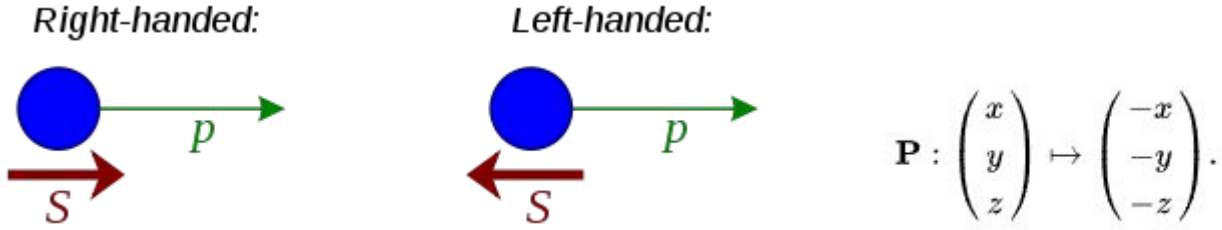
Measure polarization in potassium isotopes

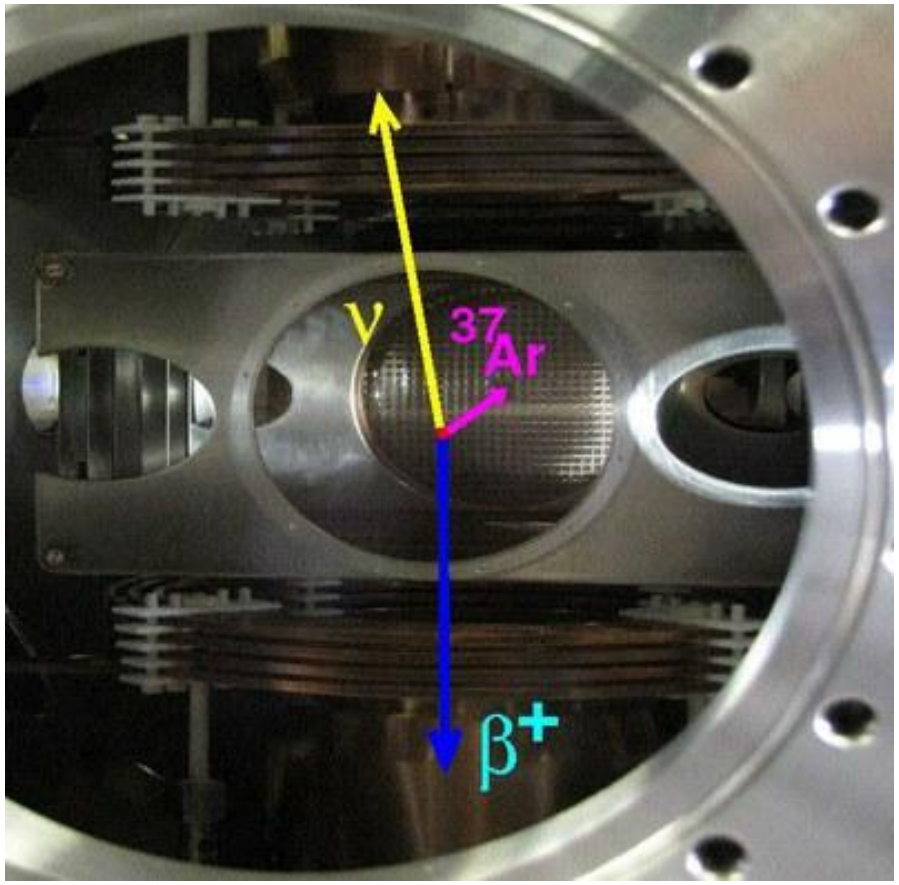
Dante Prins

Potassium 37 beta decay asymmetry experiment

Beta decay is known to violate parity symmetry, having a chirality dependance and a bias for left handedness. Our experiment polarized the parent atom and measures beta emission direction.



$$\mathbf{P}: \begin{pmatrix} x \\ y \\ z \end{pmatrix} \mapsto \begin{pmatrix} -x \\ -y \\ -z \end{pmatrix}.$$



0nm

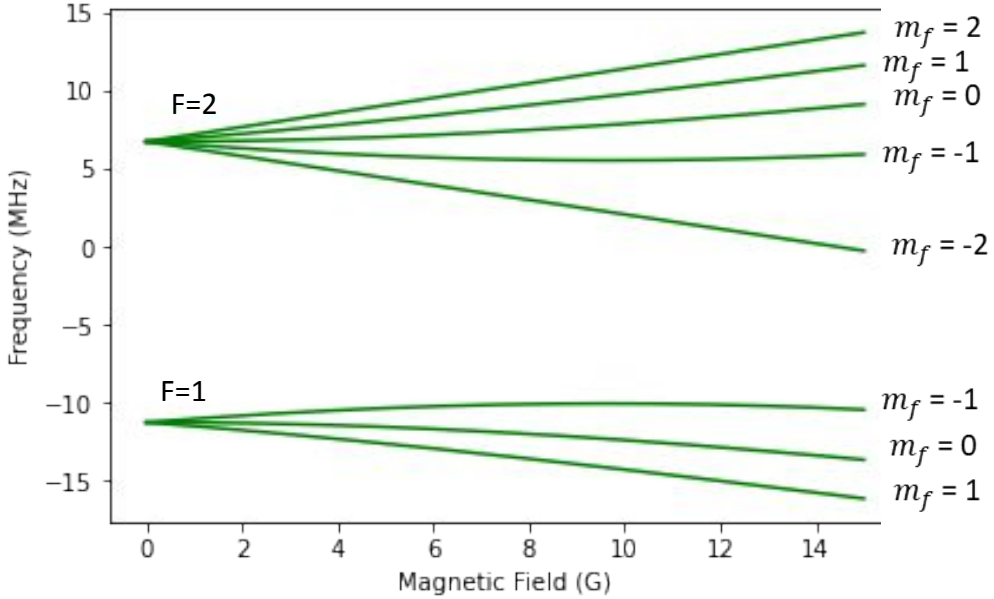
Polarization measurement

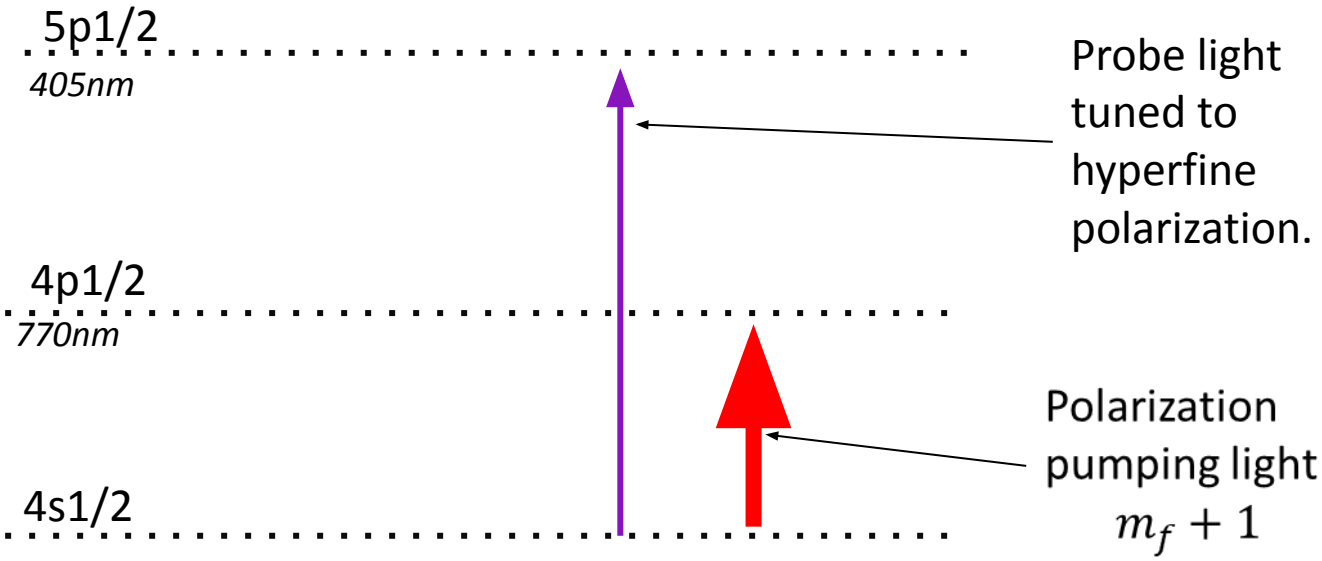
Zeeman effect at medium magnetic fields

$$H = hAI_z J_z + \frac{hA}{2}(J_+ I_- + J_- I_+) + \mu_B B g_J J_z + \mu_N B g_I I_z$$

In the presence of a magnetic field energies will shift allowing us to probe individual polarizations.

Zeeman effect splitting for 5p1/2 K41





$$H = A\vec{I}\cdot\vec{J} - (\mu_N g_I \vec{I} + \mu_B g_J \vec{J})\cdot\vec{B}$$

Recall the $|F, m_F\rangle$ basis is conventional for hyperfine states but the Hamiltonian is described in $|m_I, m_J\rangle$. For $J = \frac{1}{2}$, each hyperfine $|F, m_F\rangle$ is a linear combination of two states in the $|m_I, m_J\rangle$ basis, leading to a two state degenerate perturbation problem for each $|F, m_F\rangle$ state.

Defining the basis as $|\pm\rangle = \left|m_J, \pm\frac{1}{2}, m_I = m_F \mp \frac{1}{2}\right\rangle$, through ladder operations we get

$$H = \begin{pmatrix} -\frac{A}{4} + \mu_N g_I m_F B + \frac{1}{2}(A m_F + \mu_B g_J - B\mu_N g_I) & \frac{1}{2}A\sqrt{(I+\frac{1}{2})^2 - m_F^2} \\ \frac{1}{2}A\sqrt{(I+\frac{1}{2})^2 - m_F^2} & -\frac{A}{4} + \mu_N g_I m_F B - \frac{1}{2}(A m_F + \mu_B g_J - B\mu_N g_I) \end{pmatrix}$$

The positive eigenenergy is defined as $F = 2$ while the negative $F = 1$

$\Delta E_{F=2} = -\frac{A}{4} + \mu_N g_I m_F B + A\sqrt{1 + m_F x + x^2}$

$\Delta E_{F=1} = -\frac{A}{4} + \mu_N g_I m_F B - A\sqrt{1 + m_F x + x^2}$

Where $x = \frac{B(\mu_B g_J - \mu_n g_I)}{2A}$.

Eigenstates found are then

$|F=2,m_F\rangle = \alpha\,|+\rangle + \beta\,|-\rangle$

$|F=1,m_F\rangle = \beta\,|+\rangle + \alpha\,|-\rangle$

where

$\alpha = \frac{1}{2} + \frac{Am_F + B\mu_B g_J - B\mu_N g_I}{4A\sqrt{1+m_F x+x^2}}$

$\beta = \frac{1}{2} - \frac{Am_F + B\mu_B g_J - B\mu_N g_I}{4A\sqrt{1+m_F x+x^2}}$

Notice we recover the Clebsch-Gordan Coefficients at$B = 0$ and that at $B \to \infty$ we reach pure states, namely $|F=2,m_F\rangle = |+\rangle$ and $|F=1,m_F\rangle = |-\rangle$.

For $m_F = \pm 2$,where the states are already pure at $B = 0$, the Hamiltonian reduces to single state solutions where

$\Delta E_{F=2} = \frac{A3}{4} + \mu_{\mathrm{N}} g_I m_F B$

$\Delta E_{F=1} = -\frac{A5}{4} + \mu_{\mathrm{N}} g_I m_F B$

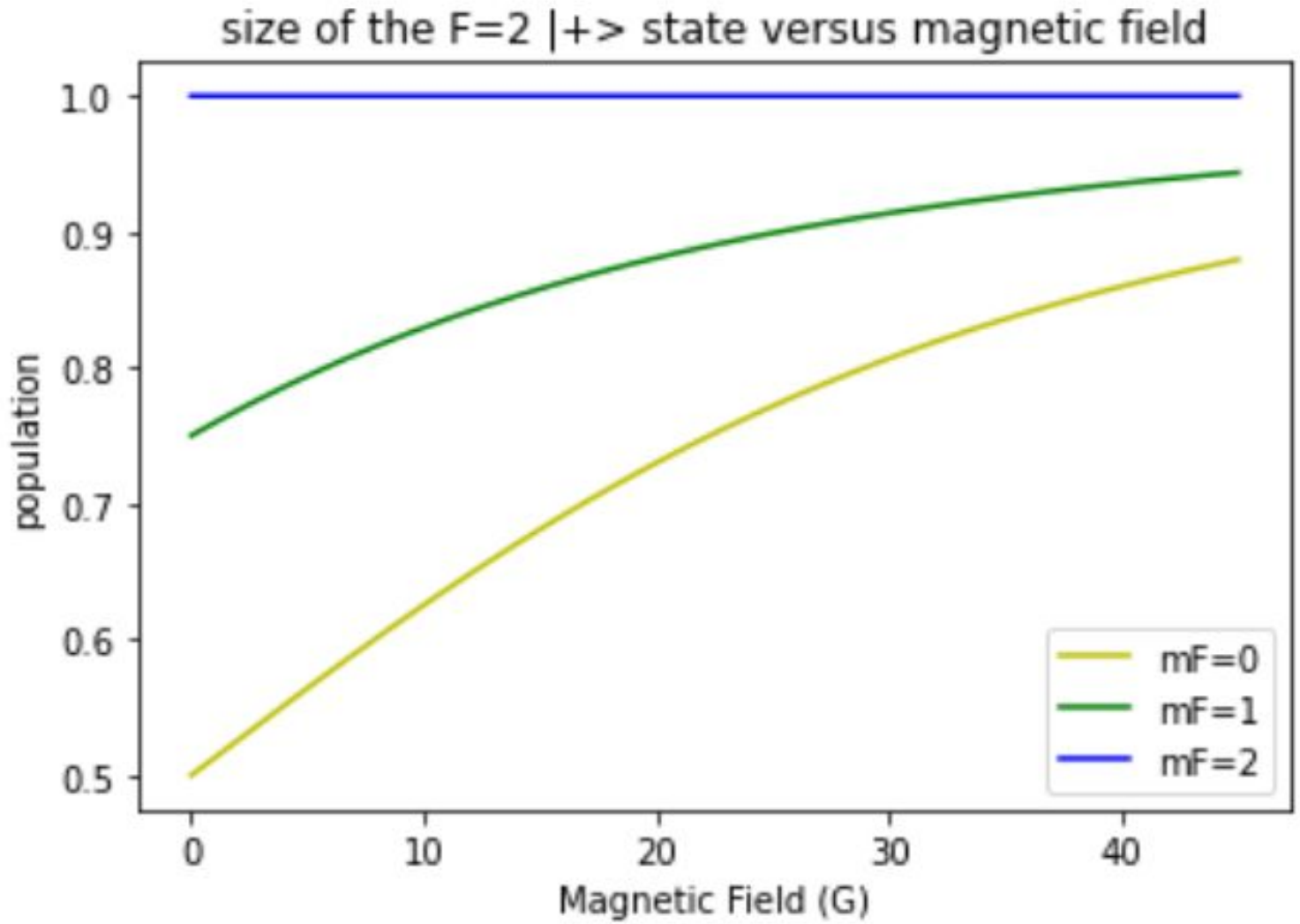
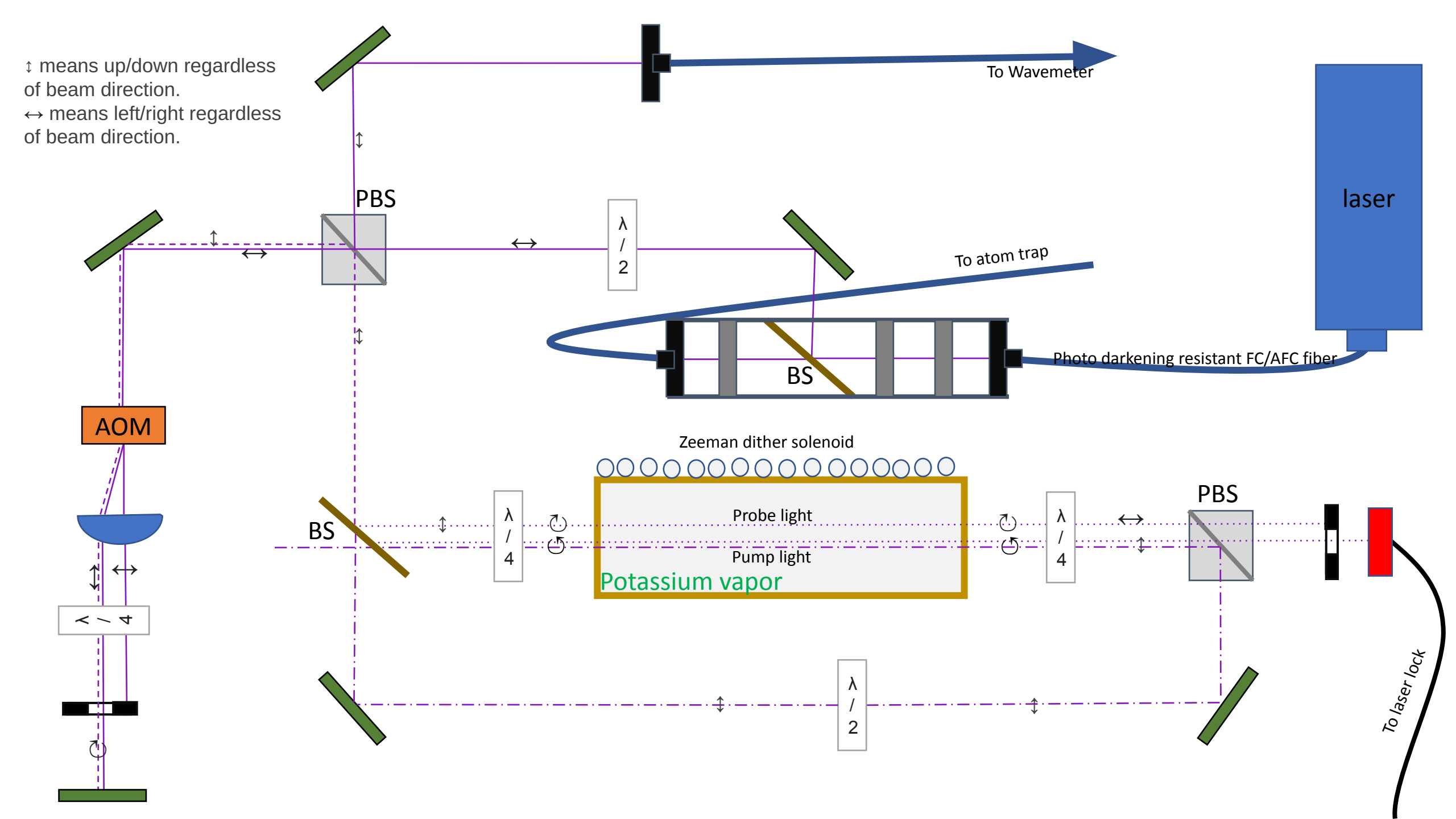


Figure 2: plot of the coefficient α from $|F=2, m_F\rangle = \alpha\,|+\rangle + \beta\,|-\rangle$ as a function of magnetic field. Note that $\beta = 1-\alpha$.


↕ means up/down regardless of beam direction.
↔ means left/right regardless of beam direction.
To Wavemeter
laser
PBS
λ / 2
To atom trap
BS
Photo darkening resistant FC/AFC fiber
AOM
Zeeman dither solenoid
BS
λ / 4
Probe light
Pump light
Potassium vapor
λ / 4
PBS
λ / 4
λ / 2
To laser lock

Hyperfine structure splitting varies by isotope

Isotope	Abundance
K37	1.23s half life
K39	93%
K41	7%

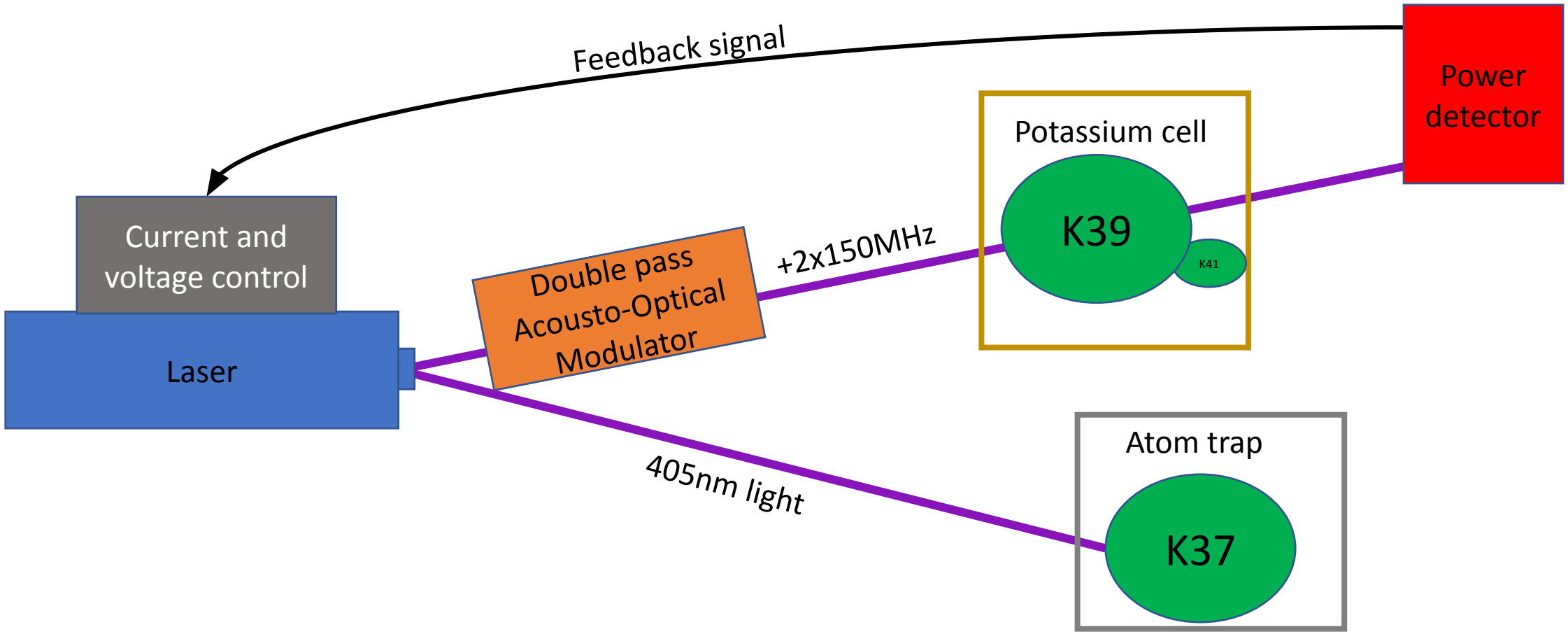
$$H_{HFS} = A\ \mathbf{I}\cdot\mathbf{J}$$

$$K37\ A_{4s_{1/2}} = 240.3\text{MHz}$$
$$K39\ A_{4s_{1/2}} = 461.7\text{MHz}$$
$$K41\ A_{4s_{1/2}} = 254.0\text{MHz}$$

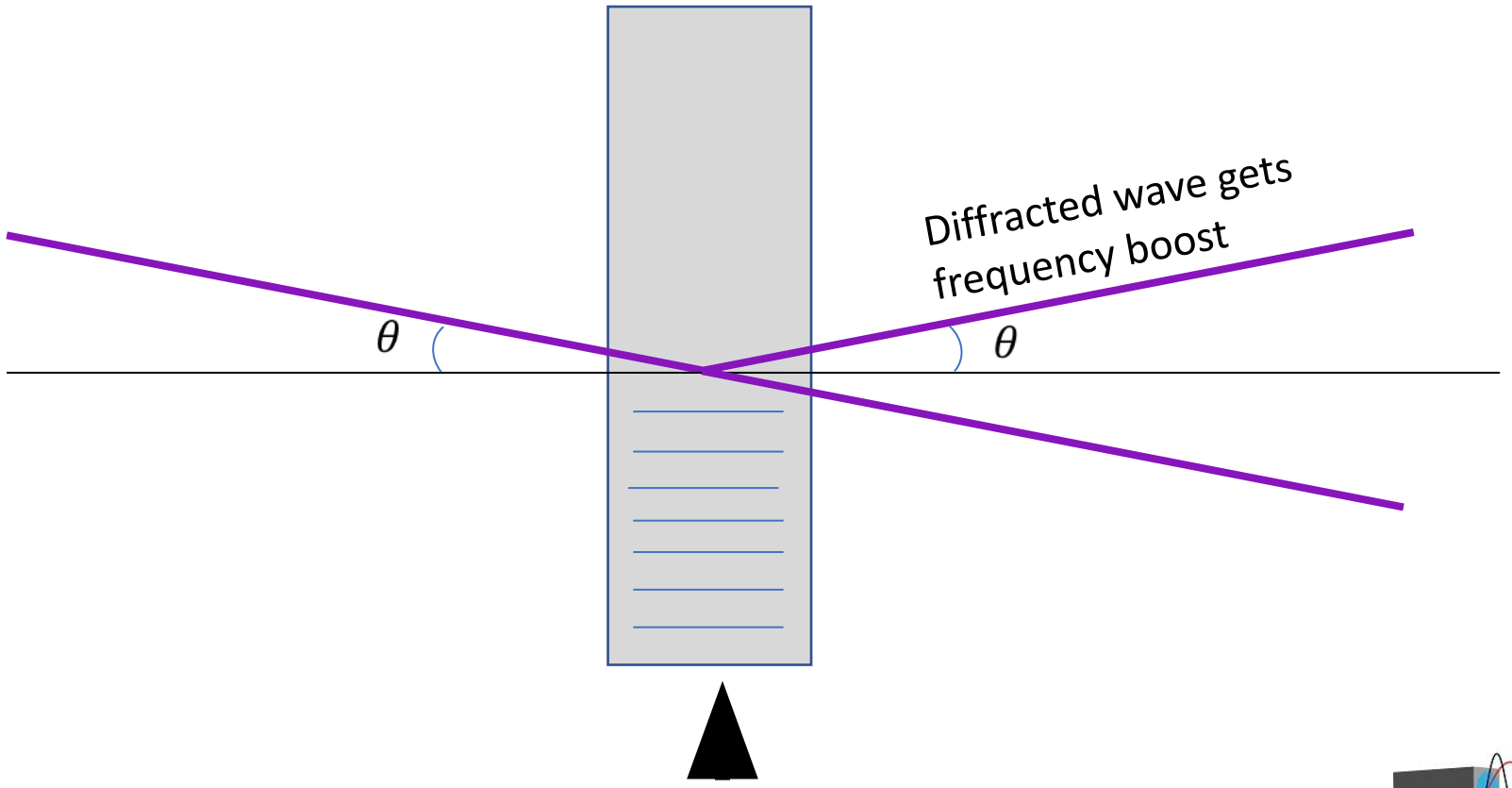
How do we lock the trap to K39 spectra but scan K37?

Isotope frequency shift is corrected by Acousto-Optical Modulator

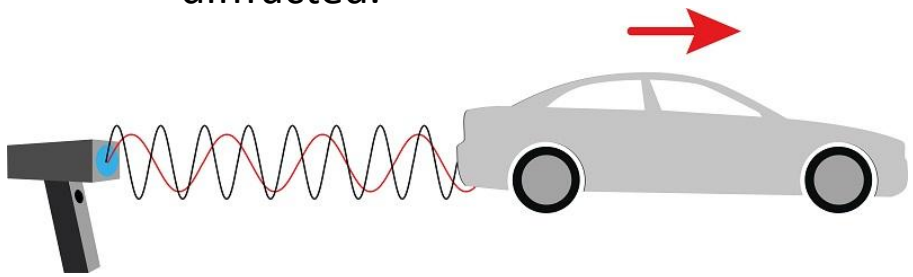
Picture of aom module



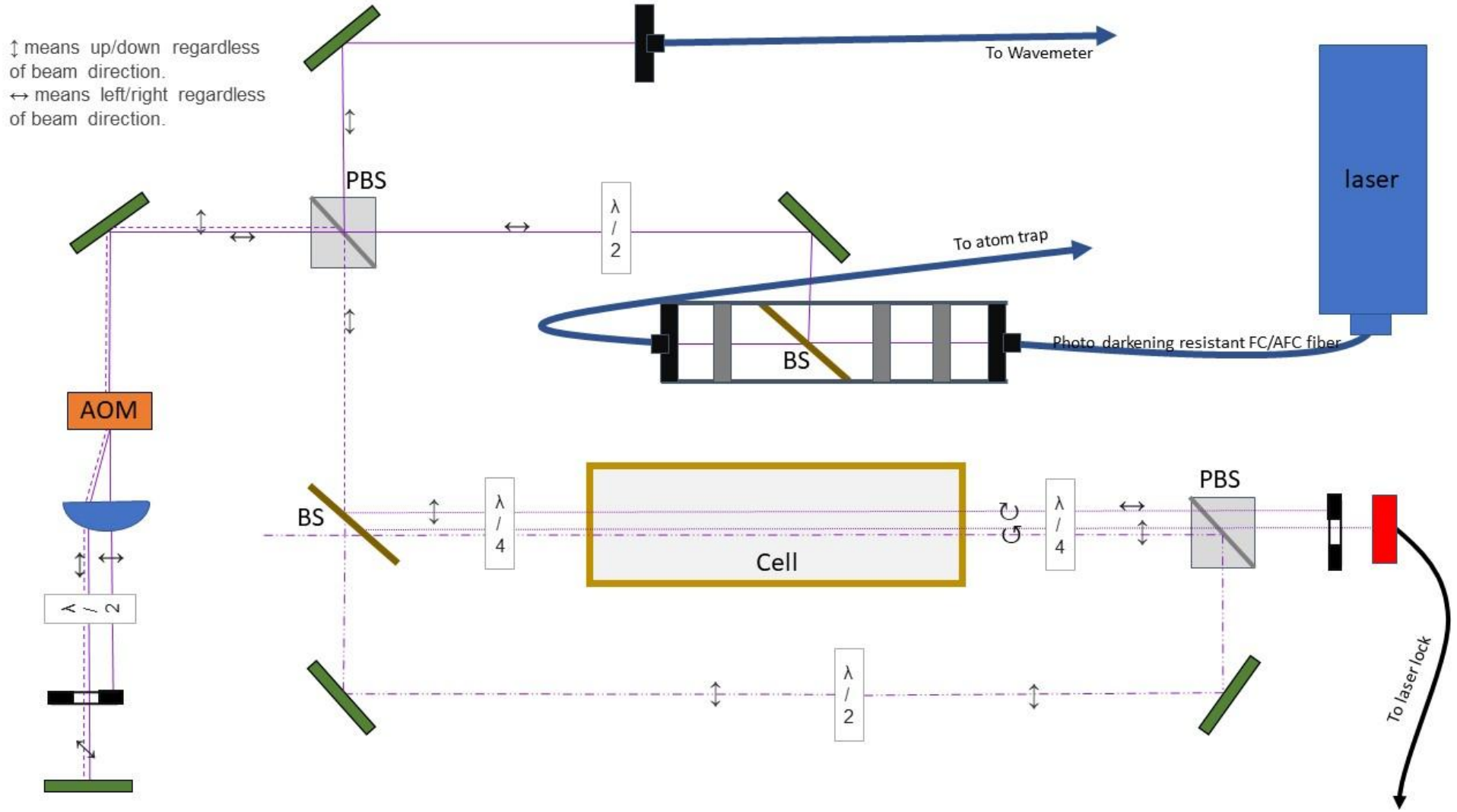
Acousto-Optical Modulator physics



The incoming light is Doppler shifted to a higher frequency in the reference frame of the moving Bragg plane before being diffracted.

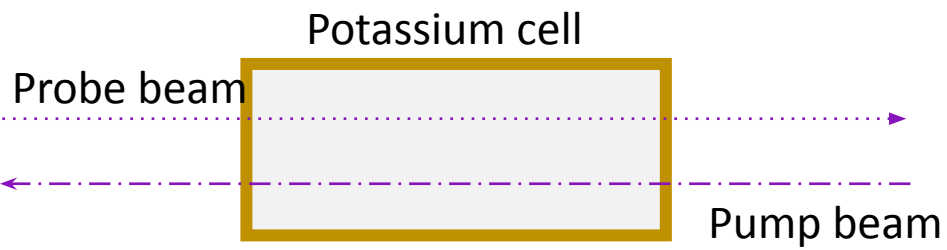


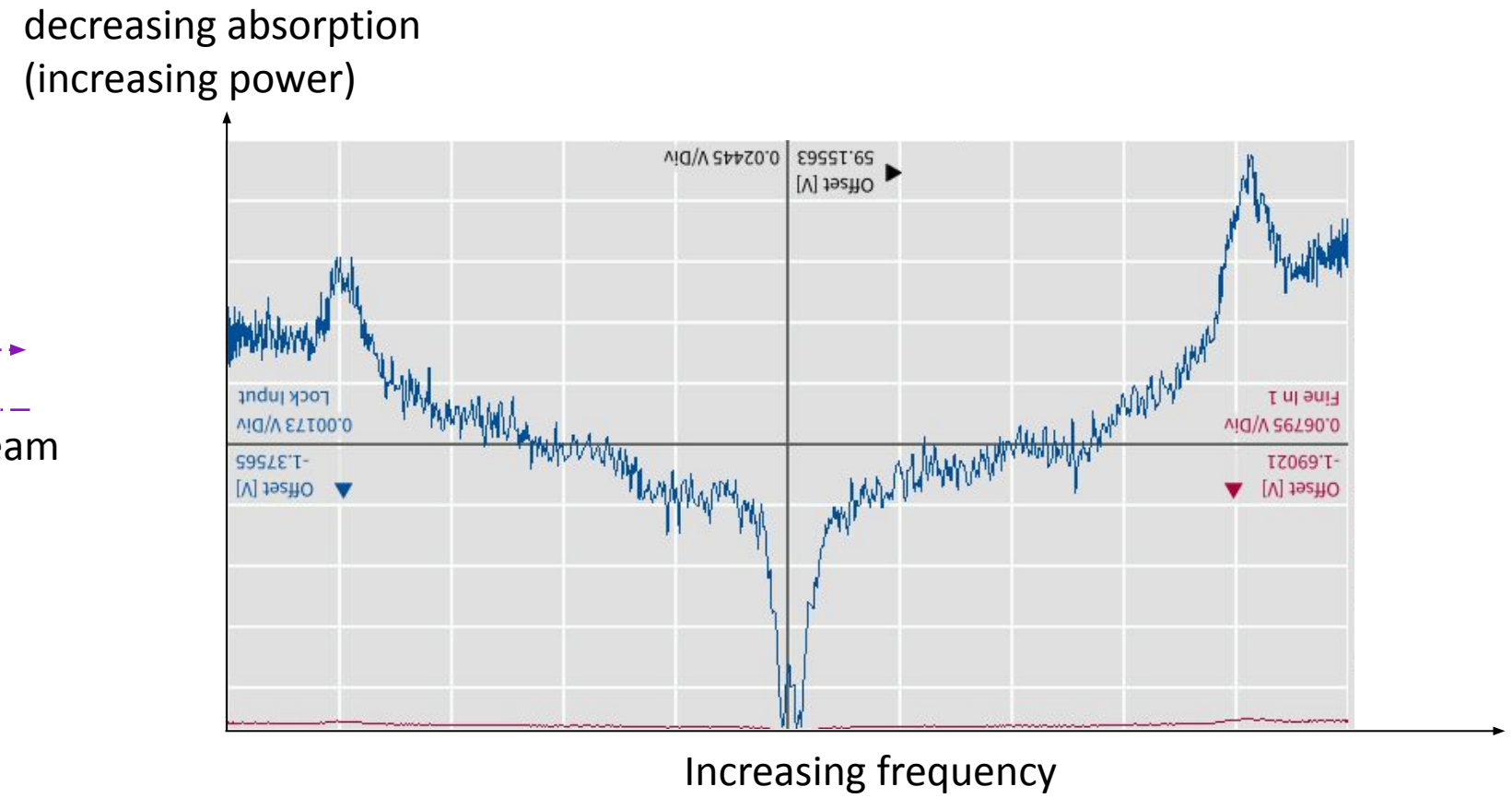
Beam polarization



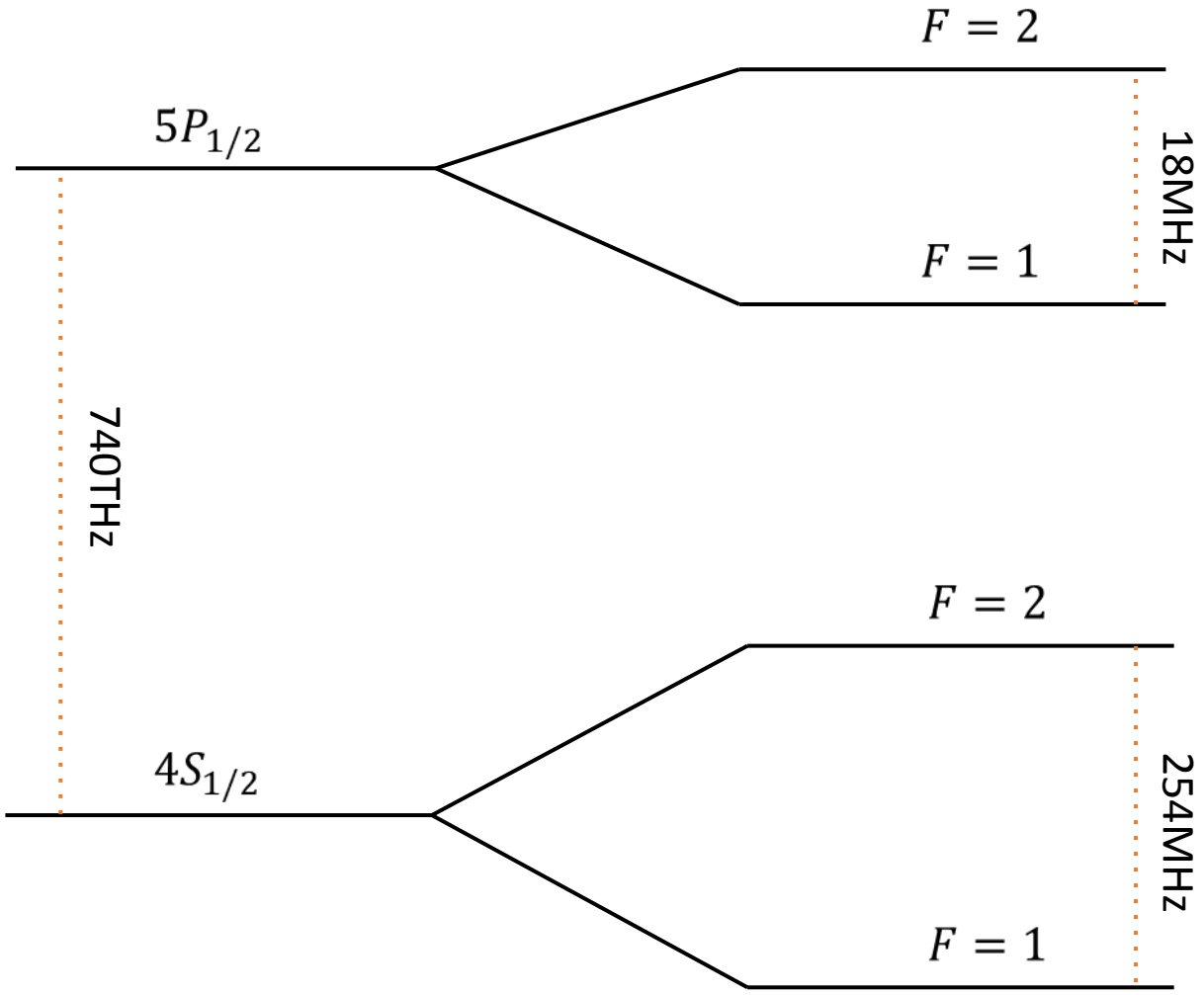
K cell sat spectroscopy

We know the cell will absorb light at transitions frequencies, how do we arrive at the actual absorption signal?





Hyperfine structure frequencies for K39



	295MHz
	277MHz
	-166MHz
	-184MHz

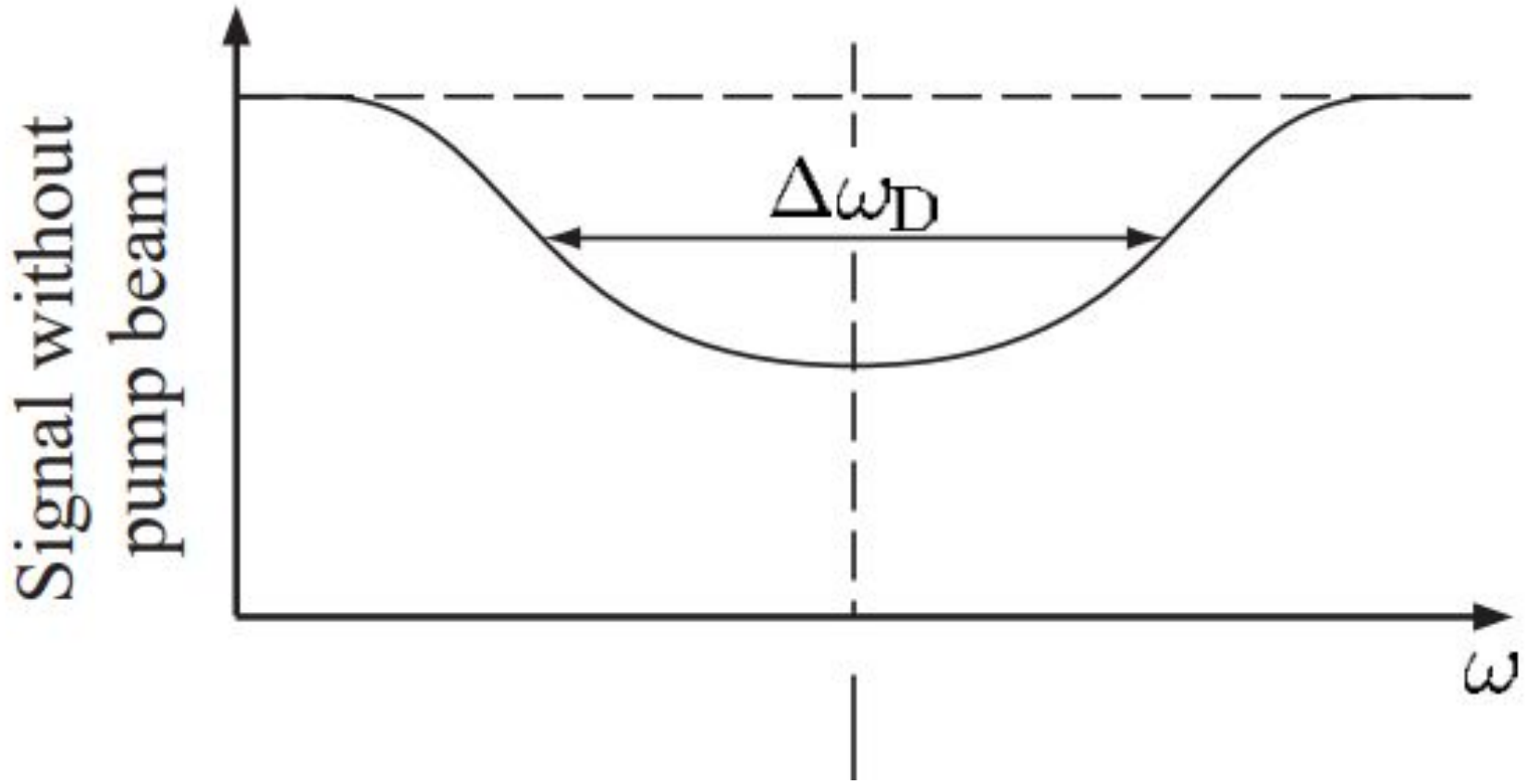
$$H_{HFS} = A\,\mathbf{I}\cdot\mathbf{J}$$

$A_{4S_{1/2}} = 126.9\text{MHz}$

$A_{5P_{1/2}} = 8.99\text{MHz}$

Doppler shift broadened absorption

Decreasing absorption
(increasing power)

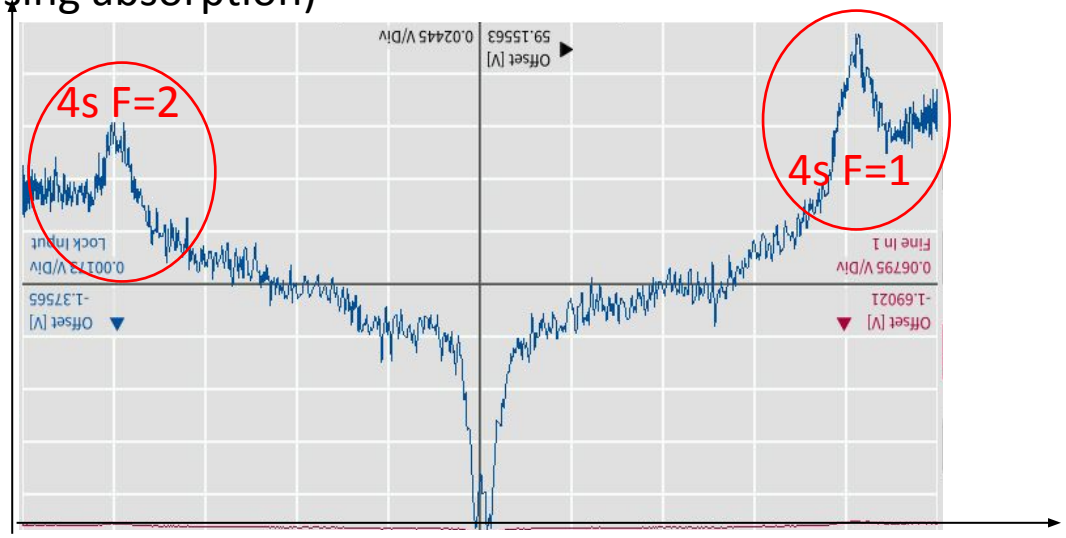


'Atomic Physics' by Foot.

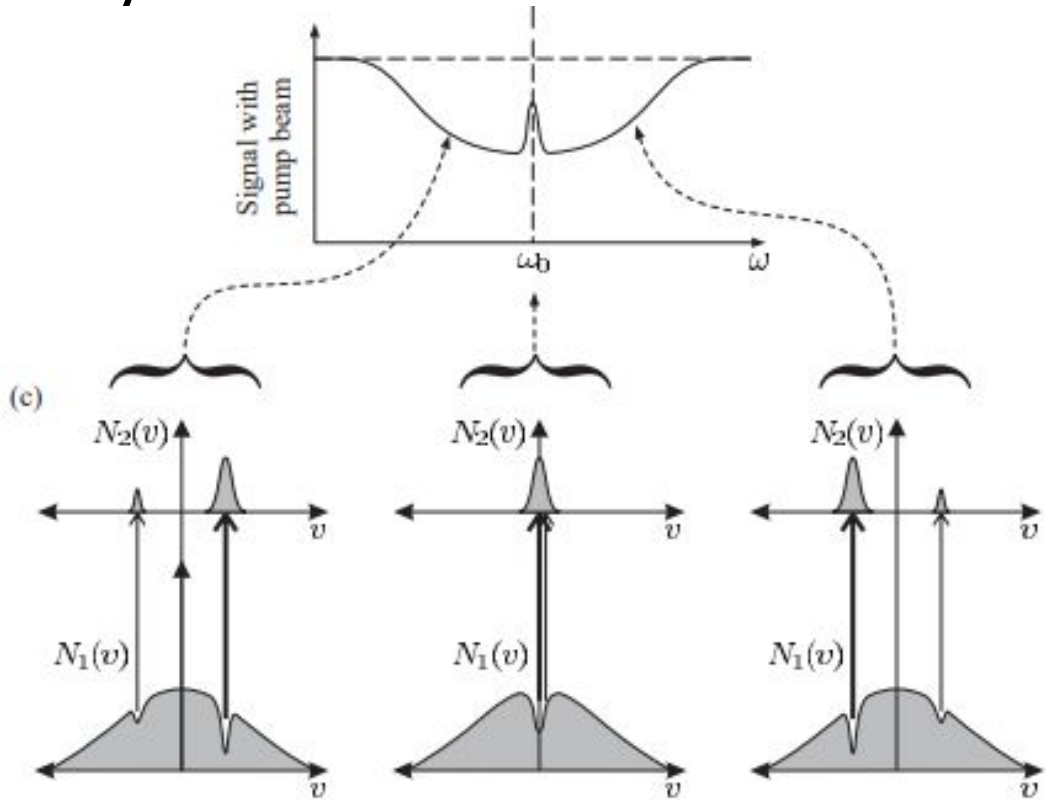
Pump beam hole burning

Now that our absorptions are Doppler smeared, we use the pump beam to select atoms with zero velocity.

Increasing power
(decreasing absorption)



Increasing
frequency

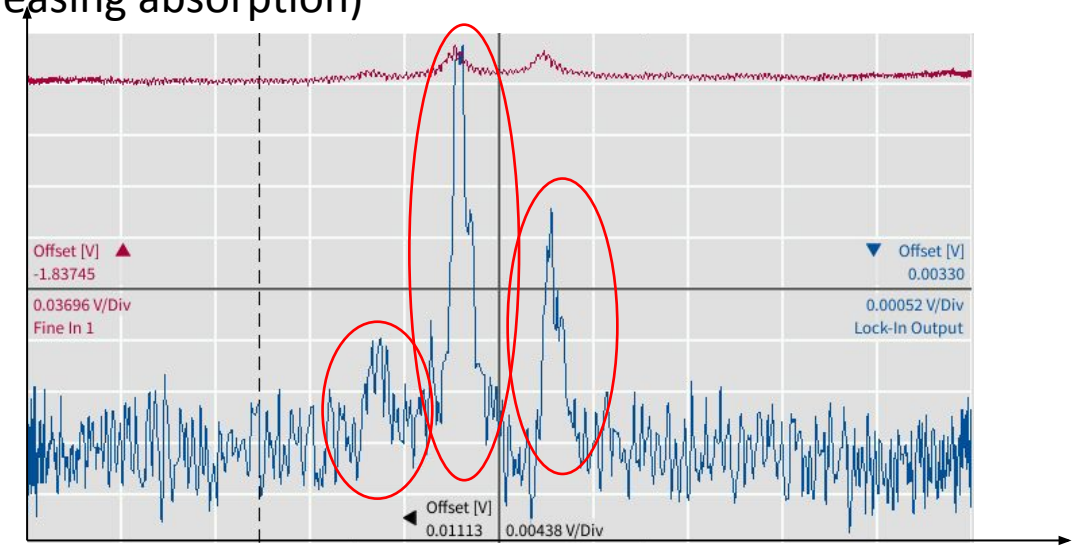


'Atomic Physics' by Foot.

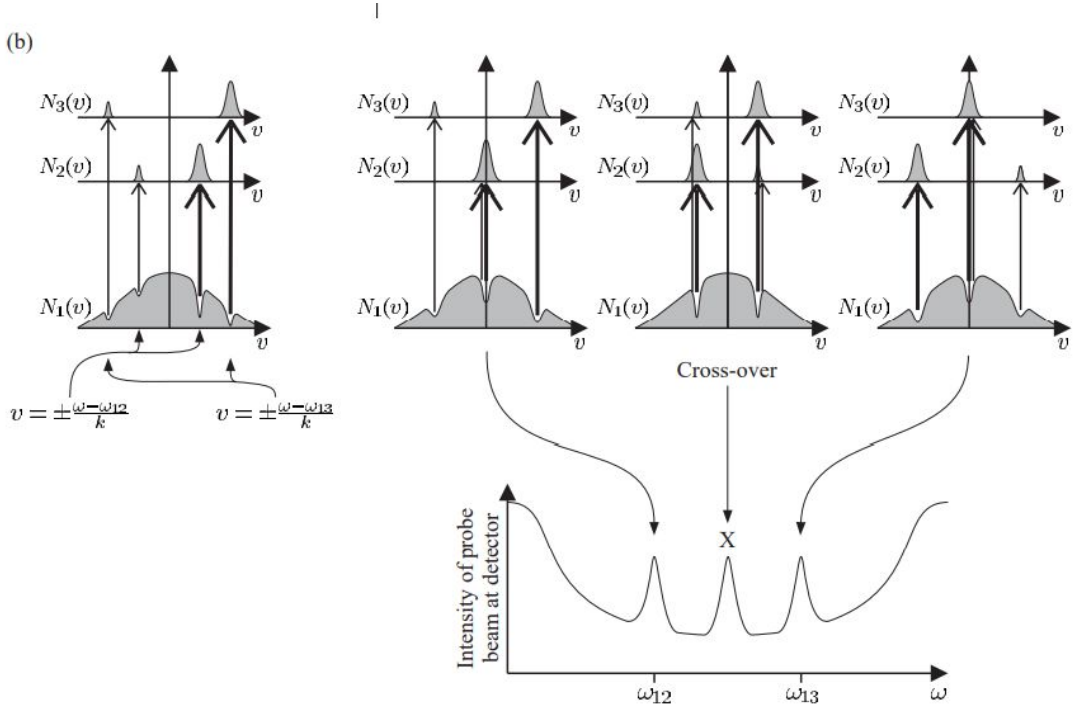
Crossover effect

Every pair of peaks has a composite peak halfway in between from the doppler shifts of the two side peaks.

Increasing power
(decreasing absorption)



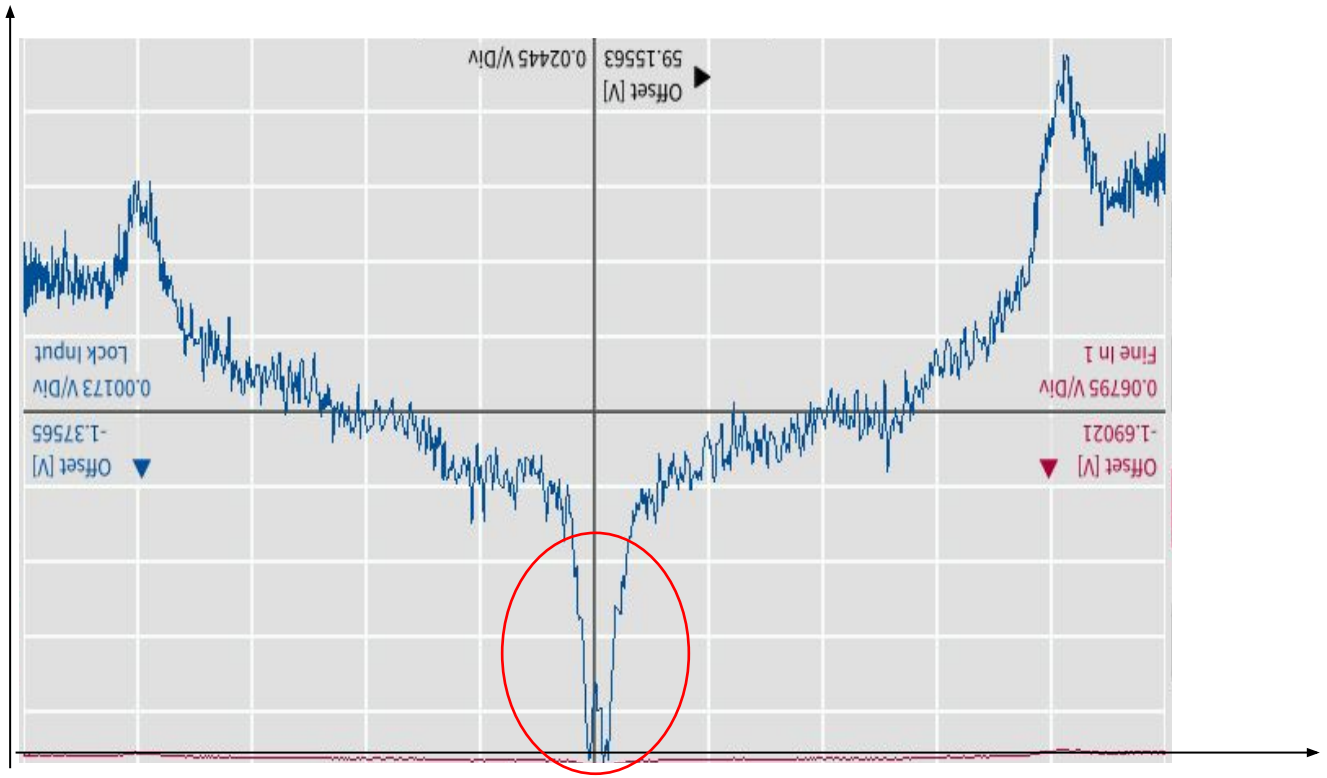
Increasing
frequency



'Atomic Physics' by Foot.

Enhanced absorption

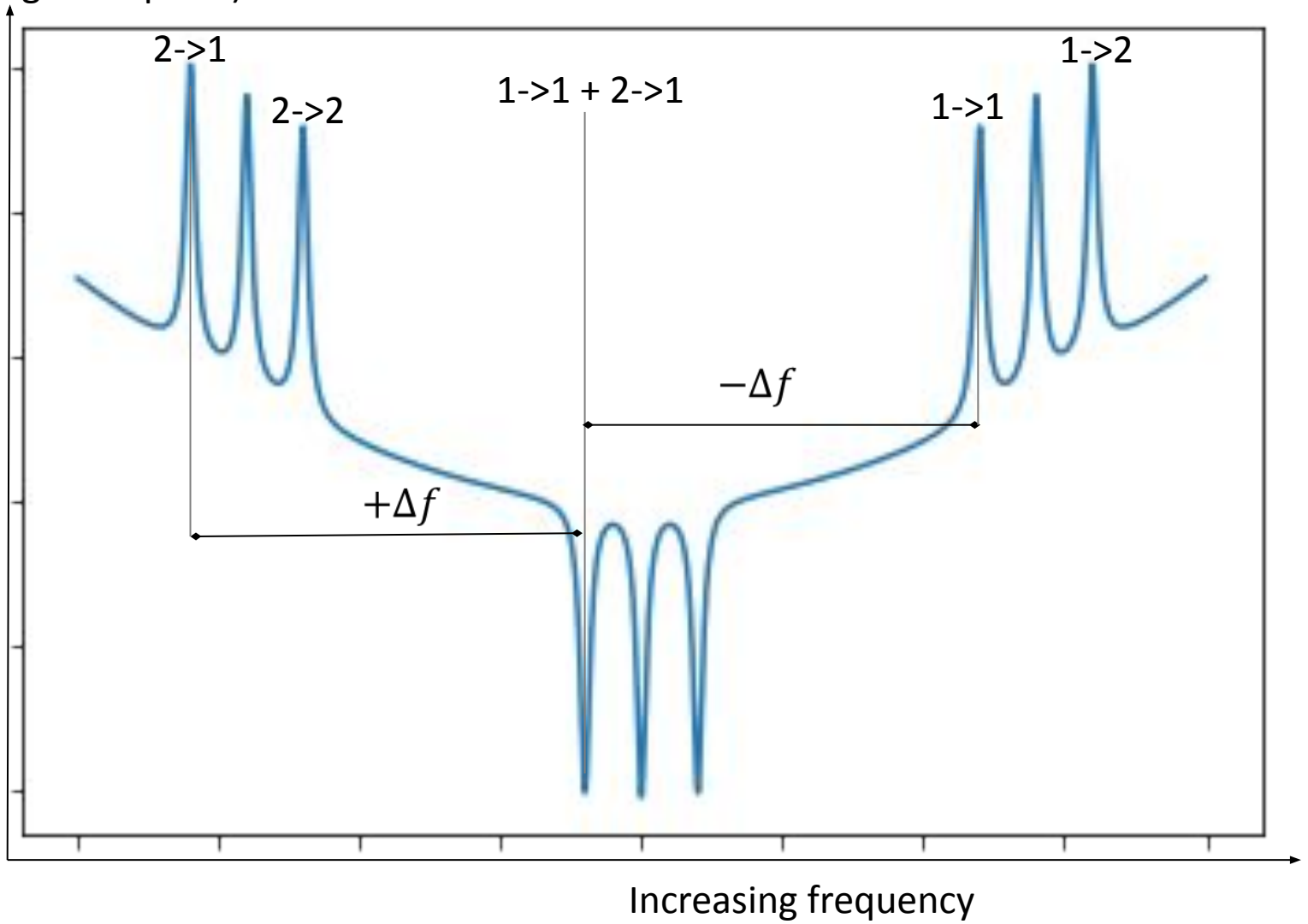
Increasing power (decreasing absorption)



Increasing frequency

Enhanced absorption

Increasing power
(decreasing absorption)

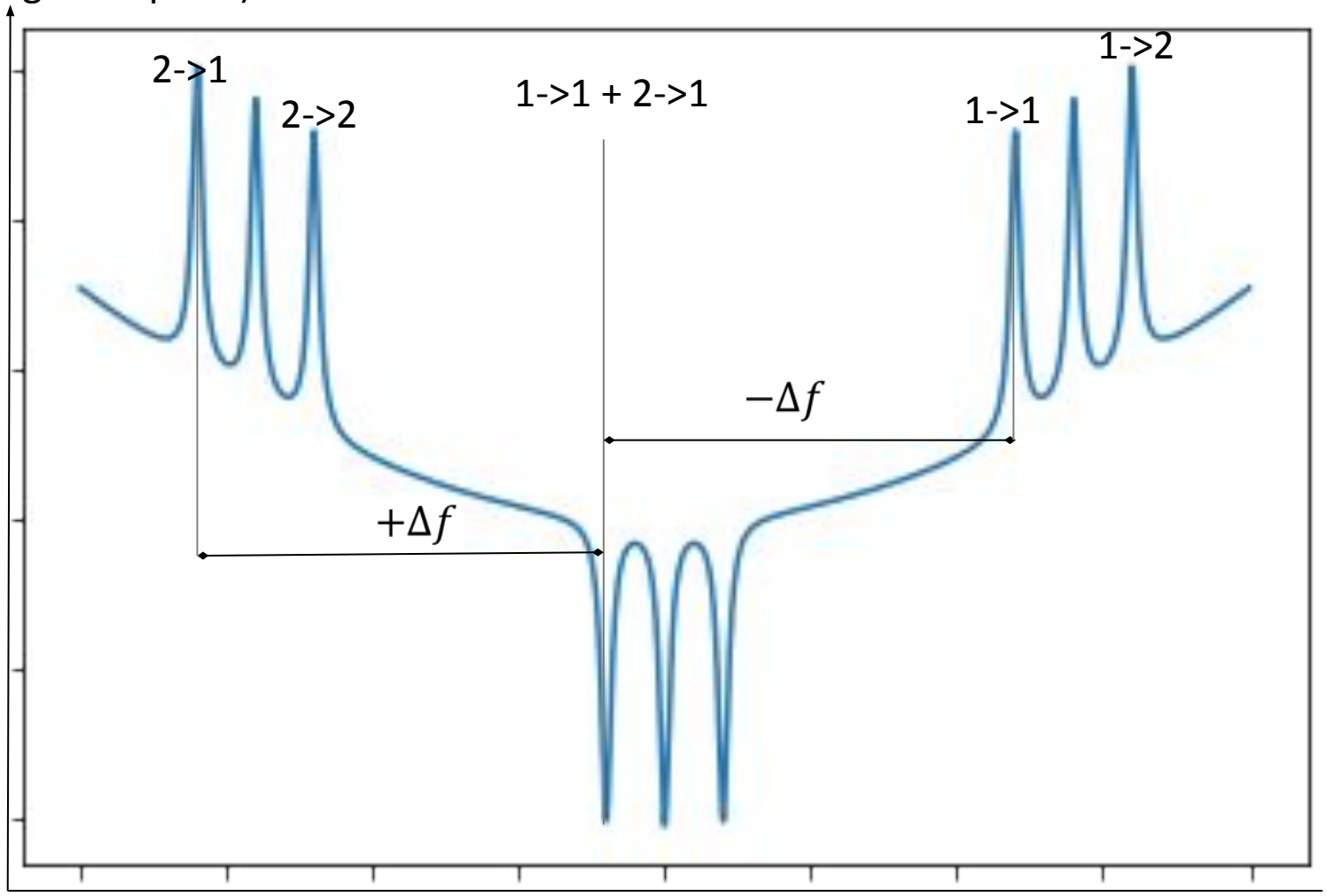


Because the two Doppler crossed frequencies start from different hyperfine ground states the pump does not steal from the probe.

Instead, the pump beam states randomly decay towards the opposing hyperfine, increasing the population the probe sees.

Enhanced absorption

Increasing power
(decreasing absorption)

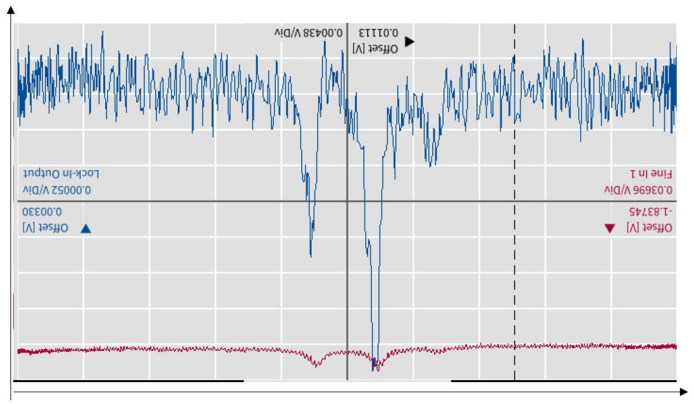


Increasing frequency

Atoms moving towards the probe beam absorb the pump beam in the 1->1 transition, which randomly decays, populating the F=2 ground state for the probe beam which is absorbed in the 2->1 transition.

Atoms moving away from the probe beam absorb the pump beam in the 2->1 transition, which randomly decays, populating the F=1 ground state for the probe beam which is absorbed in the 1->2 transition.

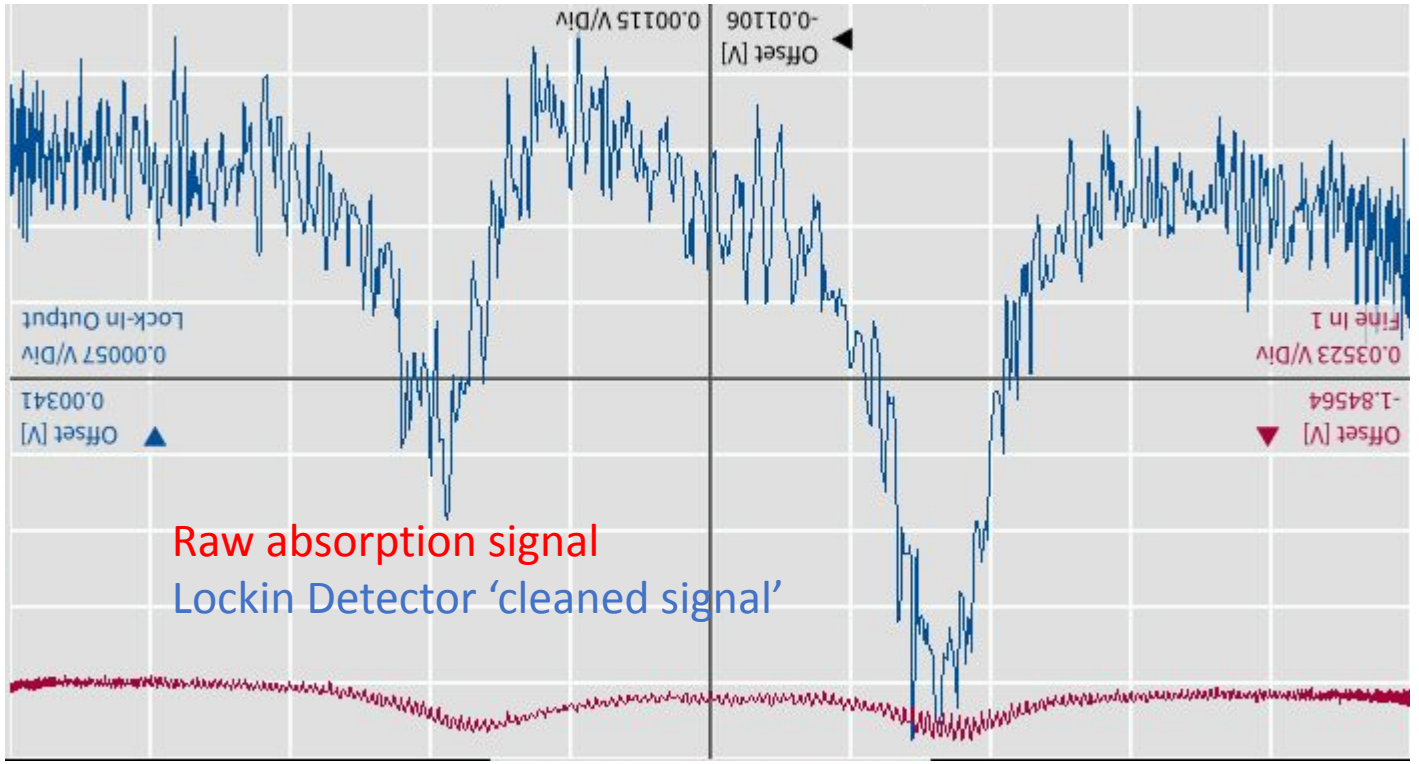
Increasing power
(decreasing absorption)

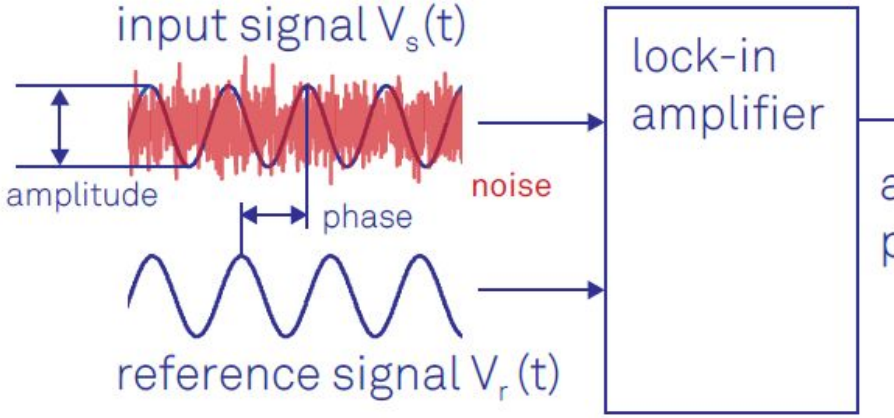


Increasing frequency

Locking the laser frequency using absorption peaks

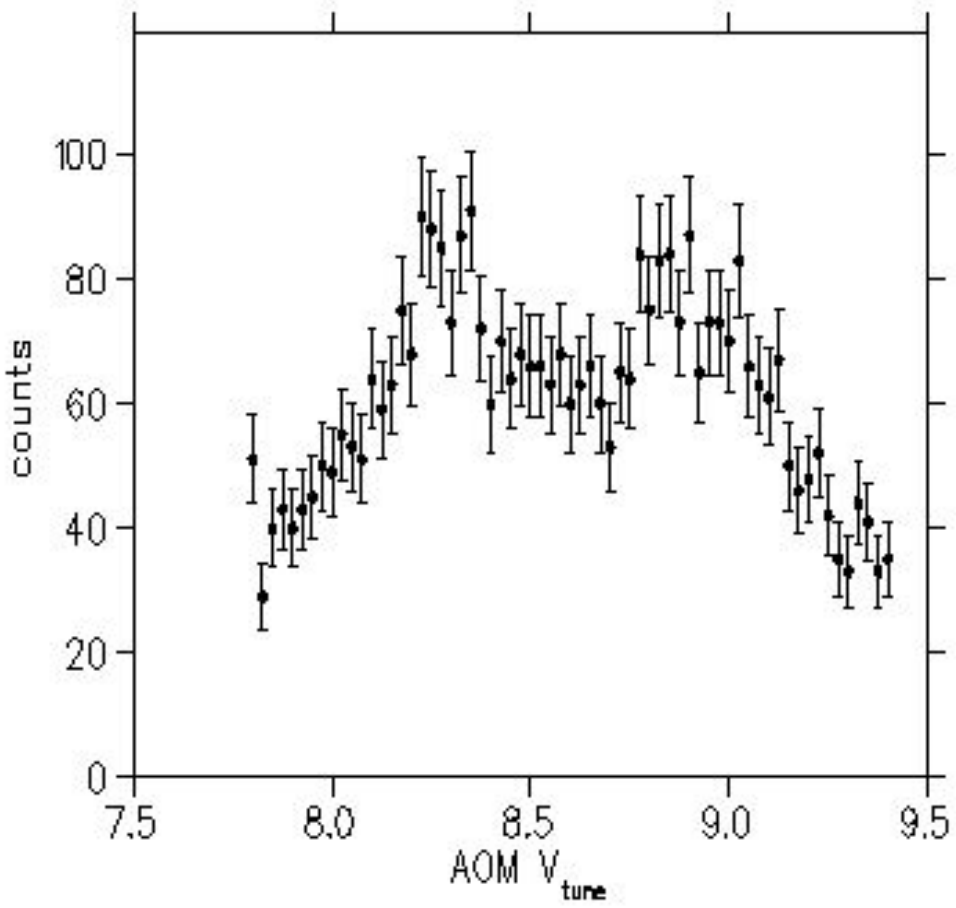
Using a solenoid and the Zeeman effect to produce slight high-frequency energy oscillations in the cell, correlating absorption peaks to our magnetic scan we can produce a cleaner signal and lock to the peak with a Proportional Integral Derivative control loop.



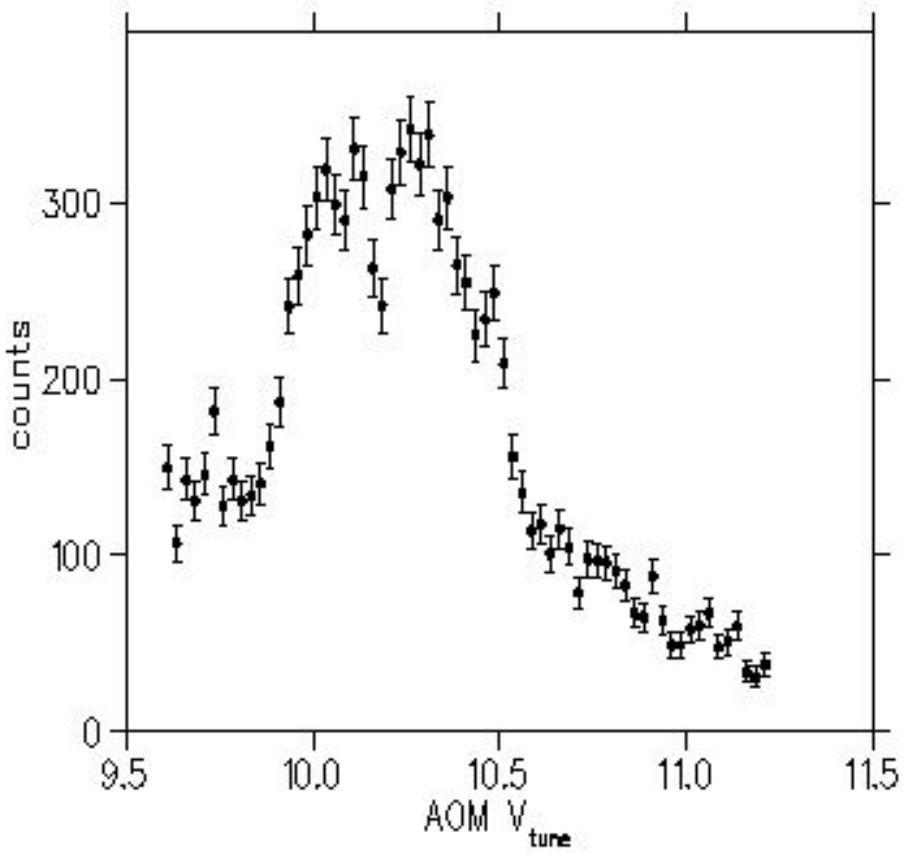


Very early data

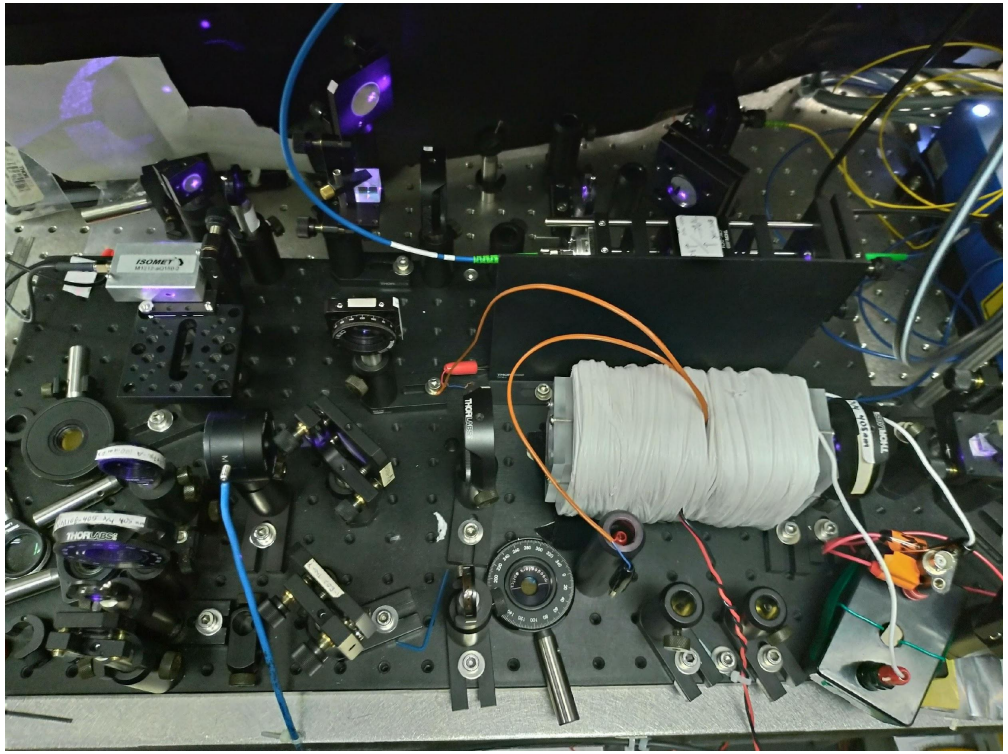
K41 2->1 and 2->2 absorptions

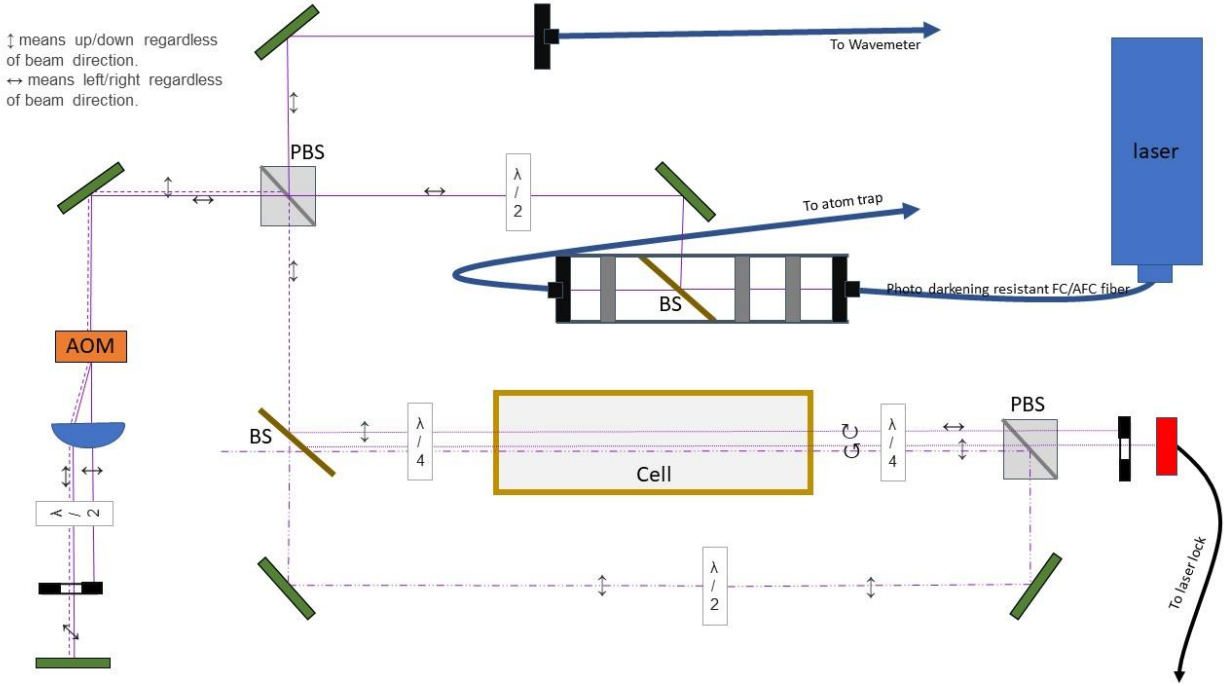


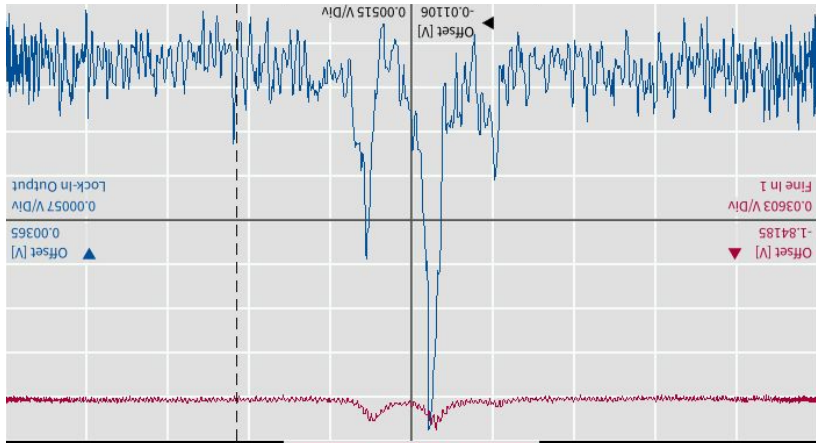
K41 1->1 and 1->2 absorptions



Thank you!




↕ means up/down regardless of beam direction.
↔ means left/right regardless of beam direction.
To Wavemeter
PBS
λ / 2
laser
To atom trap
BS
Photo darkening resistant FC/AFC fiber
AOM
BS
λ / 4
Cell
λ / 4
PBS
λ / 2
λ / 2
To laser lock


Offset [V]
-0.01106
0.00515 V/Div
Lock-In Output
0.00057 V/Div
Offset [V]
0.00365
Fine In 1
0.03603 V/Div
Offset [V]
-1.84185