{\text{recoil}}, A_\beta$  changed by  $\leq 0.01$

Finite-size correction cancels most of this  
in  $A_{\text{recoil}}$

Recoil-order effects small at present level  
of accuracy  $\rightarrow$  statistics-limited  
measurement

## Future $D$ final-state effects Holstein PRC 5 1529

(1972) small at this accuracy:



Note:  $^{56}\text{Co}$  final-state  $E_1=0.0002$  Calaprice 1977

•  **$P$  even N-N isovector/tensor  $\mathcal{T}$ :  
complementary to  $\mathcal{T}$  neutron resonance  
experiments**

Barroso and Blin-Stoyle

using Herczeg NP 75 655 (1966):

$$V_{\text{t.v.}} = G_{\text{t.v.}} \frac{1}{2} [f(r) \hat{r} \cdot \mathbf{p} + \text{h.c.}]$$

$$\times [1 + a \sigma^{(1)} \cdot \sigma^{(2)} (\tau_3^{(1)} + \tau_3^{(2)})$$

$$+ (b + c \sigma^{(1)} \cdot \sigma^{(2)}) \tau_3^{(1)} \tau_3^{(2)}]$$

**NOPTREX: P-even  $\mathcal{T}$  neutron resonance experiments are ongoing (in addition to  $\mathcal{P}$  ones), with planned sensitivity to matrix elements  $\sim \text{eV}$ .**

**We hope to be complementary on isovector P-even  $\mathcal{T}$  by reaching similar sensitivity.**

**Samart Schat Schindler Phillips PRC**

**2016: Isoscalar and isotensor  $P$  even  $\mathcal{T}$   
 $\pi$ -N suppressed by  $1/N_C$ ; isovector  $a_1$   
contributes, not  $\rho$  and  $h_1$**

**$D$  produced by most  $\mathcal{T}$  interactions  
would make a large neutron EDM  $\Rightarrow D$   
less than  $10^{-4}$  (Ng and Tulin PRD 85  
033001 (2012).**

**Isotensor  $\mathcal{T}$  interaction would make  $D$   
but not  $T=1/2$  neutron EDM, but tricky  
microscopically without making  
isovector  $\mathcal{T}$ .**

**Barroso and Blin-Stoyle  $10^2 \mathcal{A} - \bar{\mathcal{A}}$   
enhancement  $\Rightarrow$  our goal of  $D < 10^{-3}$   
in  $^{47}\text{K}$  evades Ng-Tulin bound.**

$0^- \rightarrow 0^+$  decays make  $\sim 1/3$  of reactor  $E_\nu = 5-7$  MeV

Warburton PRC 1982:

$$P(E, \theta_{\beta\nu}) = 1 + a \, v/c \cos(\theta_{\beta\nu})$$

$$a = \frac{1 - \frac{\omega^2}{9\xi_0^2}}{1 + \frac{\omega^2}{9\xi_0^2} - \frac{2\omega m_\beta \gamma}{3\xi_0 E_\beta}} \xrightarrow{\omega \ll \xi_0?} 1$$

Nuclear matrix elements:

$$\langle i || \sigma \cdot r || f \rangle / R_{\text{nucleus}} = \omega$$

$$\langle i || \gamma_5 || f \rangle \rightarrow \xi_0$$

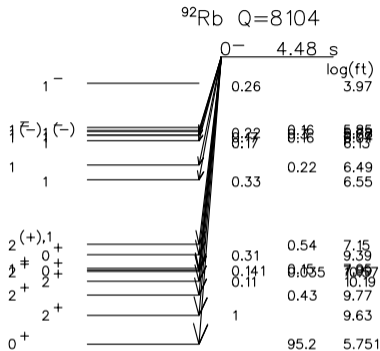
Which  $\Rightarrow \beta$  spectrum

distorted by:

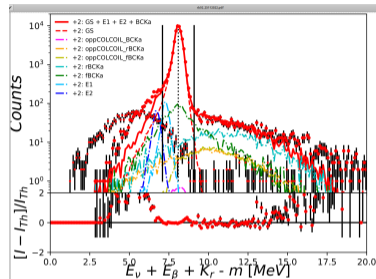
$$1 + \frac{\omega^2}{9\xi_0^2} - \frac{2\omega m_\beta \gamma}{3\xi_0 E_\beta}$$

We see that  $a$  changes with  $E_\beta$

$E_\nu$  spectrum changed by  $\lesssim 10\%$



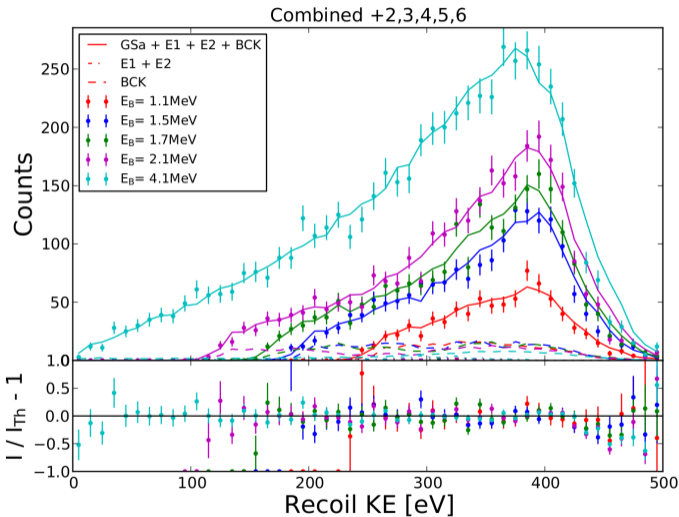
Three experiments (two T.A.S., one careful  $\beta$ - $\gamma$ ) now concur on  $\approx 10\%$  excited state feeding



We separate the decay to the ground state quite cleanly from the reconstructed total energy:

$< 1\%$  correction from the lowest 1st forbidden unique  $0^- \rightarrow 2^+$  branch

# TRIUMF Preliminary: $0^- \rightarrow 0^+$ <sup>92</sup>Rb decay



- Recoil energy spectra as a function of  $E_\beta \rightarrow a_{\beta\nu}[E_\beta]$

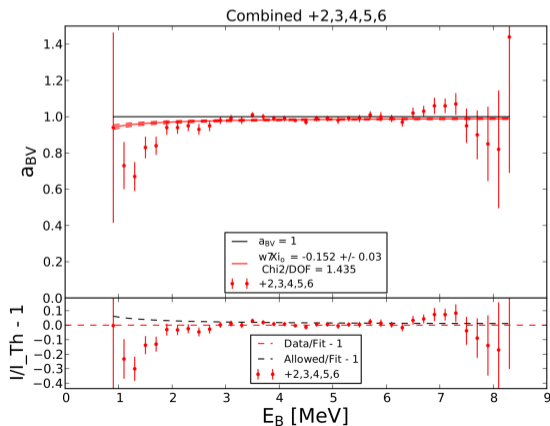
Remaining issues from  
 progeny accidental  
 background at low  $E_\beta$   
 James McNeil, APS DNP 2020  
 RF.00004

June 24, 2022 update

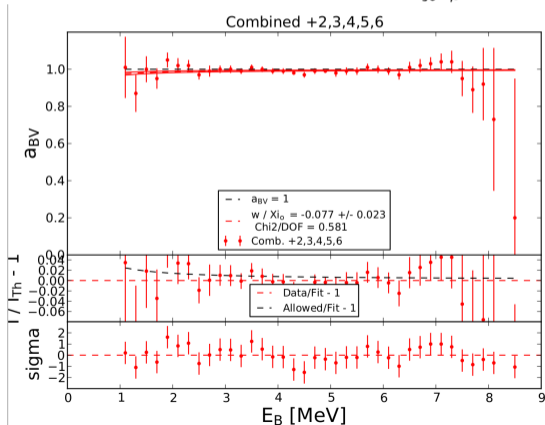
- Coulomb from Behrens and Bühring  $\sim 0.01$
- Low- $E_\beta$  (high  $E_\nu$ ) systs from progeny random bkg and from  $\beta$  backscatter
- Contribution from  $\sigma \cdot r$  small, it is a question of quantifying:

## Preliminary: $0^- \rightarrow 0^+$ <sup>92</sup>Rb decay

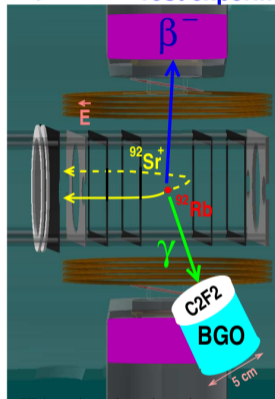
- Measured progeny background not included below
- Fitting low- $E_\beta$  with  $\frac{\omega m_\beta}{\xi_0 E_\beta}$  changes  $a_{\beta\nu}$  too much at higher  $E_\beta$



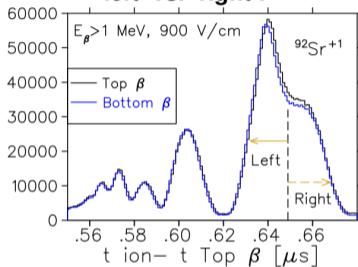
- Floating measured background by eye can force  $\frac{\omega m_\beta}{\xi_0 E_\beta} = 0$  artificially
- Still need to normalize progeny background, evaluate  $E_\beta$  backscatter uncertainty, and extract  $\frac{\omega m_\beta}{\xi_0 E_\beta}$



TRIUMF Test experiment in  $^{92}\text{Rb } 0^- \rightarrow 0^+$  decay (no vector current) + BGO  $\rightarrow$  GAGG



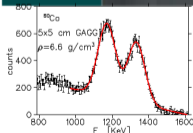
'left' vs. 'right':



(other  $\gamma$  detector sees background from upstream)

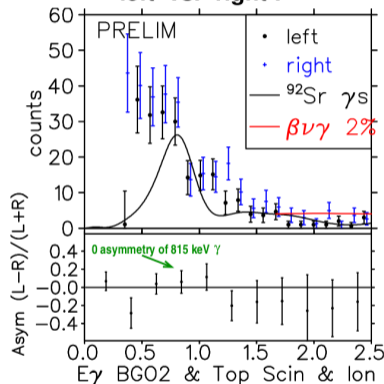
BGO  $\rightarrow$  GAGG (Ce:Gd<sub>3</sub>Al<sub>2</sub>Ga<sub>3</sub>O<sub>12</sub>)

- better  $E_\gamma$  resolution and timing,  $\rho = 6.6 \text{ g/cm}^3$
- Good photopeak efficiency (55% at 1 MeV)
- not radioactive like LYSO



$\beta^- \cap ^{92}\text{Sr}^+ \cap \gamma$

'left' vs. 'right':



Sensitivity to  $\sim 0.05$  to  $0.10$  asymmetries of few percent branches



# <sup>37</sup>K: TAMU Ft progress: recoil-order corrections status

**CVC ⇒ most important corrections:**

$b_{WM} \propto \mu_f - \mu_i$  tiny  
( $\mu$  of  $\pi d_{3/2}$  cancels)

Induced tensor  $d_1 \approx 0$   
for isobaric mirror

$Q \Rightarrow$  largest 2nd-order  
recoil + Coulomb +  
finite-size  $\Rightarrow$

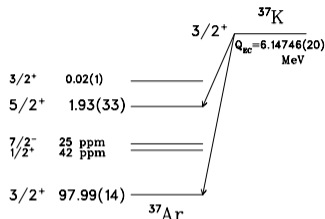
$\Delta A_\beta \approx -0.0028 (E_\beta/E_0)$

Holstein RMP 1975

Our deduced  $V_{ud}$  from <sup>37</sup>K

$A_\beta$  agrees with Hayen

Young arXiv:2009.11364



$\mathcal{F}t$  (Shidling PRC 2014) =

$4576 \pm 8$  s

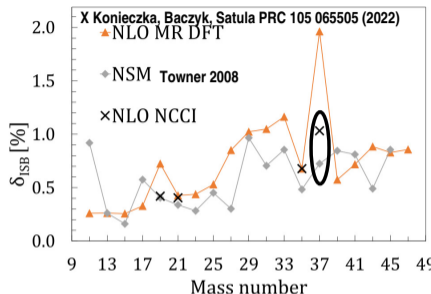
Ozmetin et al. TAMU

Branch to  $5/2^+$  improved

$\rightarrow$  PRELIM  $4585 \pm 4$  s

$\sim 0.0005$  for  $V_{ud}$  from  $A_{\text{recoil}}$

becomes possible



**DFT with extra  
isospin-breaking QCD  
isovector interactions tuned  
to fix Nolen-Schiffer anomaly  
in mirror masses differs from  
Towner 2008 for <sup>37</sup>K  $\beta$  decay**

Note Towner also fits Nolen-Schiffer-Okamoto to mirror masses. Naito 2025 works on calculating from QCD. Solvers of  $H\psi = E\psi$  need to deal



$^{47}\text{K}$  plans

$0^- \rightarrow 0^+$

$^{37}\text{K}$

xtra concepts

xtra tech

# Improved measurement of $^{38\text{m}}\text{K} \langle r_{\text{ch}}^2 \rangle$ for $V_{ud}$ corrections



J.A. Behr, L. Haddad, F. Klose, B. Ohayon, B.K. Sahoo

$4S \rightarrow 4P_{1/2} \quad \Gamma = 6 \text{ MHz}$

$4S_{1/2} \rightarrow 5P_{1/2}: \Gamma = 1.1 \text{ MHz}$

for 0.1 MHz accuracy?

Isospin breaking of  $\beta$  decay

$\psi_i$  and  $\psi_f$  can be related to triplets of isobaric charge

radii Seng, Gorchtein Phys Lett B 2023

Only triplet with  $\langle r_{\text{charge}}^2 \rangle^{1/2}$

known is  $A=38$ :

$^{38}\text{Ca}$  3.467(1) fm,

$^{38\text{m}}\text{K}$  3.437(4) fm,

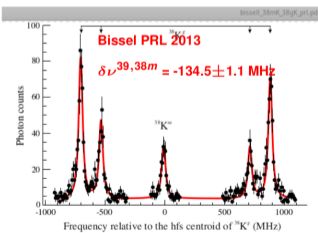
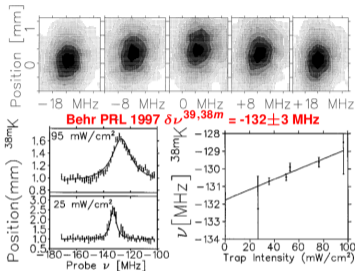
$^{38}\text{Ar}$  3.4028(19) fm

$\Rightarrow \Delta M_B^{(1)} = -0.03(54) \text{ fm}^2$ ;

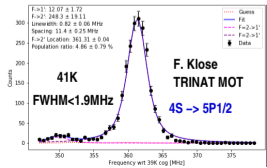
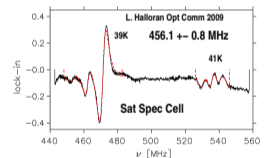
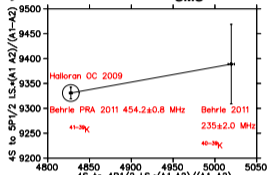
models span 0.42 to 0.04  $\text{fm}^2$

Needs order of magnitude

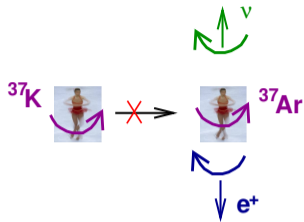
better  $\langle r_{\text{charge}}^2 \rangle^{1/2}$  !



Katyal 2412.05921 RCC  $K_{SMS} = -30.6 \pm 5.2$



ISOLDE did much better



If  $I_z = I_{\text{initial}}$  and  $I_{\text{initial}} = I_{\text{final}}$ , the leptons can't increase  $I_z$  final  
 If  $\beta^+$  down, the  $\nu$  can't go up, unless either  $\beta$  or  $\nu$  have wrong helicity

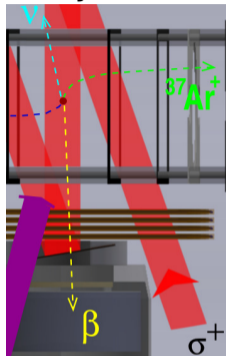
Any **imperfect**  $I_z/I$  mimics a **wrong-handed  $\nu$**

<sup>38</sup>K G.T.  $3^+ \rightarrow 2^+$  needs both  $\nu$  and  $\beta^+$  helicities wrong:

would be most direct  $\nu$  helicity measurement

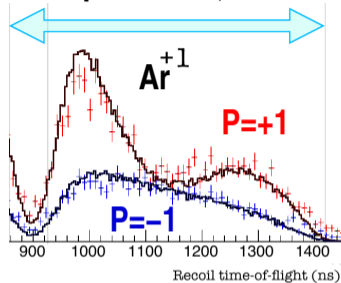
since Goldhaber 1957

## Helicity-driven null



Fenker et al. PRL 2018  
 $A_\beta = -0.5707 \pm 0.001913$  in agreement with SM  
 achieved  $I_z/I = 0.991 \pm 0.001$   
 0.993 to 0.994 in 2024

## 2014 polarized $\beta$ -recoil



$\nu_{\text{TOFaxis}} = 0$  suppressed. Dip would be deeper with ion MCP position cut or  $\cos(\theta_{\beta-\nu})$  determination

$$W(\theta, P) \approx 1 + a_{\text{pol}} \cos(\theta_{\beta\nu})$$

$$a_{\text{pol}} = \frac{a_{\beta\nu} - 2c/3T + PB_\nu}{1 + PA_\beta + bm/E}$$

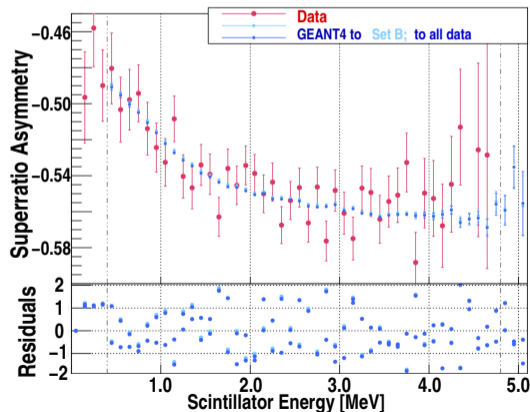
= 1 or 0, independent of  $\frac{M_{GT}}{M_F}$

$$A_\beta[E_\beta] {}^{37}\text{K}$$

(data of Fenker et al. PRL 2018)

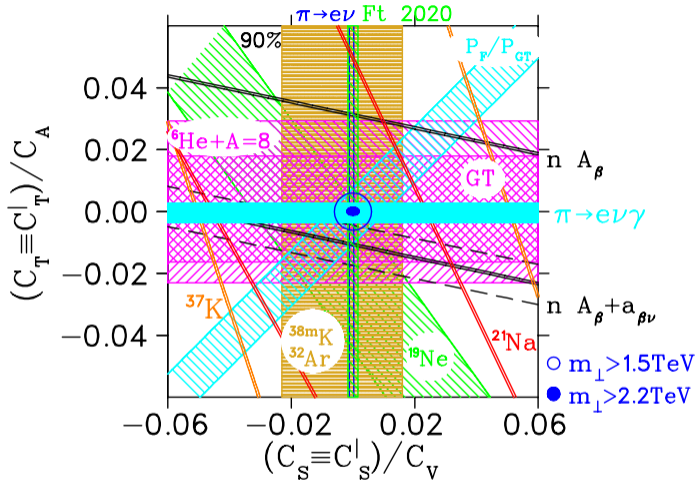
M. Anholm Ph.D. thesis U. Manitoba 2022  
(and to be submitted)

$$b_F = -0.0002 \pm 0.024 \text{ (stat)} \pm 0.039 \text{ (syst)}$$



new MWPC's for  $\Delta E$ , pellicle mirrors, low-Z  
mirror mounting  $\rightarrow$  5x improvement

Source	Present $b_F$	Future $b_F$
$\beta$ Scattering	0.031	0.003
Mirror Thickness	0.013	0.001
DSSD Thickness	0.013	0.001
DSSD Detection Radius	0.006	0.001
DSSD signal/noise	0.006	0.001
Low- $E_\beta$ lineshape	0.008	0.008
DSSD XY Energy Agreement	0.005	0.001
DSSD $E$ threshold	0.005	0.001
Scintillator Threshold	0.004	0.001
Scintillator Calibration	0.003	0.003
Atomic Cloud	0.002	0.002
Background	0.004	0.004
Be Foil Thickness	0.004	0.004
Total Systematics	0.039	0.0041



Beck et al. PRL 2024 neutron combining aSPECT  $a_{\beta\nu}$  and Perkeo III Saul et al. PRL 2022  $A_\beta$  can be accommodated by:

- 2nd-class “induced scalar” in  $e - N$  vector current  $e \approx -30$  (in one parameterization)
- 2nd-class induced tensor in  $e - N$  axial vector current [Kubodera PRL '77 has  $n$  and nucleus-dependent SCC's]
- There is < 90% tension between  $n$  decay here and LHC 8 TeV data → fine-tune scales to avoid tension with LHC 13 TeV.

Comments on scales and physics following 4 slides:

So now our full lepton-nucleon interaction density is (Morita Hyp. Int. 21 143 (1985)):

$$\sqrt{2}L = [V_\lambda + A_\lambda] [\bar{\psi}_e \gamma_\lambda (1 + \gamma_5) \psi_\nu] + [V'_\lambda + A'_\lambda] [\bar{\psi}_\nu \gamma_\lambda (1 + \gamma_5) \psi_e]$$

with explicitly different forms for  $\beta^\pm$  decay:

$$V_\lambda = \bar{\psi}_p \left( g_V \gamma_\lambda + \frac{g_M}{2m} \sigma_{\lambda\rho} k_\rho + ig_S k_\lambda \right) \psi_n \quad A_\lambda = \bar{\psi}_p \gamma_5 \left( g_A \gamma_\lambda + \frac{g_T}{2m} \sigma_{\lambda\rho} k_\rho + ig_P k_\lambda \right) \psi_n$$

$$V'_\lambda = \bar{\psi}_n \left( g_V^* \gamma_\lambda + \frac{g_M^*}{2m} \sigma_{\lambda\rho} k'_\rho - ig_S^* k'_\lambda \right) \psi_p \quad A'_\lambda = \bar{\psi}_n \gamma_5 \left( g_A^* \gamma_\lambda - \frac{g_T^*}{2m} \sigma_{\lambda\rho} k'_\rho + ig_P k'_\lambda \right) \psi_p$$

$$k = k_p - k_n = -k'$$

Yes, the hadron part, because of the QCD-driven “dressing” within the nucleon, is more complicated than the lepton part.

$g_S$  and  $g_T$  terms **change sign** from electron to positron decay. These are therefore odd under charge symmetry. So they vanish in isobaric analog decays to the extent that charge symmetry is good. These are called “**2nd-class currents**”

Divergence of  $g_S k_\lambda$  is nonzero, i.e. **breaks CVC**

## “An induced scalar would be sensational” D. Wilkinson, ca. 2005

● “Induced (by QCD combining quarks into nucleons) scalar” is part of the  $e - N$  vector current.

● Produces same  $\langle m/E_\beta \rangle$  as Fierz term

● Fit to  $0^+ \rightarrow 0^+$   $F_t$

Holstein 1984 parameterization:  $g_S = \frac{em_\beta}{Am_N} \frac{m_\beta}{E_\beta}$

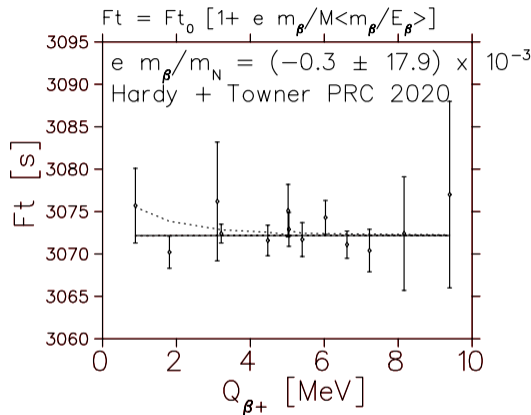
$\Rightarrow e = 4 \pm 32$

$e \approx -30$  explains neutron decay

Beck et al. PRL 2024  $a_{\beta\nu}$  using Saul PRL

2022  $A_\beta$

and is consistent with other  $\beta$  decay experiments



**Caveats:** Holstein 1984 constrains  $e/A$ , not  $e$ ;

Weak magnetism for mirror nuclei  $b/A$  is  $\propto \mu_f - \mu_i$ ;

Kubodera Delorme Rho NPB'73 do not find the coherent scaling of 2nd-class "induced tensor" term with  $A$  predicted by Lipkin.

## Induced 2nd-class "tensor" current in axial vector e-N

There are constraints from BABAR PRL 2009

but in 1st-generation 2nd-class currents are (almost by tautology) best constrained by  $\beta$  decay

Wilkinson EPJ 2005 using

General model of Kubodera DeLorme and Rho PRL 1977

A constant characterizing neutron  $\beta$  decay  
Terms with interactions between nucleons,  
short range and by meson exchange

Most recent update is Minamisono 2011  $\rightarrow$   
Do these limits allow a  $n$   $\beta$ -decay SCC?

K. MINAMISONO *et al.*

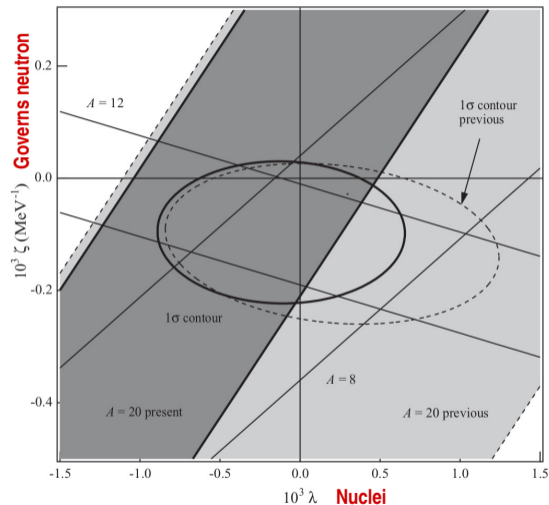


FIG. 14. KDR parameter space with  $L$  calculated without a short-range correlation. The shaded area is the present result and the light-shaded area is the previous result for the  $A = 20$  system. The solid



## Summary and Theory needs

- $^{47}\text{K}$  isospin breaking (recoils wrt nuclear spin direction) and time reversal (spin dot lepton momentum cross product)

Theory needs: corrections  $\propto$  weak magnetism that mimic time reversal

Matrix elements of nucleon-nucleon TRV interactions like  $\hat{r} \cdot p$ , compare sensitivity to existing  $^{56}\text{Co}$  measurement

- $^{92}\text{Rb } 0^- \rightarrow 0^+$  decay for reactor  $\nu$  physics

Q-value cut lets us isolate  $0^- \rightarrow 0^+$  g.s. to g.s. branch

$a_{\beta\nu}$  close to 1: we don't fully understand at low  $\beta$  energy

theory needs: Do we have the Coulomb correction right from Behrens and Bühring?

Calculation of the smaller matrix element  $\sigma \cdot r$ ?

- $^{37}\text{K}$  Mirror decay: bFierz;  $\nu$  helicity

Theory needs:  $^{38g}\text{K}$  GT  $3^+$  to  $2^+$  recoil order corrections

Isospin breaking calculations  $^{37}\text{K}$

- *Isospin breaking needs to include QCD isospin breaking somehow, to at least fix the Nolen-Schiffer-Kawamoto anomaly*

- *Community: Revisit 2nd-class currents?*

Is “Superradiant  $\nu$  Lasers from Radioactive BEC,” 2412.11765v2 B.J.P. Jones + J.A.

Formaggio ok? it looks doable

- “Superradiant  $\nu$  Lasers from Radioactive BEC,”  
2412.11765v2 B.J.P. Jones + J.A. Formaggio  
BEC of Electron Capture  $^{83}\text{Rb}$   $t_{1/2}=86$  d  
Superradiant  $\nu$  emission shortens half-life to 2.5 m

• Final-state Sr atom K-shell hole  $\Gamma=3$  eV

- $t_{1/2}=4$  hr  $^{81}\text{Rb}$ , 39% EC branch, is more practical for TRINAT

When we were trapping  $10^6$   $^{81}\text{Rb}$  atoms for Tao Kong’s experiment,  
we saw ginormous 10’s of KHz bkgnds in our  
ionMCP- electronMCP coincidence from untrapped  
atoms, Auger + X-rays?

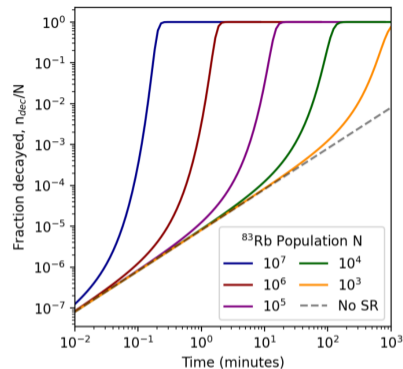


FIG. 1. Comparison of the SR and ordinary fluorescence decay rates in  $^{86}\text{Rb}$ .

Hyperfine structure looks fine for laser cooling with either. Is there a rule of thumb for the sign of scattering length for BEC stability?

Science DOI: 10.1126/science.aan5614 J. Hu et al. 358 1078 (2017) demos efficient all-optical capture of 1400 out of 2000 atoms  $^{87}\text{Rb}$  into BEC (probably needs Harvard-level toys on shelf)

## There are at least 2 ways to make 2nd-class currents in a quark model:

- Remembering Standard Model has  $\bar{u}\gamma_\mu d$  and  $\bar{u}\gamma_5 d$  terms only, add derivative terms like  $\partial_\mu \bar{u}d$  and  $\partial^\nu \bar{u}\sigma_{\mu\nu}\gamma_5 d$  **Chiral EFT has these**

These are not renormalizable, one large reason they were excluded from the Standard Model (Weinberg Phys. Rev. 112 1375 (1958)).

[One perspective is that the Standard Model itself may be an Effective Field Theory good up to some very high energy. Naively, maybe that means renormalizability is not an exact logical requirement. However, deliberately introducing a manifestly unrenormalizable term would still be a very complicated move for the main part of one's basic theory.]

- Introduce a new quantum number in addition to color and flavor! (Feynman famously called this q.n. 'smell'? ). You can also interpret this as a second set of quarks (Holstein Treiman PRD 13 3059 (1976)) carrying this quantum number.

A related scenario: recently people consider extra sectors of particles not interacting much with us, but interacting strongly among themselves.

QCD-like symmetries turn out to be a feasible way to generate dark matter.

There are tight constraints from experiment on such scenarios.

- The best experimental limits on 2nd-class currents, from dedicated  $\beta$  decay measurements, allow 2nd-class current effects about an order of magnitude larger than the known ones from charge-symmetry breaking in QCD.

The analog is:

$$|A\rangle = \frac{1}{\sqrt{2T}} \left[ \sqrt{n_1} |j_1^{n_1-1}(n) j_1(p) j_2^{n_2}(n)\rangle \right. \\ \left. + \sqrt{n_2} |j_1^{n_1}(n) j_2^{n_2-1}(n) j_2(p)\rangle \right]$$

The anti-analog  $|\bar{A}\rangle$  is then:

$$|\bar{A}\rangle = \frac{1}{\sqrt{2T}} \left[ \sqrt{n_2} |j_1^{n_1-1}(n) j_1(p) j_2^{n_2}(n)\rangle \right. \\ \left. - \sqrt{n_1} |j_1^{n_1}(n) j_2^{n_2-1}(n) j_2(p)\rangle \right].$$

**Schematic model for  $\mathcal{A}$  and  $\bar{\mathcal{A}} \Rightarrow$**

$$H_C = \langle \bar{\mathcal{A}} | V_C | \mathcal{A} \rangle \\ = \frac{\sqrt{n_1 n_2}}{2T} (\langle j_1 | V_C | j_1 \rangle - \langle j_2 | V_C | j_2 \rangle) \\ \rightarrow 0.35 \frac{\sqrt{n_1 n_2}}{2T} \frac{Z}{A^{2/3}} \text{MeV},$$

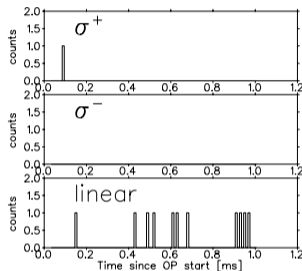
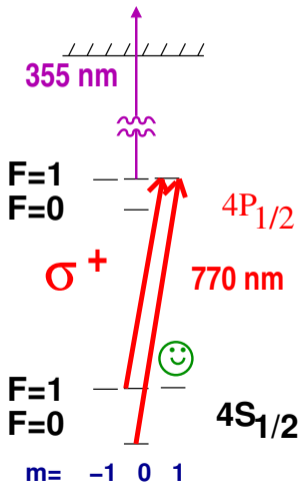
**for HO wf's and excess n's occupy 2 major shells**

**$H_C$  for many  $\beta$  decays is a small fraction of the prediction: attributed to fragmentation of  $\bar{\mathcal{A}}$  configuration among several eigenstates**

Auerbach, Loc NPA 1027 122521 (2022)

## Optical pumping of $I=1/2$ $^{47}\text{K}$

We measure by atomic techniques the polarization of the  $\beta$ -decaying nuclei



(tight cuts on timing  
wrt pulse laser and  
center position exclude  
background:  
H. Gallop. U. Waterloo)

We alternate trap/optical pumping  
Apply circularly polarized light along  $z$   
quantization axis.

Once we start OP cycle, atoms increase  
spin to maximum, then stop absorbing  
If light is linearly polarized, atoms keep  
absorbing.

When excited, a pulsed laser has enough  
energy/photon to photoionize (a small  
fraction) of them.

11 photoions while linearly polarized,  
1 photon circularly polarized  $\rightarrow$   
nuclear polarization  $96 \pm 4\%$

**$^{37}\text{K}$  polarization 2024 (PRELIM)**

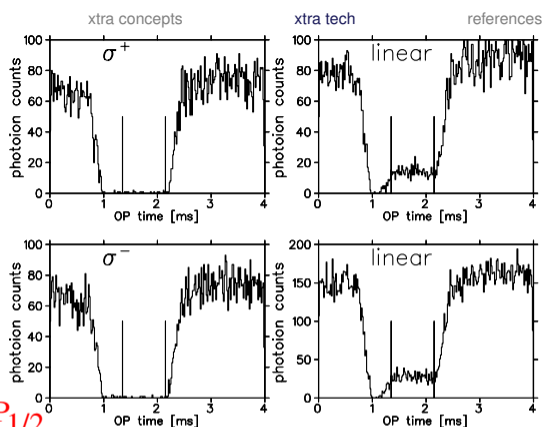
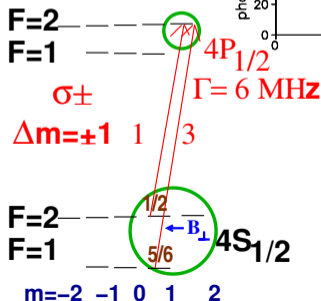
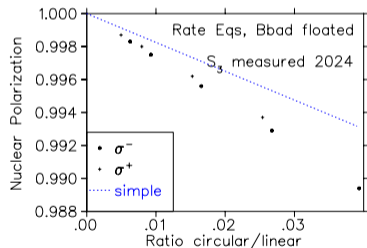
$$\sigma^+/\text{lin} = 0.027 \pm 0.006$$

$$\sigma^-/\text{lin} = 0.021 \pm 0.007$$

Rate equations with measured  $S_3$  and fit  $B_\perp \Rightarrow$ 

$$\sigma^+: I_z/I = 0.993 \pm 0.001 \text{ (stat)}$$

$$\sigma^-: I_z/I = 0.994 \pm 0.001 \text{ (stat)}$$

 $\sigma/\text{lin}$  measures change from 1.Simpler model (perfect  $S_3$ , Larmor precession only):

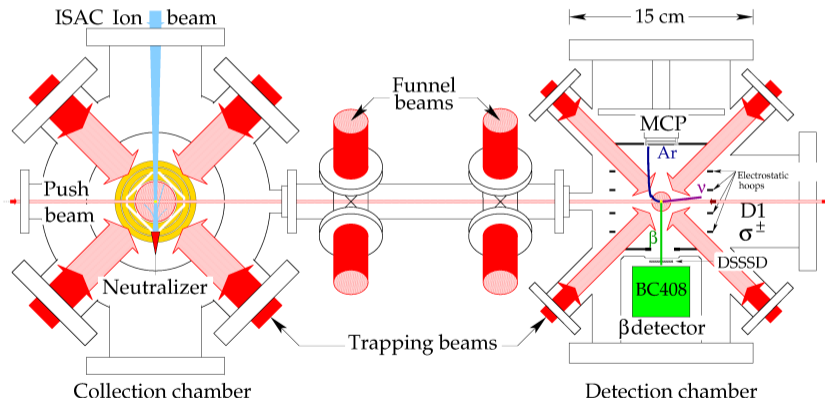
$$I_z/I \approx 1 - 0.175 N_\sigma / N_{\text{lin}}$$

0.175 is small because the main depolarized states still have very good nuclear polarization



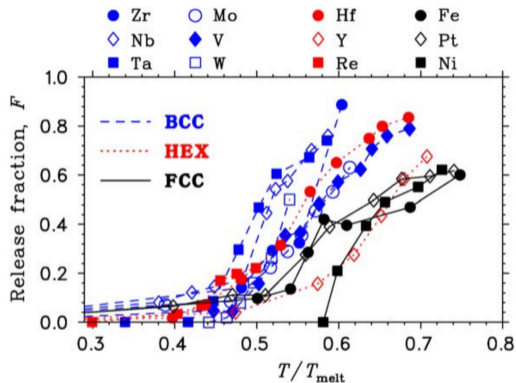
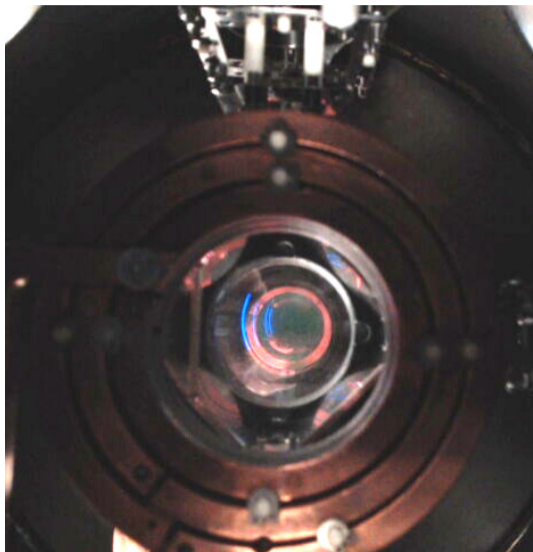
## TRINAT plan view

- Isotope/Isomer selective
- 75% transfer
- Avoid untrapped atom background with 2nd trap
- 0.7 mm cloud for  $\beta\text{-Ar}^+ \rightarrow \nu$  momentum

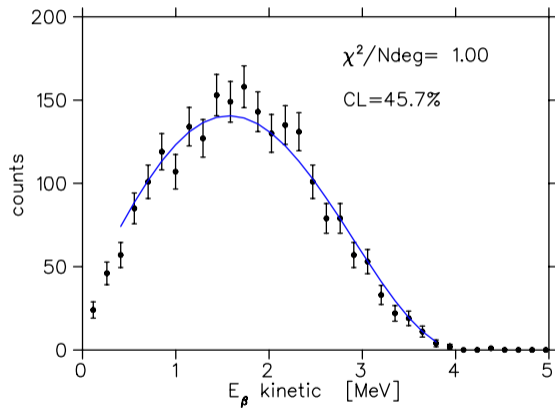
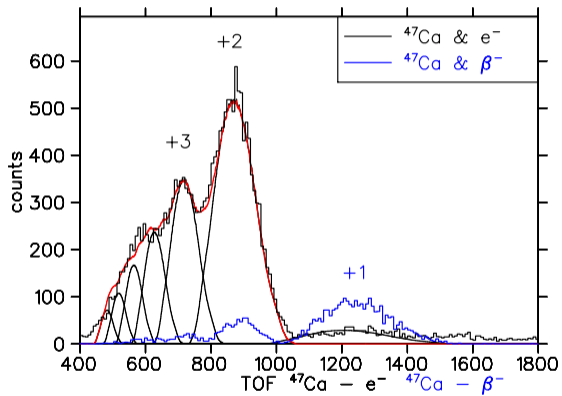


- Spin-polarized  $99.1 \pm 0.1\%$

# Neutralizer and Collection trap



## $^{47}\text{K}$ TOF and $\beta$ spectra



## $H_{\text{Coul}}$ from isospin-forbidden $\beta$ -decay

- [17] L. G. Mann, D. C. Camp, J. A. Miskel, and R. J. Nagle, New measurements of  $\beta$ -circularly-polarized  $\gamma$  angular-correlation asymmetry parameters in allowed  $\beta$  decay, *Phys. Rev.* **139**, AB2 (1965).
- [18] J. Atkinson, L. Mann, K. Tirsell, and S. Bloom, Coulomb matrix elements from  $\beta$ - $\gamma$ (cp) correlation measurements in  $^{57}\text{Ni}$  and  $^{65}\text{Ni}$ , *Nuclear Physics A* **114**, 143 (1968).
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- [22] N. Severijns, D. Vénos, P. Schuurmans, T. Phalet, M. Honusek, D. Srnka, B. Vereecke, S. Versyck, D. Zákoucký, U. Köster, M. Beck, B. Delauré, V. Golovko, and I. Kraev, Isospin mixing in the  $t = 5/2$  ground state of  $^{71}\text{As}$ , *Phys. Rev. C* **71**, 064310 (2005).
- [23] P. Schuurmans, J. Camps, T. Phalet, N. Severijns, B. Vereecke, and S. Versyck, Isospin mixing in the ground state of  $^{52}\text{Mn}$ , *Nuclear Physics A* **672**, 89 (2000).
- [24] J. J. Liu, X. X. Xu, L. J. Sun, C. X. Yuan, K. Kaneko, Y. Sun, P. F. Liang, H. Y. Wu, G. Z. Shi, C. J. Lin, J. Lee, S. M. Wang, C. Qi, J. G. Li, H. H. Li, L. Xayavong, Z. H. Li, P. J. Li, Y. Y. Yang, H. Jian, Y. F. Gao, R. Fan, S. X. Zha, F. C. Dai, H. F. Zhu, J. H. Li, Z. F. Chang, S. L. Qin, Z. Z. Zhang, B. S. Cai, R. F. Chen, J. S. Wang, D. X. Wang, K. Wang, F. F. Duan, Y. H. Lam, P. Ma, Z. H. Gao, Q. Hu, Z. Bai, J. B. Ma, J. G. Wang, C. G. Wu, D. W. Luo, Y. Jiang, Y. Liu, D. S. Hou, R. Li, N. R. Ma, W. H. Ma, G. M. Yu, D. Patel, S. Y. Jin,

Y. F. Wang, Y. C. Yu, L. Y. Hu, X. Wang, H. L. Zang, K. L. Wang, B. Ding, Q. Q. Zhao, L. Yang, P. W. Wen, F. Yang, H. M. Jia, G. L. Zhang, M. Pan, X. Y. Wang, H. H. Sun, H. S. Xu, X. H. Zhou, Y. H. Zhang, Z. G. Hu, M. Wang, M. L. Liu, H. J. Ong, and W. Q. Yang (RIBLL Collaboration), Observation of a strongly isospin-mixed doublet in  $^{26}\text{Si}$  via  $\beta$ -delayed two-proton decay of  $^{26}\text{P}$ , *Phys. Rev. Lett.* **129**, 242502 (2022).

- [25] S. D. Bloom, Isotopic-spin conservation in allowed  $\beta$ -transitions and coulomb matrix elements, *Il Nuovo Cimento* **32**, 1023 (1964).

