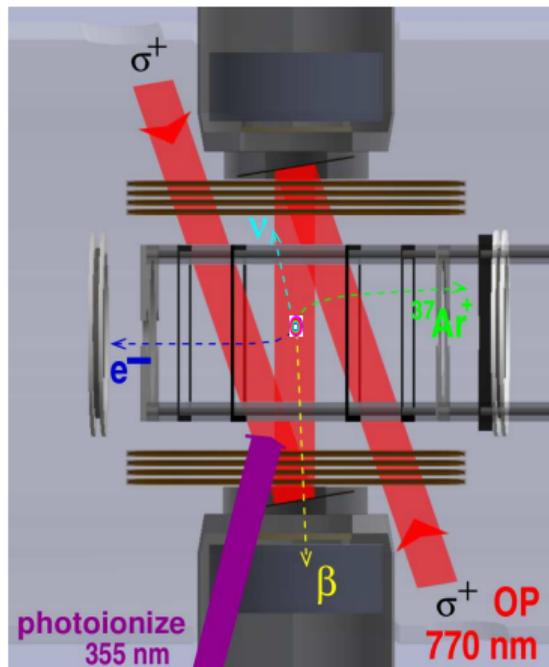


ν helicity & time-reversal breaking with TRIUMF's neutral atom trap for β decay



- get ν momentum from the decay products
- Spin-polarize ^{37}K $99.1 \pm 0.1\%$ by direct optical pumping

“Good people are key. **Be Nice.**” Jan Hall, APS DAMOP 2006 Nobel lecture

- Angular correlations of β^+ and ν are determined by their helicities (and angular momentum conservation)

We test whether parity is completely broken \leftrightarrow leptons left-handed, antileptons right-handed

In ^{37}K decay we plan the most direct ν helicity measurement since BNL 1957

- Sensitivity to time-reversal breaking $\vec{l} \cdot \vec{v}_\beta \times \vec{v}_\nu$ enhanced in isospin-forbidden β decay $^{47,45}\text{K}$



A. Gorelov
B. Kootte
J.A. Behr



J. McNeil*
Undergrad:
H. Gallop,
Waterloo
F. Klose, UBC
M. Ozen, Ottawa



UNIVERSITY
OF MANITOBA
M. Anholm*
finished
G. Gwinner



D. Melconian
J. Klimo
M. Vargas-Calderon

Supported by NSERC, NRC through TRIUMF, DOE, RBC Foundation grad student

This is traditional Wolastoqey land; TRIUMF acknowledges centuries of ongoing stewardship by the Musqueam people.

“Good people are key. **Be Nice.**” Jan Hall, APS DAMOP 2006 Nobel lecture

Nuclear and neutron β decay progress

- V_{ud} new radiative corrections break CKM unitarity at 0.1% at 3σ 😊

Seng Gorchtein Ramsey-Musolf PRD 100 013001 (2019)

Seng PRL 130 152501 (2023) $(1 - q^2 R_{\text{weak}}^2)$ fixes CKM but breaks CVC? 😊 😊

- PERKEO III has improved neutron $A_\beta[E_\beta]$, including a Fierz term measurement Saul PRL 115 112502 (2020)

- aSPECT $a_{\beta-\nu}$ Beck PRC 101 055506 (2020) differs by 0.008 at 2.8σ from PERKEO III in GT/F. 😊

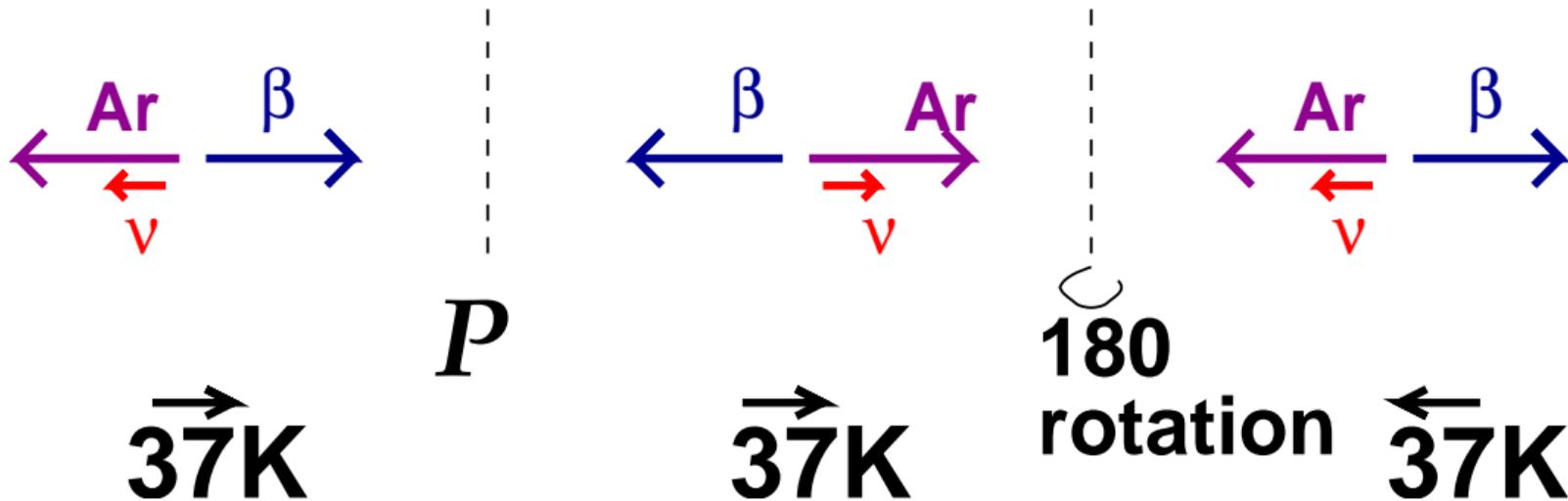
Consistent with a Lorentz tensor (i.e. not like E&M vector!)
coupling to right-handed ν (global fit Falkowski JHEP04 (2021) 126)

yet ANL ${}^8\text{Li}$, ${}^8\text{B}$ β decay in a Paul trap Burkey PRL 128 202502 (2022); Sargsyan PRL 128 202503 (2022)
agrees with SM in tension with aSPECT as a Lorentz tensor 😊

Decays: Parity Operation can be simulated by Spin Flip

Under Parity operation \mathcal{P} :

$$\vec{r} \rightarrow -\vec{r} \quad \vec{p} \sim \frac{d\vec{r}}{dt} \rightarrow -\vec{p} \quad \vec{J} = \vec{r} \times \vec{p} \rightarrow +\vec{J}$$



\Rightarrow A spin flip corresponds exactly to \mathcal{P} reversal.

Decays **don't** exactly test T -reversal symmetry because $|i\rangle \leftrightarrow |f\rangle$ ☹️



One experimental discovery of parity violation

**Wu, Ambler, Hayward,
Hopper, Hobson,
PR 105 1413 Feb '57**
**Dilution Refrigerator to
spin-polarize**

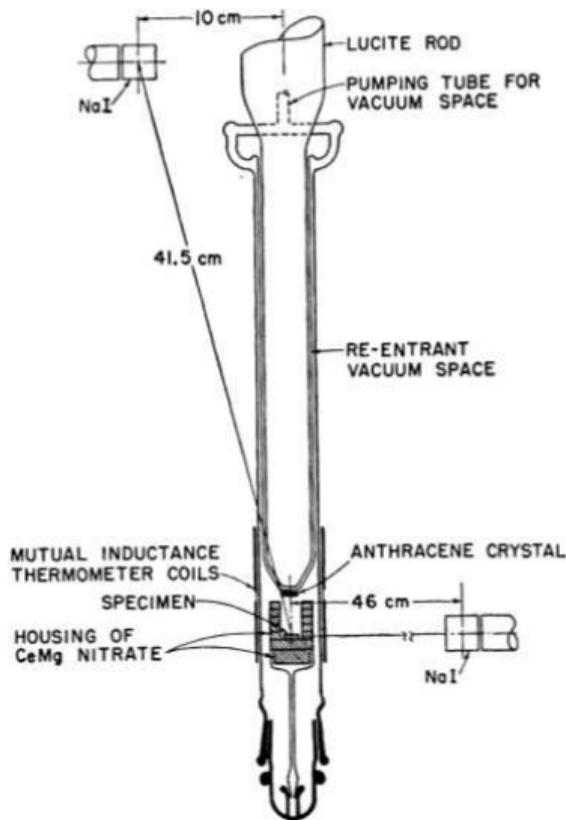


$$I^\pi = 5^+ \quad 4^+$$

$$W[\theta] = 1 + PA\hat{\mathbf{I}} \cdot \frac{\vec{p}_\beta}{E_\beta}$$

$$= 1 + A\frac{V}{c}\cos[\theta]$$

$$A_{\beta^-} \approx -1.0$$



This measures the β^- helicity, but not ν

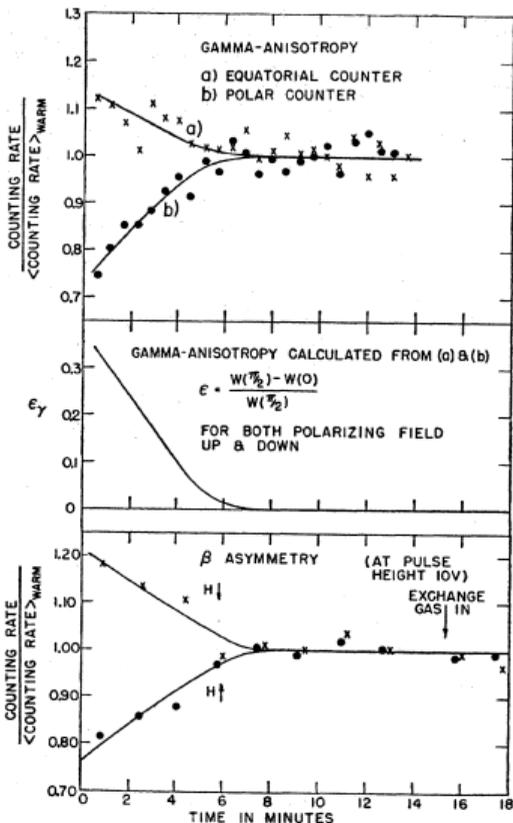


FIG. 2. Gamma anisotropy and beta asymmetry for polarizing field pointing up and pointing down.

Measure ν helicity $\epsilon = \hat{s}_\nu \cdot \hat{k}_\nu$ directly: transfer \hat{s}_ν to γ circular polarization; boost \vec{k}_γ by $\pm \vec{k}_\nu$

Goldhaber, Grodzins, Sunyar
Phys Rev 109 1015 (Dec 1957)

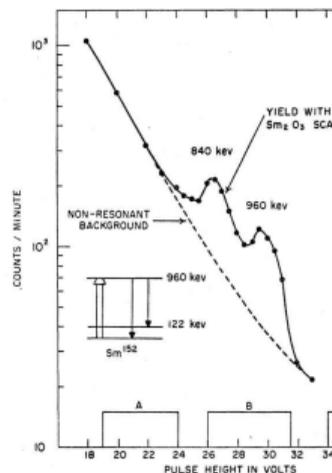
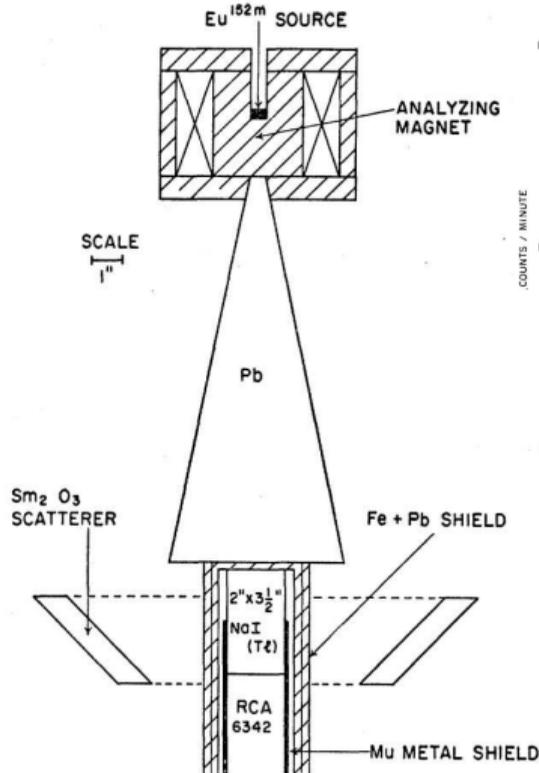
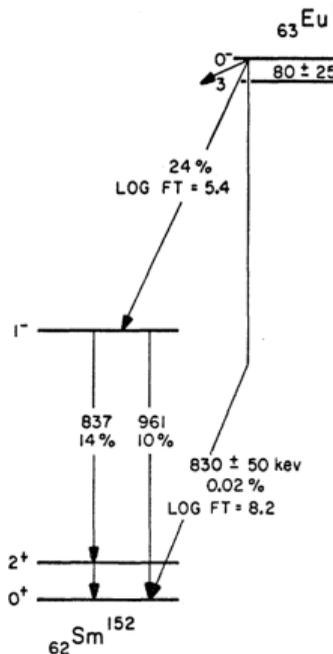
• Upward-going ν populates
 $\langle I_z \rangle = 0, +1$ **not -1**

• So γ is circularly polarized—
transmission through magnet
depends on iron polarization:

$$\frac{N_+ - N_-}{N_+ + N_-} = 0.017 \pm 0.003$$

• Upward ν boosts γ
momentum so it can be
absorbed on-resonance
 $\Rightarrow \nu$ helicity $-1 \pm 10\%$

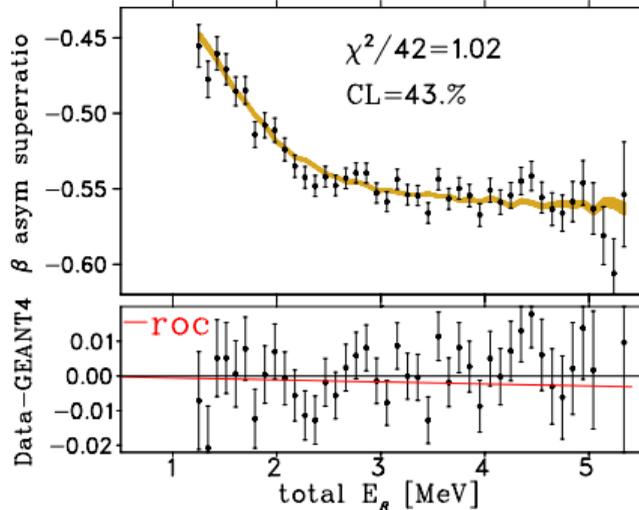
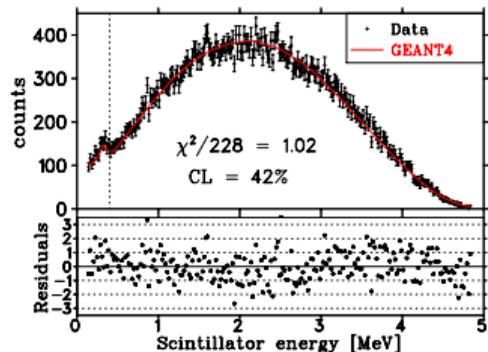
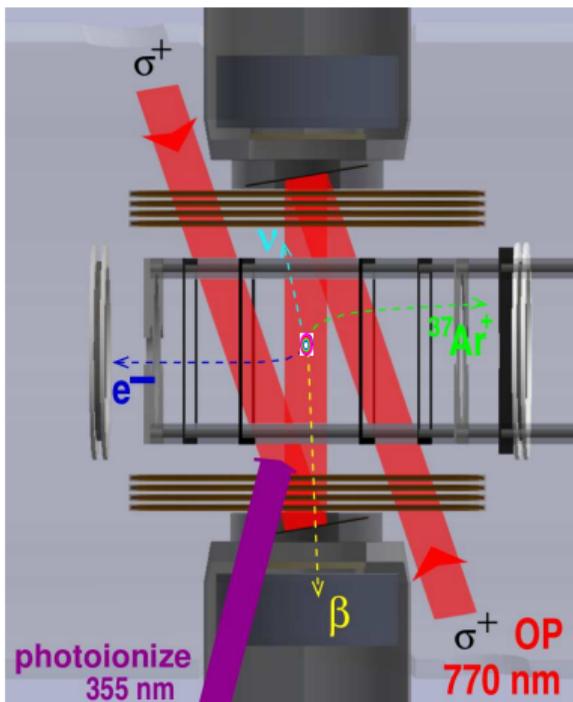
(• $\bar{\nu}$ helicity $\sim +1$
Palathingal PRL 524 24 '69)



Surprisingly enough, this is the best **direct** measurement of ν helicity = $\hat{s}_\nu \cdot \hat{k}_\nu$



β^+ asymmetry ^{37}K data



Fenker et al. Phys Rev Lett 120, 062502 (2018)

A_β [experiment] =
 -0.5707 ± 0.0019

A_β [theory] =
 -0.5706 ± 0.0007

Neutron and ^{19}Ne have since achieved similar fractional accuracy

$A_\beta[E_\beta]$ constrains $(1+b_{\text{Fierz}}m/E)$ M. Anholm Ph.D. thesis, U. Manitoba, Dec 2022

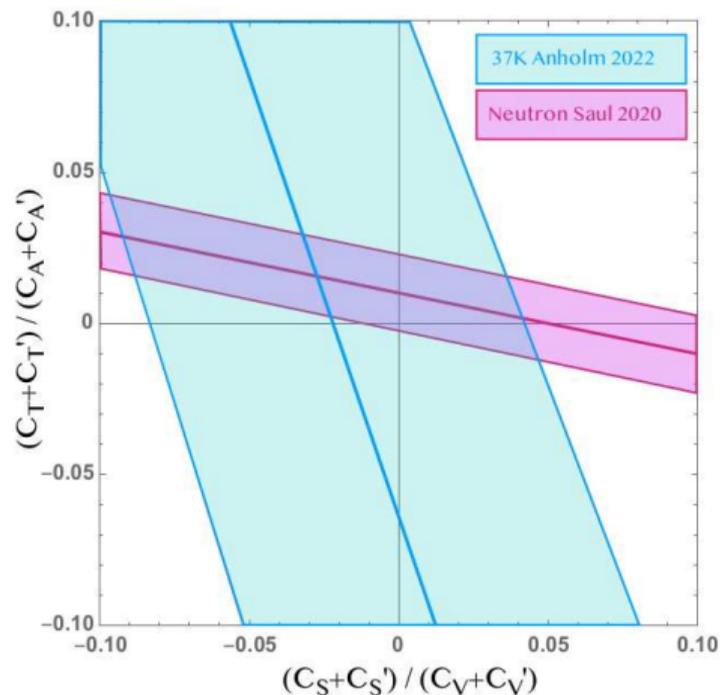
Uncertainty budget

Scintillator Calibration	0.003	
Scintillator Threshold	0.004	
DSSD Individual Strip SNR	0.006	
DSSD Energy Agreement	0.005	
DSSD Detection Radius	0.006	
DSSD Energy Threshold	0.005	
Atomic Cloud	0.002	
Background	0.004	
Beta Scattering	0.031	→ 0.010
Low Energy Tail	0.008	
Mirror Thickness	0.013	→ 0.001
DSSD Thickness	0.013	
Beryllium Foil Thickness	0.004	

Total Systematics 0.039 → 0.022

$$b_{\text{Fierz}} = 0.033 \pm 0.084(\text{stat}) \pm 0.039(\text{syst})$$

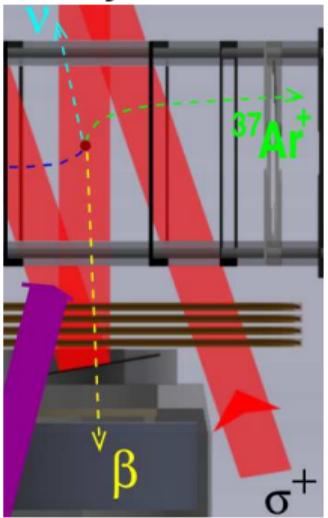
Projected



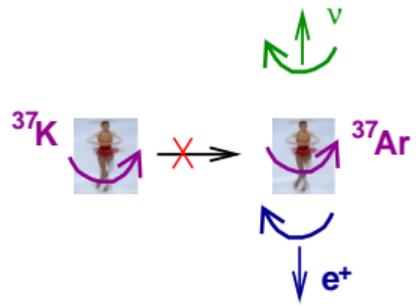
S,T sensitivity is complementary to neutron β decay
 $|M_{GT}|^2 \approx 3/5$ for ^{37}K , 5x smaller than in neutron decay

TRIUMF
Isobaric mirror

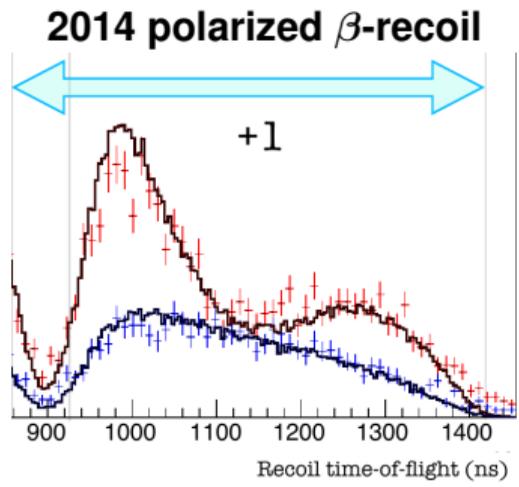
decay has
helicity-driven null



A different isospin mirror-decay spin-polarized observable



Nearly direct ν
helicity
measurement
(assuming the β^+
helicity)



$I^\pi = 3^+ \rightarrow 2^+$ decay of ^{38g}K or
 $I^\pi = 1^+ \rightarrow 0^+$ ^{80}Rb would
complete a direct ν helicity
determination

$$W(\theta, P) \approx 1 + a_{\text{pol}} \cos(\theta_{\beta\nu})$$

where $a_{\text{pol}} = (A_\beta - B_\nu)P - a_{\beta\nu} + 2c/3 = 1$ or 0 , independent of $\frac{M_{GT}}{M_F}$

The neutron community checks this combination of observables for consistency

Mostovoi+Frank Pis'ma Zh. Eksp. Teor. Fiz. 24 45 (1976)



Discovery potential ^{37}K A_β , A_{recoil} , a_{pol}

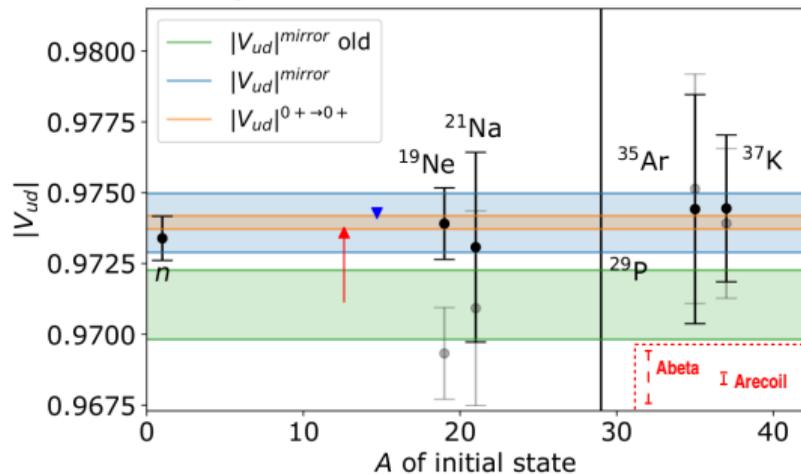


Deduced V_{ud} from mirror decays

Hayen and Young,

arXiv:2009.11364

including G-T radiative correction

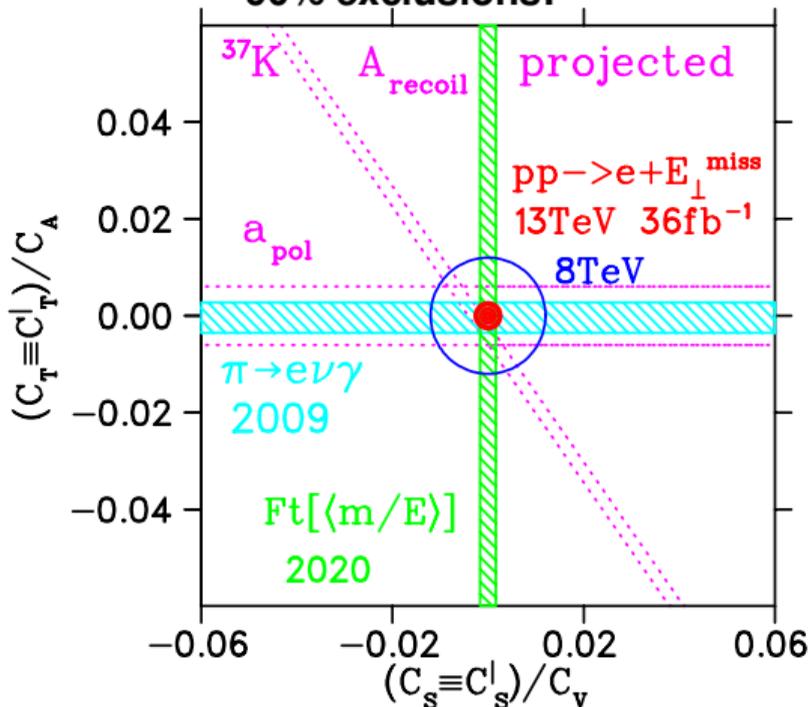


We **project** to reach 0.0005 accuracy,
as good as any $0^+ \rightarrow 0^+$ except ^{26m}Al .
Assumes 5% isospin calculation.

A_{recoil} depends on $M_{\text{GT}}/M_{\text{F}}$,

a_{pol} does not

90% exclusions:



Assuming T2K confirms CP Nature 580 339 (2020) and convincingly generates Sakharov's baryon asymmetry, looking for \mathcal{T} remains kewl for its own sake

When designing \mathcal{T} decay experiments like $D \vec{I} \cdot \vec{v}_\beta \times \vec{v}_\nu$:

- What underlying physics generates the \mathcal{T} ?

parity-even isospin-breaking nucleon-nucleon interactions

- (For Decays) How big are the 'final state effects'?

Estimate in $^{47,45}K$ is much smaller than our projected experimental uncertainty

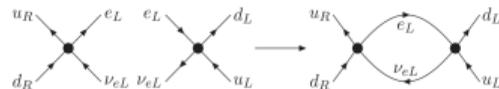
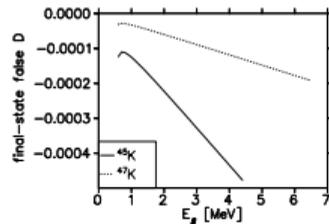
- Is anyone else doing it better?

Our projected sensitivity to \mathcal{T} parity-even interactions is similar to NOPTREX neutron resonance experiments. Isospin-breaking \mathcal{T} makes us complementary

- How strong are the constraints from null EDM's?

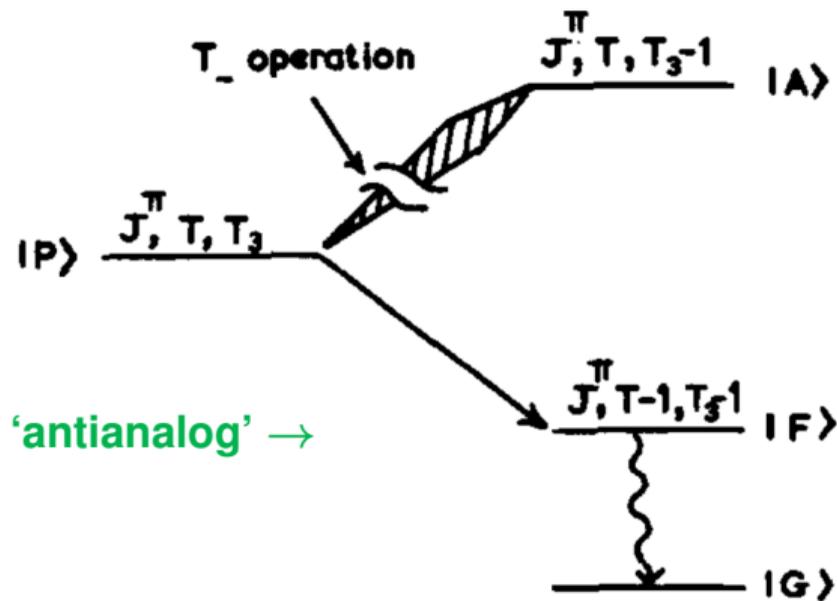
By specializing to isospin-breaking \mathcal{T} , we relax the Ng-Tulin bound— i.e. $D < 10^{-4}$ from neutron EDM— by about two orders of magnitude

PRD85 033011



\mathcal{T} in isospin-hindered β^- decay

Barroso and Blin-Stoyle, PL 45B 178 (1973) observables:



'antianalog' \rightarrow

So for \mathcal{T} physics mixing $|F\rangle$ with $|A\rangle$, then $V_{\mathcal{T}}$ is only competing with V_{Coul} , not V_{strong} , enhancing α_V by $\sim 10^3$ 😊

$$D \hat{J} \cdot \frac{\vec{p}_\beta}{E_\beta} \times \frac{\vec{p}_\nu}{E_\beta}$$

$$E_1 (\hat{J} \cdot \hat{k}_\gamma) (\hat{J} \cdot \hat{p}_\beta \times \hat{k}_\gamma)$$

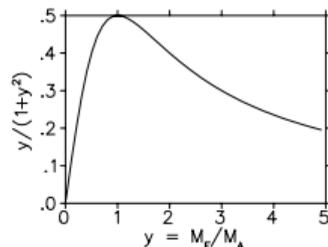
D, E_1 are both proportional to

$$K = \frac{\text{Im}(G_V G_A^* M_V M_A^*)}{|G_V|^2 |M_V|^2 + |G_A|^2 |M_A|^2}$$

$$= y / (1 + y^2) \sin(\alpha_V - \alpha_A)$$

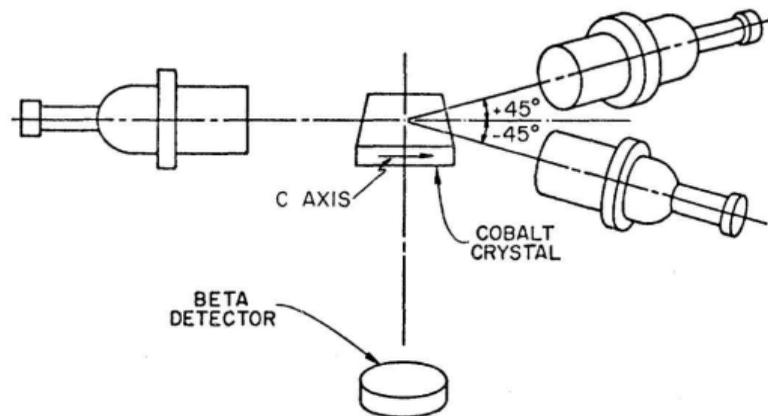
$$\text{with } y = \frac{g_V |M_V|}{g_A |M_A|}$$

In this system, $\tan \alpha_V = -i \frac{\langle F | V_{\mathcal{T}} | A \rangle}{\langle F | V_{\text{Coul}} | A \rangle}$



^{56}Co \mathcal{T} experiment

Asymmetry of the 45° γ detectors with nuclear alignment



“Test of time-reversal invariance in the beta decay of ^{56}Co ”

Calaprice, Freedman, (Princeton);
Osgood, Thomlinson (BNL)
PRC 15 381 (1977)

$$E_1 = -0.01 \pm 0.02$$

$\log(ft) = 8.7$, yet known allowed:
 E_β spectrum, no β - γ correlation)

$y = -0.13 \pm 0.02$ PRC 26 287R (1982)
Markey, Boehm (RIP Felix 2021)

$$V_{\text{Coul}} = 2.9 \text{ keV}, V_{\mathcal{T}} = 54 \pm 110 \text{ eV}$$

(J.L. Mortara Ph.D. thesis 1999 UCB

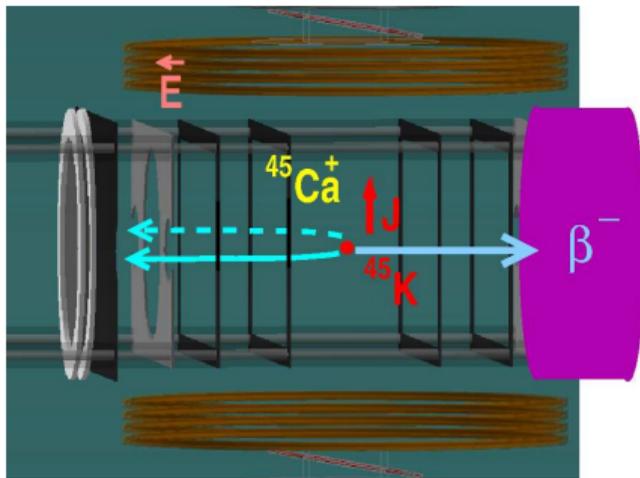
$$E_1 = -0.001 \pm 0.006$$

$$\Rightarrow V_{\mathcal{T}} = 5 \pm 33 \text{ eV}$$

We believe we can measure D in $^{47,45}\text{K}$
much more accurately than E in ^{56}Co ,
but we must find a case with $|M_{GT}|$,
 V_{Coul} , and \mathcal{T} N-N matrix elements to
allow complementary or better
sensitivity to $V_{\mathcal{T}}$



$D \vec{l} \cdot \vec{v}_\beta \times \vec{v}_\nu$ in atom trap: Features, Systematics



- Collect recoils going into 4 pi with electric field of 1 kV/cm
- Full reconstruction of recoil and beta momenta
- Point source: we know where it is (by sampling photoionization) and it doesn't move when we flip the polarization

D Uncertainties / 100 scaling from Melconian PLB 649 270 (2007)

	B_ν	Improvements	Projected
Cloud position σ^\pm	1.3	$\pm 500 \mu\text{m} \rightarrow \pm 20 \mu\text{m}$	0.05
Cloud size/Temp	0.3	" "	0.03
MCP Position cal	1.0	DLA+ mask	≤ 0.1
\hat{x} -OP alignment	0.25	Geometry is \perp	≤ 0.02
E field	0.2		≤ 0.1

- Any stray polarization along wrong axis is deadly, a lowest-order fake D : Measure with singles asymmetry for recoils and β 's

Motivation for Analog-antianalog mixing

N. Auerbach, B.M. Lo arXiv:2101.06199v3

Coulomb corrections Fermi β decay

- $A\bar{A}$ mixing ($T > 1$: only $T=2$ 0^+ for V_{ud} are affected)

$\delta_C[A\bar{A}]$ can be a few %.

They consider nuclei with the excess neutrons occupying orbits in different major shells, with relatively small isospin.

$A\bar{A}$ mixing explains isospin-forbidden particle decays, Γ_A :
A a well-defined single resonance.

Fragmentation of \bar{A} is usually greater, but...

HO estimate: $\langle \bar{A} | V_C | A \rangle = 0.35 \frac{\sqrt{n_1 n_2}}{2T} \frac{Z}{A^{2/3}} \text{ MeV}$

^{88}Sr 250 keV Skyrme interactions \Rightarrow 250 to 310

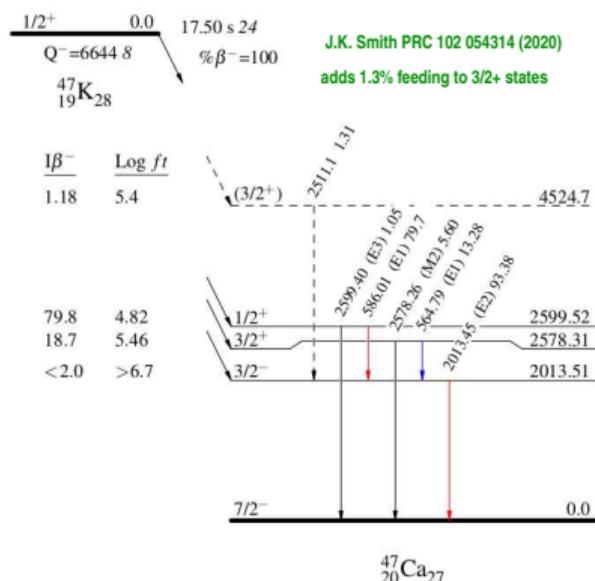
^{71}As 300 28 ± 4 Severijns PRC 71 064310 2005 Fragmented \bar{A}

^{56}Co 160 2.9 ± 0.5 Markey PRC 26 287R 1982 Fragmented \bar{A}

^{45}K 200 ? \bar{A} fragmented like ^{71}As ?

^{47}K 190 \bar{A} might be one state! 😊

$A=32$ $\delta_C=0.25\%$ $T=2$ A $\delta_C=1-2\%$ Melconian PRL 107 182301 2011



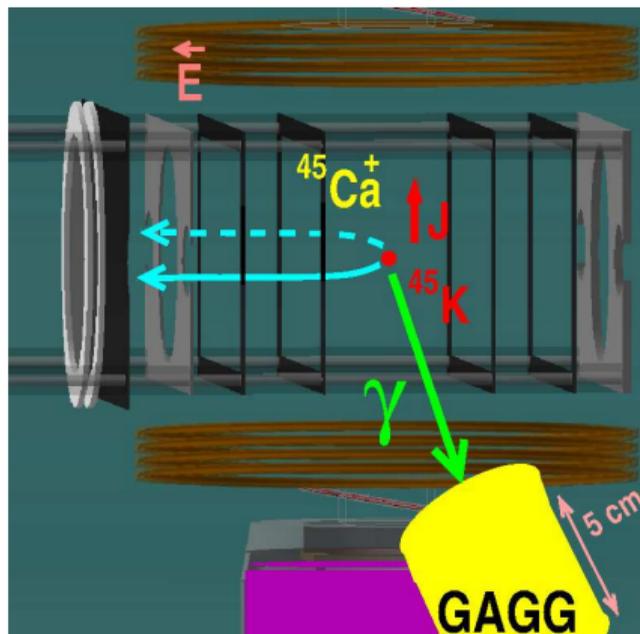
The analog is:

$$|A\rangle = \frac{1}{\sqrt{2T}} [\sqrt{n_1} |j_1^{n_1-1}(n) j_1(p) j_2^{n_2}(n)\rangle + \sqrt{n_2} |j_1^{n_1}(n) j_2^{n_2-1}(n) j_2(p)\rangle]$$

The anti-analog $|\bar{A}\rangle$ is then:

$$|\bar{A}\rangle = \frac{1}{\sqrt{2T}} [\sqrt{n_2} |j_1^{n_1-1}(n) j_1(p) j_2^{n_2}(n)\rangle - \sqrt{n_1} |j_1^{n_1}(n) j_2^{n_2-1}(n) j_2(p)\rangle].$$

A_{recoil} to measure $\langle F | V_{\text{Coul}} | A \rangle$ in $^{45,47}\text{K}$



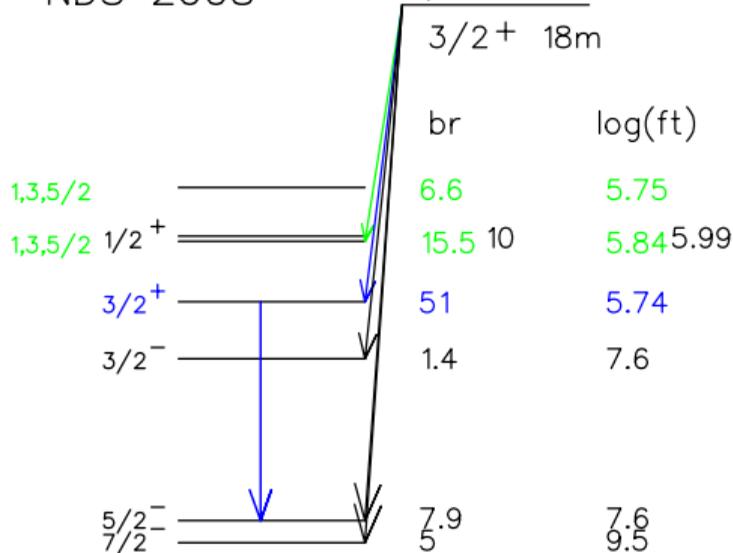
- $A_{\text{recoil}} \propto A_{\beta} + B_{\nu}$ $A_{\text{recoil}} \xrightarrow{\rho_{\text{recoil}} \gg m_{\beta}} 5/8(A_{\beta} + B_{\nu})$
 - So $A_{\text{recoil}} = 0$ for pure Gamow-Teller
- $A_{\text{recoil}} = 2\sqrt{\frac{J}{J+1}} G_V M_V / G_A M_A$
linear in M_V / M_A
- Recoil- γ coincidences to select the antianalog

A_{recoil} Uncertainties*100

	B_{ν}	Improvements	Projected
Melconian PLB 649 270 (2007)			
Polarization	0.8	B_{\perp}, σ^{\pm}	0.05
Cloud position	1.3	$500 \mu\text{m} \rightarrow 20 \mu\text{m}$	0.05
Cloud size/Temp	0.3	“ ”	0.03
MCP Position cal	1.0	DLA+ mask	≤ 0.1
E field	0.2	Data at 2 fields	≤ 0.1

We measured $A_T = 0.015(29)(19)$ for G-T decay of ^{80}Rb see Pitcairn PRC 79 015501 (2009)

NDS 2008

 ^{45}K $Q=4197$ 

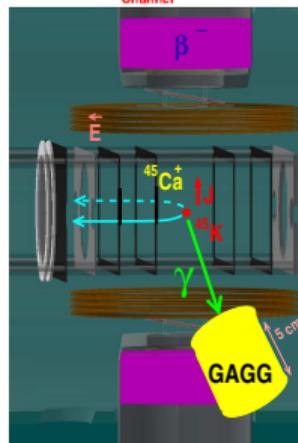
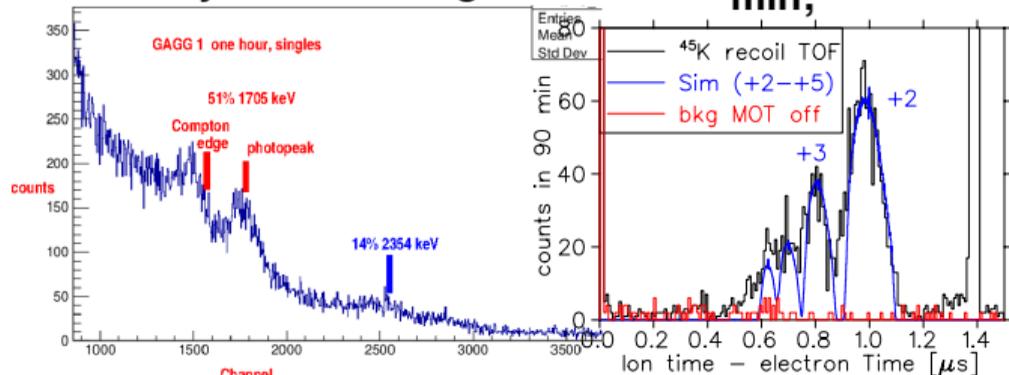
51% branch to $3/2^+$ state in ^{45}Ca .

Should include the antianalog configuration,

$$\langle F | V_{\text{coul}} | A \rangle \sim 5 \text{ to } 50 \text{ keV ?}$$

A_{β} , A_{recoil} would answer 15.5% branch to $1/2^- 3/2^- 5/2^-$?

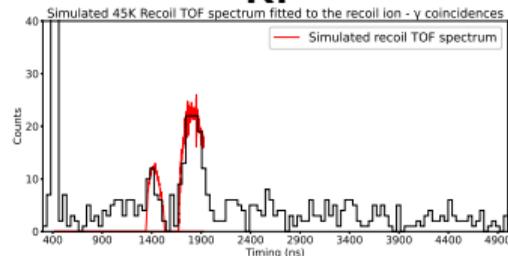
^{45}K decay to antianalog



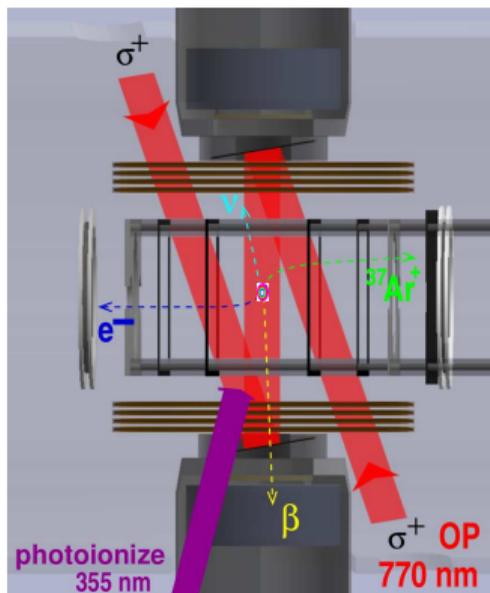
shakeoff e^- & recoil
clean even for $t_{1/2}=18$
min;

γ & recoil is a challenge
that will be cleaner in

^{47}K :



ν helicity & time-reversal breaking with TRIUMF's neutral atom trap for β decay



- $p_{37\text{Ar}}$: uniform \vec{E} ,
MCP for TOF and position
- p_β : from $\delta E + E$
 $\rightarrow p_\nu$ event-by-event
- Spin-polarized ^{37}K $99.1 \pm 0.1\%$
- Our ν 's must have $m_\nu < 5 \text{ MeV}$

- Angular correlations of β^+ and ν are determined by their helicities (and angular momentum conservation)
We want to improve our A_β measurement in ^{37}K decay (and A_{recoil} , a_{pol}) to ask: is parity completely broken? \leftrightarrow leptons left-handed? , antileptons right-handed?
- We plan the most direct ν helicity measurements since BNL 1957

- ν spectrum from fission product ^{92}Rb
- \mathcal{T} in $p_\gamma \cdot p_\beta \times p_\nu$ would be unique in first generation

- Measuring ~~isospin~~ in $^{47,45}\text{K}$ will measure antianalog configuration purity and determine sensitivity to parity-even ~~isospin~~ \mathcal{T} interactions via $D\vec{T} \cdot \vec{v}_\beta \times \vec{v}_\nu$

Entanglement? \rightarrow

entanglement ? consider EC decay in an atom trap next to SNO+



Given:

- Cohen Glashow Ligeti PLB 678 191 (2009): ψ_f has ν_e mass eigenstates entangled with $\psi_{131\text{Xe}}$ to keep E and p conserved

- Formaggio Kaiser Murskyj Weiss PRL 117 050402 (2016)

ν oscillations show Leggett-Garg inequality

- Kayser Kopp Robertson Vogel PRD 82 093003 (2010): recovered the standard oscillation relation between path length, E_ν , and m_ν

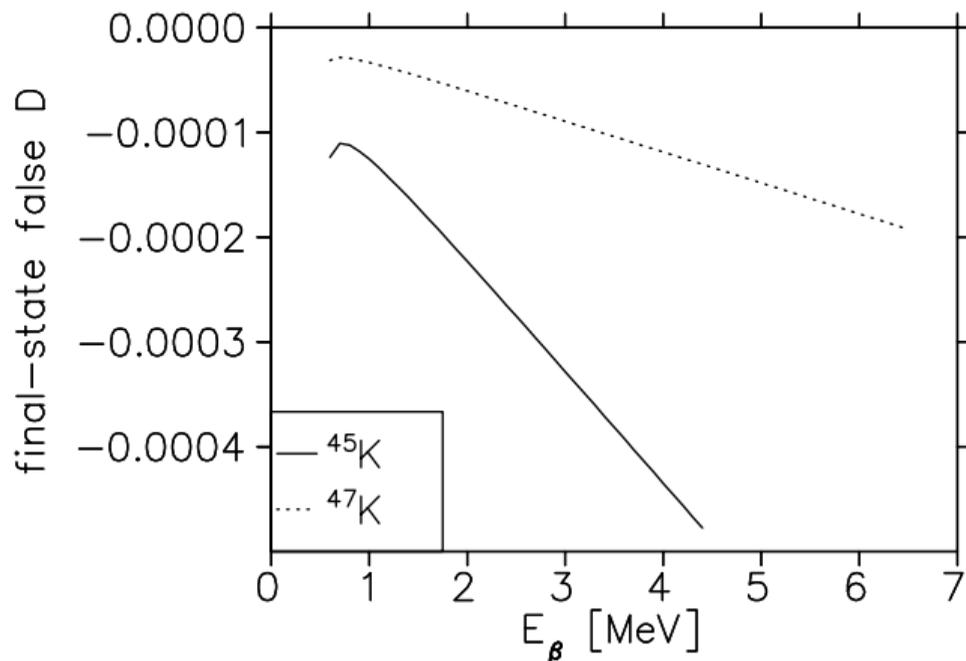
It is simple to sweep the electric field collecting the ${}^{131}\text{Xe}$ to change detection t over the range of t's of SM ν_e oscillations to cover the normal (or inverted) hierarchy i.e.

10^{-4} or 10^{-2} eV² \rightarrow 10^4 or 10^2 m \rightarrow 300 μs or 3 μs

? Does this cause some kind of Leggett-Garg inequality or delayed-choice experiment?



Final-state (false) D



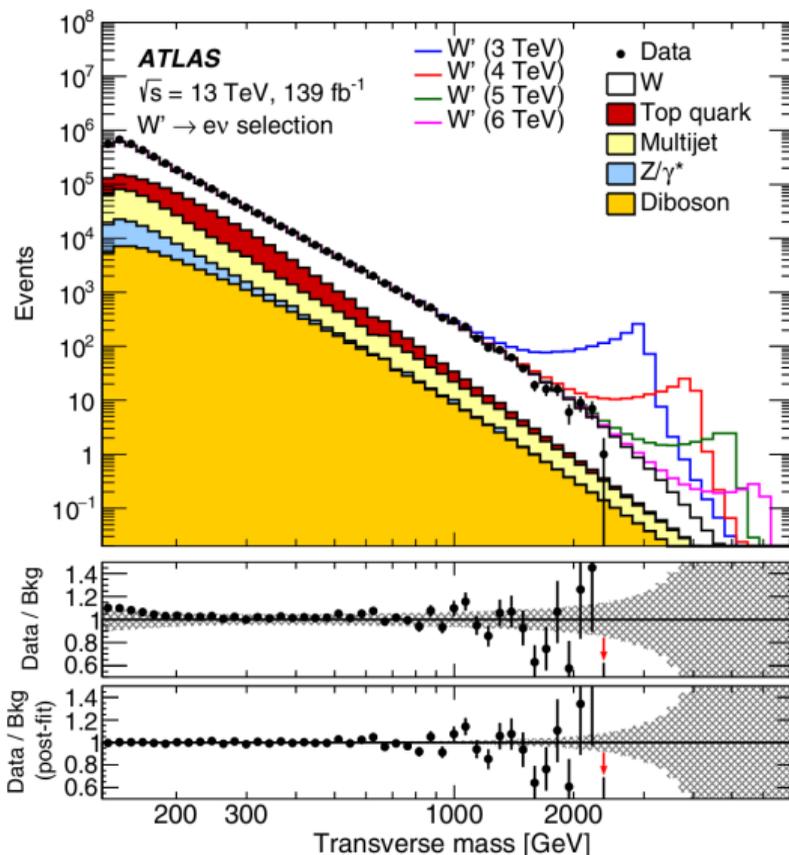
For ^{56}Co final-state $E_1=0.0002$
(Calaprice 1977)

Holstein PRC 5 1529 (1972)

- Assumes weak magnetism b and induced tensor d are single-particle values, not suppressed like $M_A \Rightarrow$ Should be an upper limit
- Needs a full calculation, but should be OK



Quasi-direct limits from high-energy colliders: update



LHC13 $\sigma[p + p \rightarrow e + \text{missing } p_{\perp}]$

is related to $n \rightarrow p + e + \nu$
 by EFT (to scale the momentum
 transfer dependence, etc.)

see Gonzalez-Alonso, Naviliat-Cuncic,
 Severijns, Prog Par Nuc Phys 104 165
 (2019):

← 13 TeV data:

ATLAS expected 3, saw 2

Phys Rev D 100 052013 2019

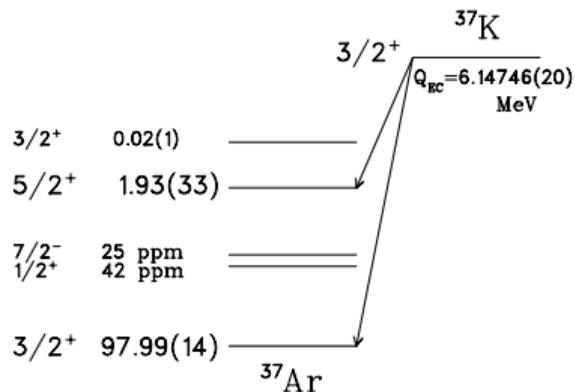
CMS expected 2.5 events,
 saw 2 JHEP06 128 2018

LHC won't say more until ~ 2025

**A tight constraint on exchange of new
 TeV-scale bosons**



^{37}K : TAMU Ft progress: recoil-order corrections status



$\mathcal{F}t$ (Shidling PRC 2014) = 4576 ± 8 s

Ozmetin et al. TAMU
Branch to $5/2^+$ improved

→ PRELIM 4585 ± 4 s

~0.0005 for V_{ud} from A_{recoil}
becomes possible

CVC \Rightarrow most important
corrections:

$\mu \Rightarrow b_{WM}$

(small for $\pi d_{3/2}$)

Induced tensor $d_1 \approx 0$
for isobaric mirror

Q \Rightarrow largest 2nd-order
recoil + Coulomb +
finite-size \Rightarrow

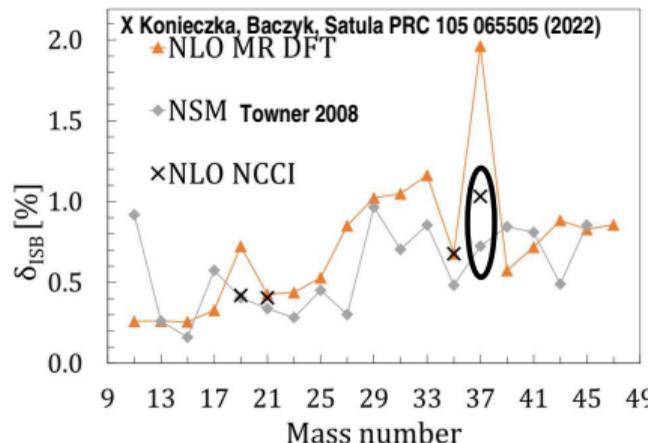
$\Delta A_{\beta} \approx -0.0028$ (E_{β}/E_0)

Holstein RMP 1975

Our deduced V_{ud} from ^{37}K

A_{β} agrees with Hayen

Young arXiv:2009.11364



**DFT with extra
isospin-breaking QCD
isovector interactions tuned
to fix Nolen-Schiffer anomaly
in mirror masses differs from
Towner 2008 for ^{37}K β decay**



Polarization=0.991(1) → projected 0.9960(5)



0.25 mm SiC-backed mirrors → pellicles for less β^+ scattering

Stern Family of National Photocolor



**70nm Au +
4 μ Kapton
5 λ flatness**

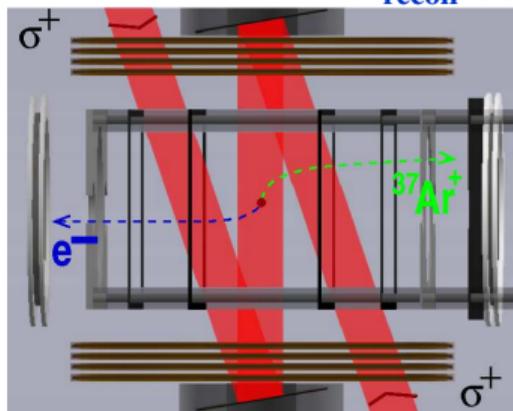
Source	ΔP [$\times 10^{-4}$]		ΔT [$\times 10^{-4}$]		ΔP
	σ^-	σ^+	σ^-	σ^+	σ^-
SYSTEMATICS					PROJ
Initial T	3	3	10	8	2
Global fit v. ave	2	2	7	6	1
S_3^{out} Uncertainty	1	2	11	5	0
Cloud temp	2	0.5	3	2	1
Binning	1	1	4	3	0
B_z Uncertainty	0.5	3	2	7	0.5
Initial P	0.1	0.1	0.4	0.4	0.1
Require $\mathcal{I}_+ = \mathcal{I}_-$	<u>0.1</u>	<u>0.1</u>	<u>0.1</u>	<u>0.2</u>	0
Total Systematic	5	5	17	14	2.5
STATISTICS	7	6	21	17	4

- PCTFE viewport seals
- Lower-frequency AC-MOT
- Double OP power: fight Larmor precession
- Better spin flips TnLC
- 2x more photoionizing light
- **Uncertainty $\propto (1 - P)$**

Patient undergrads lead most of these improvements

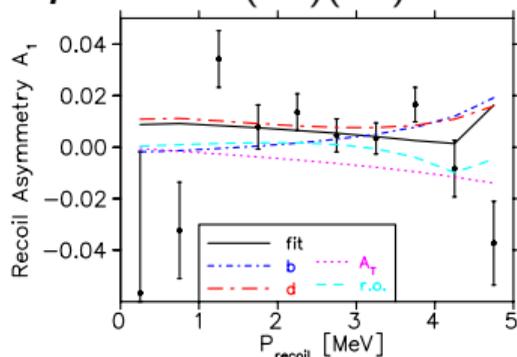


$A_{\text{recoil}} \propto A_{\beta} + B_{\nu}$ in ^{37}K decay

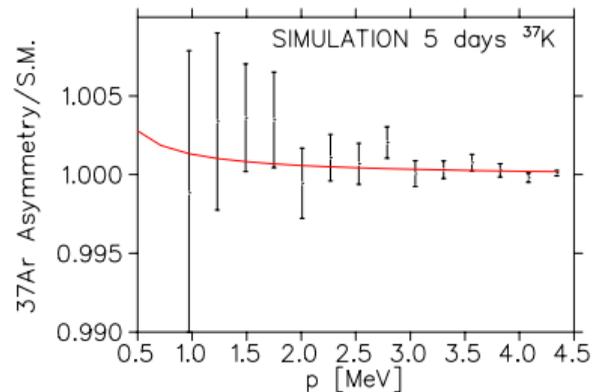
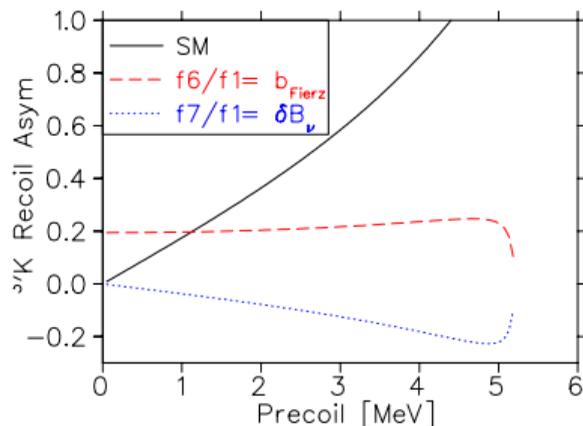


see ^{80}Rb Pitcairn PRC09

$A_T = 0.015(29)(19)$



$A_{\text{recoil}}[p_{\text{recoil}}]$ independent of $M_{\text{GT}}/M_{\text{F}}$



A_{recoil} Uncertainties / 100 scaling from Melconian PLB 649 270 (2007)

	B_{ν}	Improvements	Projected
Polarization	0.8	B_{\perp}, σ^{\pm}	0.05
Cloud position	1.3	$500 \mu\text{m} \rightarrow 20 \mu\text{m}$	0.05
Cloud size/Temp	0.3	" "	0.03
MCP Position cal	1.0	DLA+ mask	≤ 0.1
E field	0.2	Data at 3 fields	≤ 0.1



Improvements TRIUMF

- **Minimize Background by sweeping away e^- with larger \vec{E}**
- **Reduce scattering by 2 with lower-Z materials**
Improve understanding
- **Reduced energy threshold using pellicle mirrors**
- **Improve statistics**

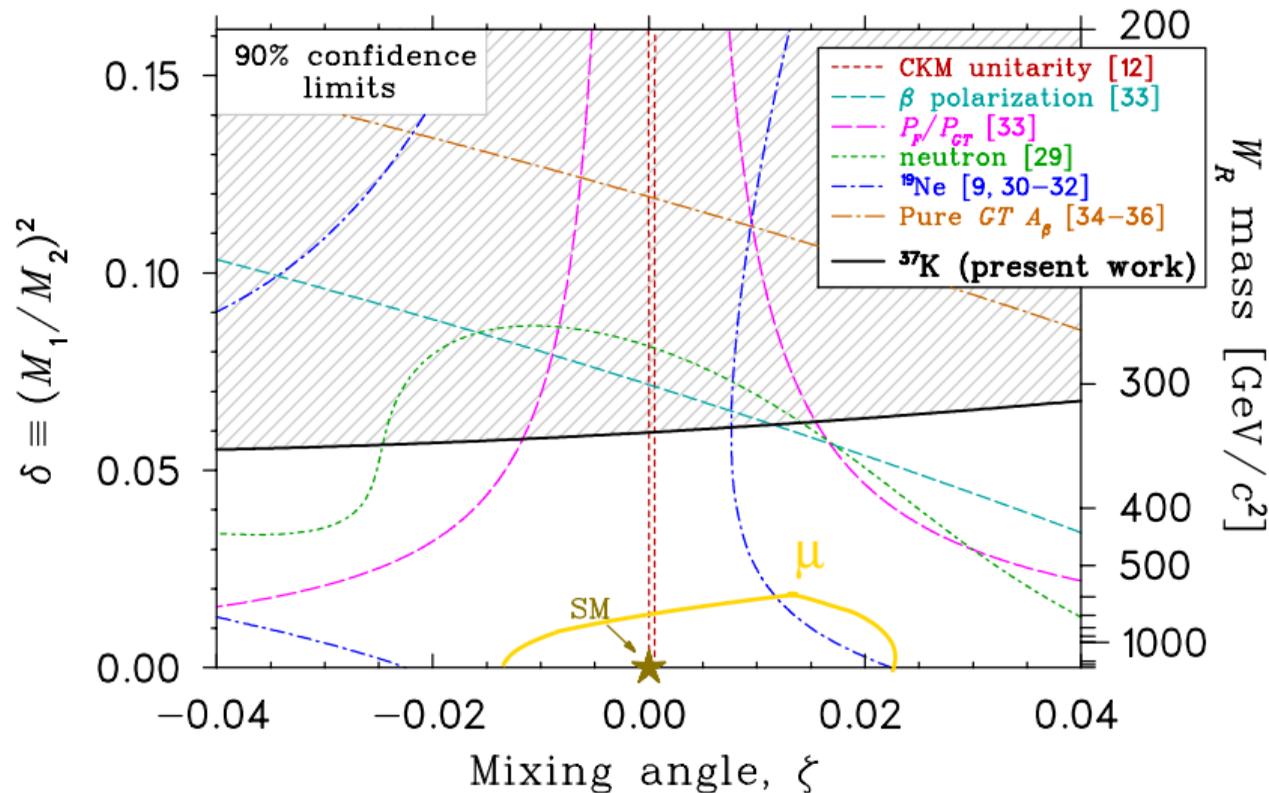
Uncertainty budget for A_β :

Items with † are related to β scattering.

A_β Systematics	$\Delta A_\beta \times 10^{-4}$	Proj
Background (Correction 1.0014 1.0000)	8	0
β scattering† (Correction 1.0234 1.01)	7	3
Trap Position (typ. $\leq \pm 20 \mu\text{m}$)	4	2
Sail velocity (typ. $\leq \pm 30 \mu\text{m}/\text{ms}$)	5	3
Temperature (typ. $\leq 0.2\text{mK}$) & width	1	0.7
BB1 Radius† $15^{+3.5}_{-5.5}$ mm	4	4
Energy agreement ($3\sigma \leftrightarrow 5\sigma$)	2	2
threshold ($60 \leftrightarrow 40$ keV)	1	1
Scintillator threshold (0.4 \leftrightarrow 1.0 MeV)	0.3	0.3
Shakeoff electron t.o.f. region	3	1
SiC mirror thickness† ($\pm 6 \mu\text{m}$)	1	0
Be window thickness† ($\pm 23 \mu\text{m}$)	0.9	0.9
BB1 thickness† ($\pm 5 \mu\text{m}$)	0.1	0.1
Scintillator or summed†	1	1
Scintillator calibration ($\pm 0.4\text{ch}/\text{keV}$)	0.1	0.1
Total systematics	12	7
Statistics	13	6
Polarization	5	2
Total uncertainty	18	8



Still no wrong-handed ν 's



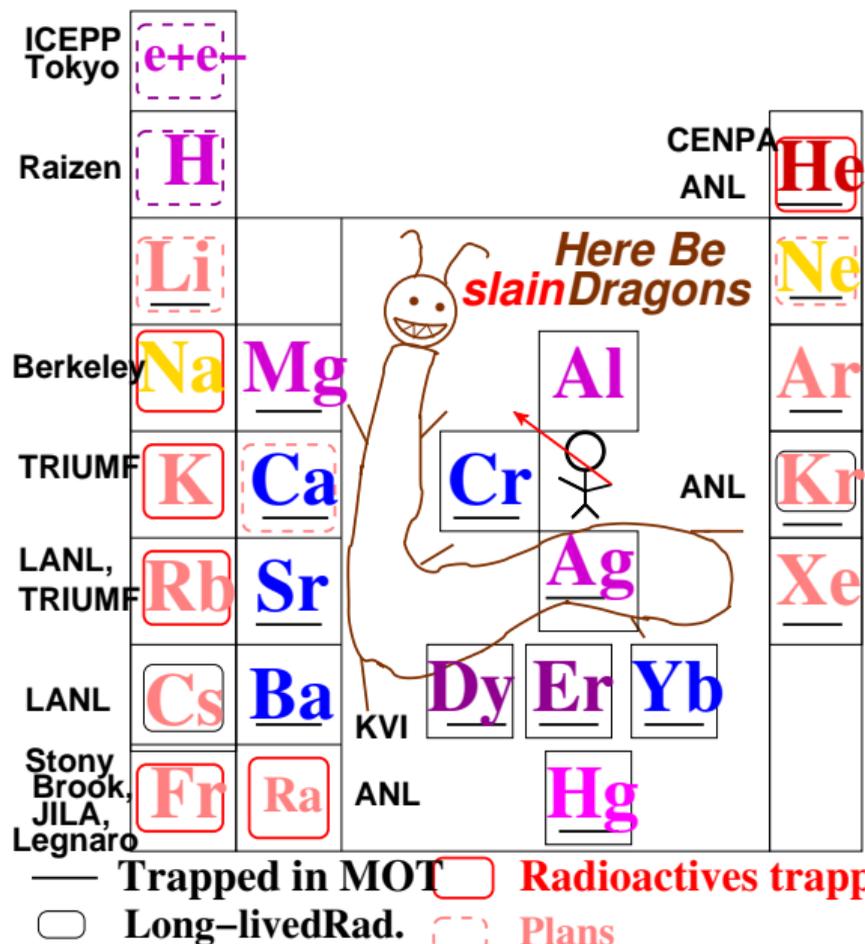
Extra W' with heavier mass, couples to wrong-handed ν_R

We can evade TWIST limits by assuming the muon ν_R is heavy

LHC $M'_W > 3.7$ TeV 90%

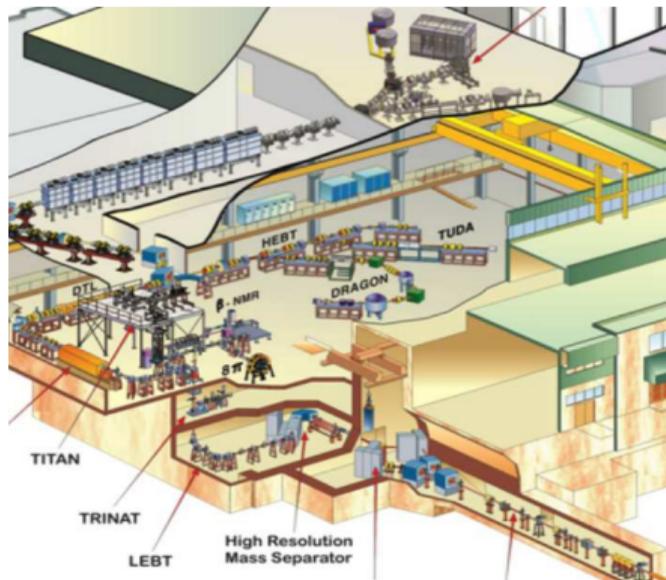
our result does imply $g_R > 8g_L$ for a 4 TeV W'

What elements can be laser cooled?





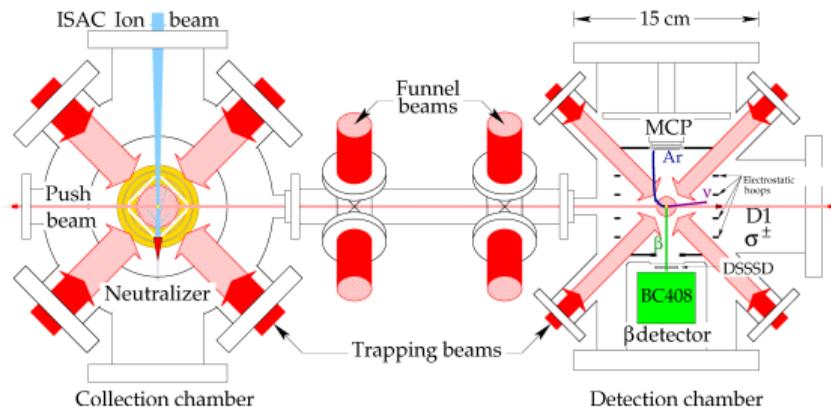
TRIUMF Neutral Atom trap at ISAC



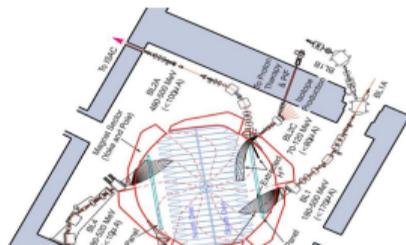
^{37}K $8 \times 10^7/\text{s}$

TiC target
 1750°C

$70 \mu\text{A}$
protons



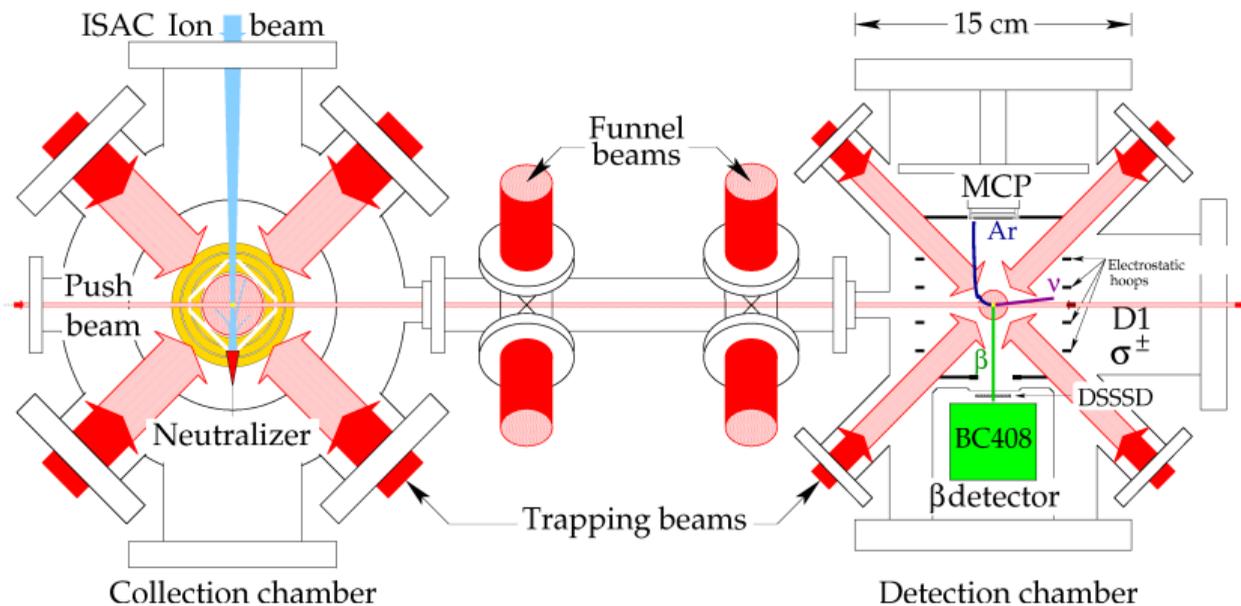
main TRIUMF cyclotron
'world's largest'
 500 MeV H^- (0.5 Tesla)





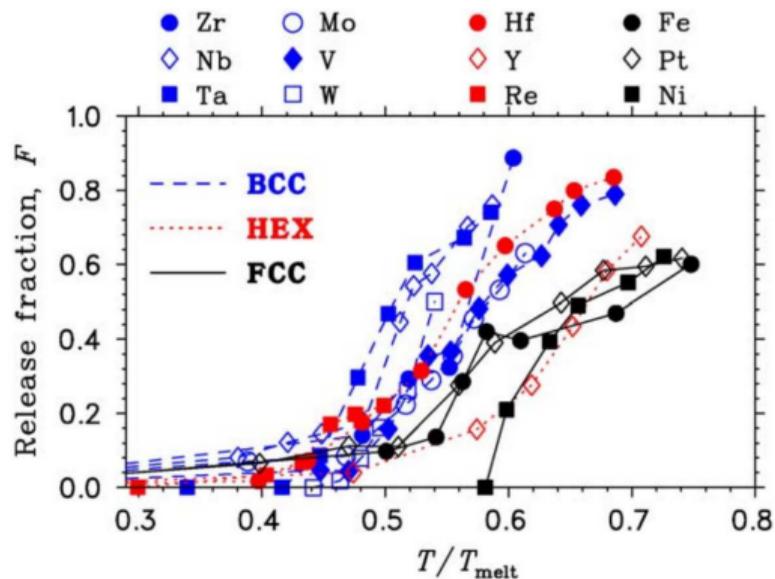
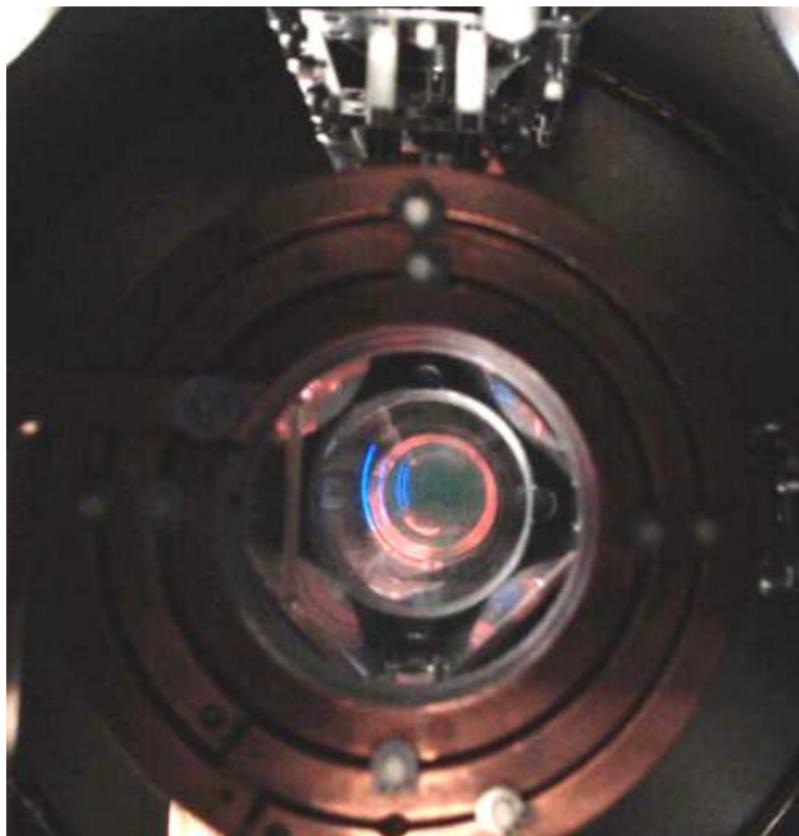
TRINAT plan view

- Isotope/Isomer selective
- 75% transfer
- Avoid untrapped atom background with 2nd trap
- 0.7 mm cloud for β -Ar⁺ \rightarrow ν momentum



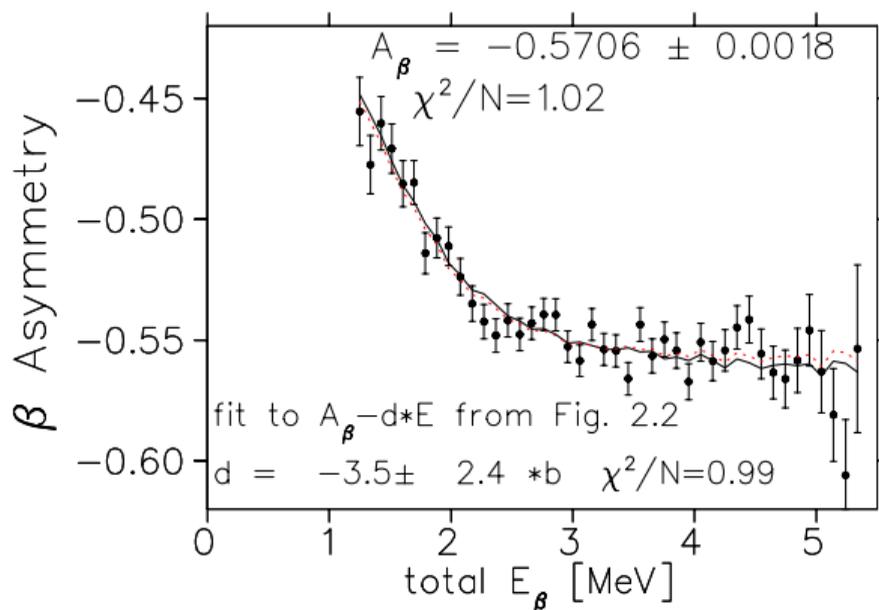
- Spin-polarized $99.1 \pm 0.1\%$

Neutralizer and Collection trap





2nd-class currents: unconstrained by $pp \rightarrow e + p_{\perp}$



2nd-class weak interactions violate g-parity (charge symmetry) when quarks are combined by QCD into nucleons.

Induced tensor $d \approx 0$ in isobaric mirror decay $\rightarrow d$ would be 2nd-class

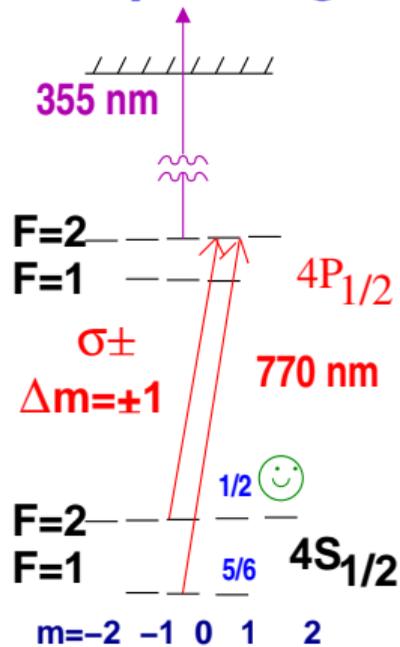
- “To provide for 2nd-class currents it would be necessary... to introduce 2 pairs of quarks and to suppose that each is a doublet under strong interactions...” Holstein and Treiman, PRD 13 3059 (1976). (Feynman called the quantum # needed ‘smell’.) This scenario constrained by non-beta decay.

↑ A strongly interacting dark sector?

Complementary to other nuclear β decay (Sumikama PRC 2011) in models with two strong-interaction couplings, where 2nd-class currents change with nucleus (Wilkinson EPJA 2000)

BABAR set best 3rd-generation constraints PRL 2009 $\tau^{-} \rightarrow \omega \pi^{-} \nu_{\tau}$

Optical pumping and probing ^{37}K

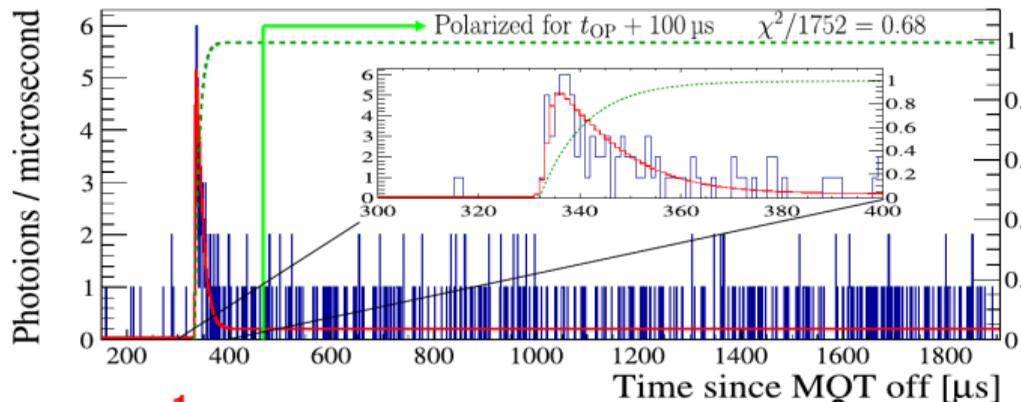
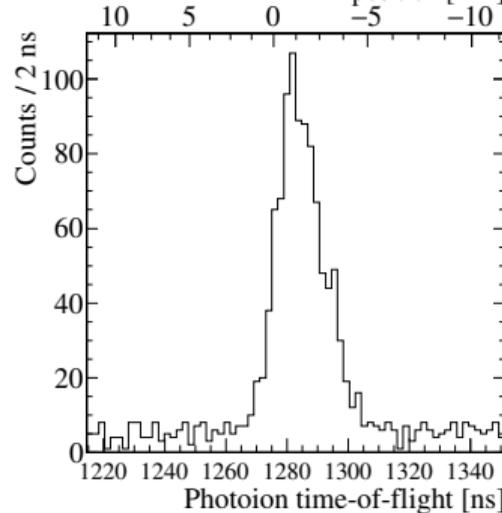
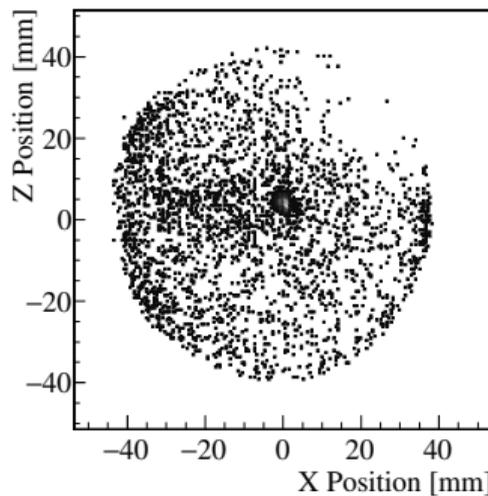


1 of 10
data sets

Photoionize 1% *in situ* probe

$P_{+} = +0.9913(8)$ $P_{-} = -0.9912(9)$

Fenker NJP 2016



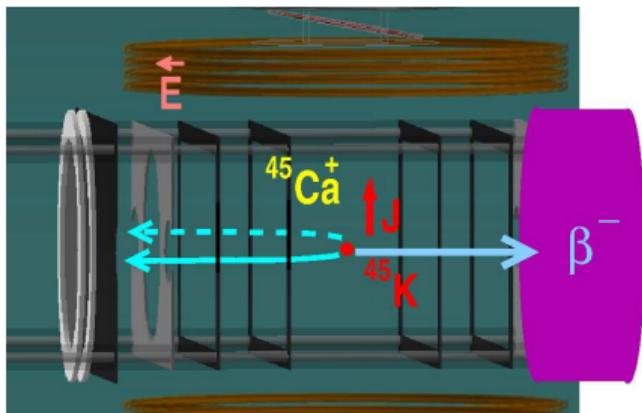
$P \approx 1 - \frac{1}{3}(\text{tail/peak})$ unpumped atoms $P \sim \frac{2}{3}$ already



D sensitivity

Extrapolating from Melconian PLB 649 270 (2007) and realizing β^- decay always makes a charged recoil, we estimate 3 weeks for D to ≈ 0.001 for ^{45}K from TiC or ^{47}K from UCx.

Given $E_1 = -0.01 \pm 0.02$ in ^{56}Co and a limit on D about 20x better:



$$\text{exp. } |M_{GT}| \sqrt{2T} \\ y \text{ for } ^{56}\text{Co} \text{ for } 50\text{keV}/10 \text{ MeV}, \\ |M_F| = 0.005 \sqrt{2T} \\ \Rightarrow y =$$

	^{56}Co	^{47}K	^{45}K
	0.0034	0.30	0.11
	2	3	$\sqrt{7}$
	-0.13 ± 0.02		
		0.045	0.12

Then for $\langle \bar{A} | V_C | A \rangle = 50 \text{ keV}$

we would get **20x better sensitivity to \mathcal{T} phase α** and **similar sensitivity to V_f** for ^{45}K vs. ^{56}Co

(and a factor of 3 poorer for ^{47}K because of $|M_{GT}|$)

True sensitivity will be determined by our measurements of $\langle \bar{A} | V_C | A \rangle = 50 \text{ keV}$

Since we are sensitive to isovector and isotensor \mathcal{T} parameters (and possible spin dependence) a measurement at similar sensitivity becomes complementary